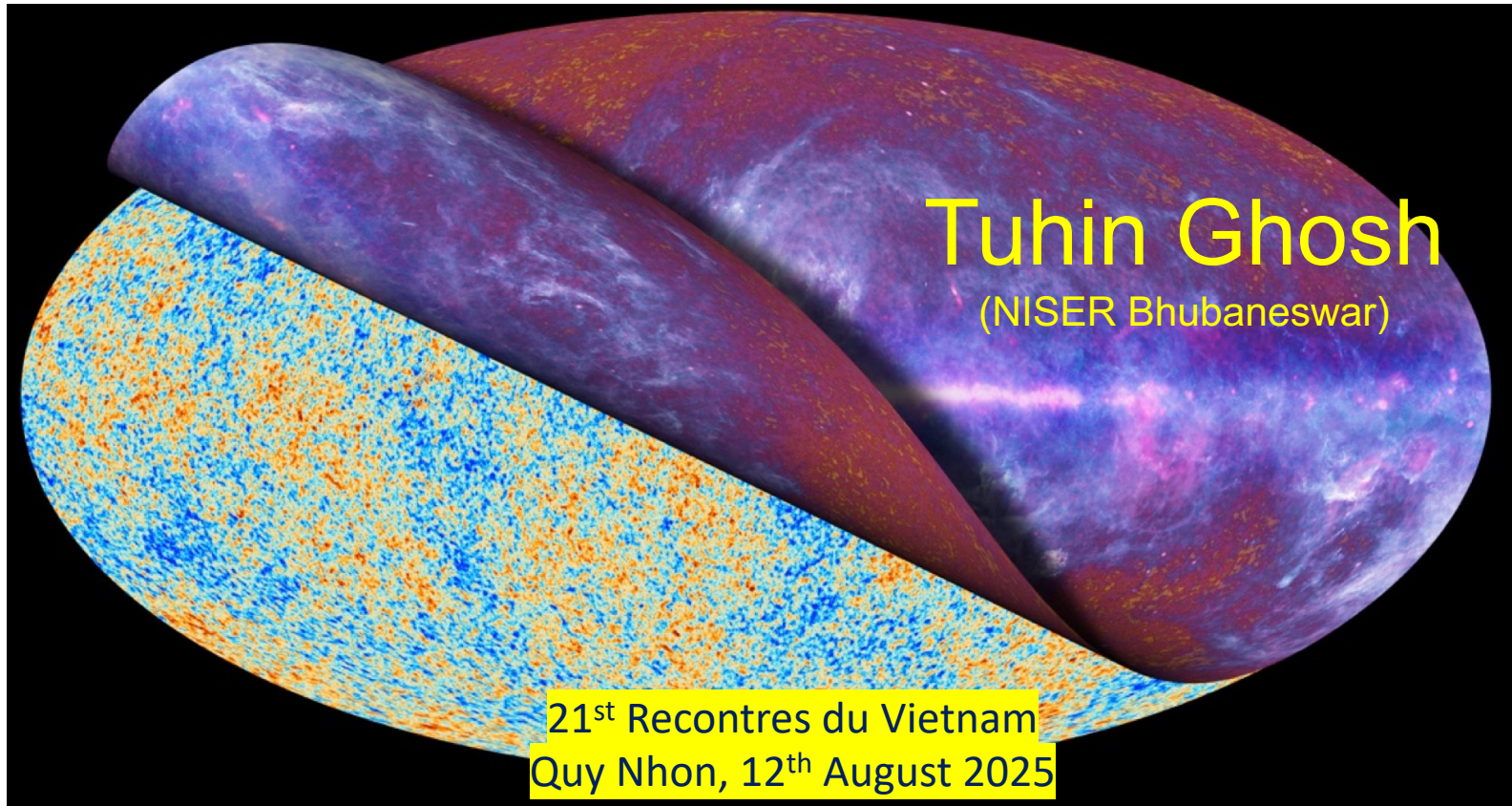




Dust Polarization Results from Planck





CMB experiments

Space-based



COBE-DMR (NASA)

1st generation
CMB experiment

31-90 GHz



WMAP (NASA)

2nd generation
CMB experiment

23-94 GHz



Planck (ESA)

3rd generation
CMB experiment

30-857 GHz

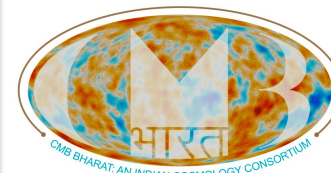
Future



LiteBIRD (JAXA)

Matsumura et al, 2013

40 – 402 GHz
2.5 μ K.arcmin



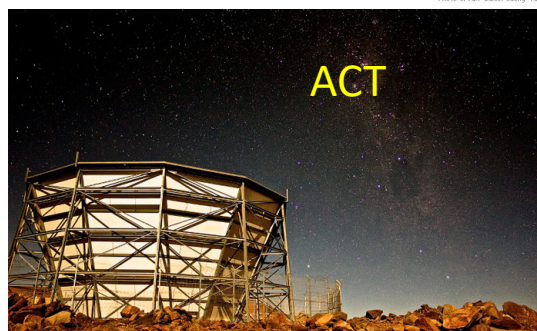
CMB-Bharat

Ground-based

Simon's Observatory



SPT



ACT



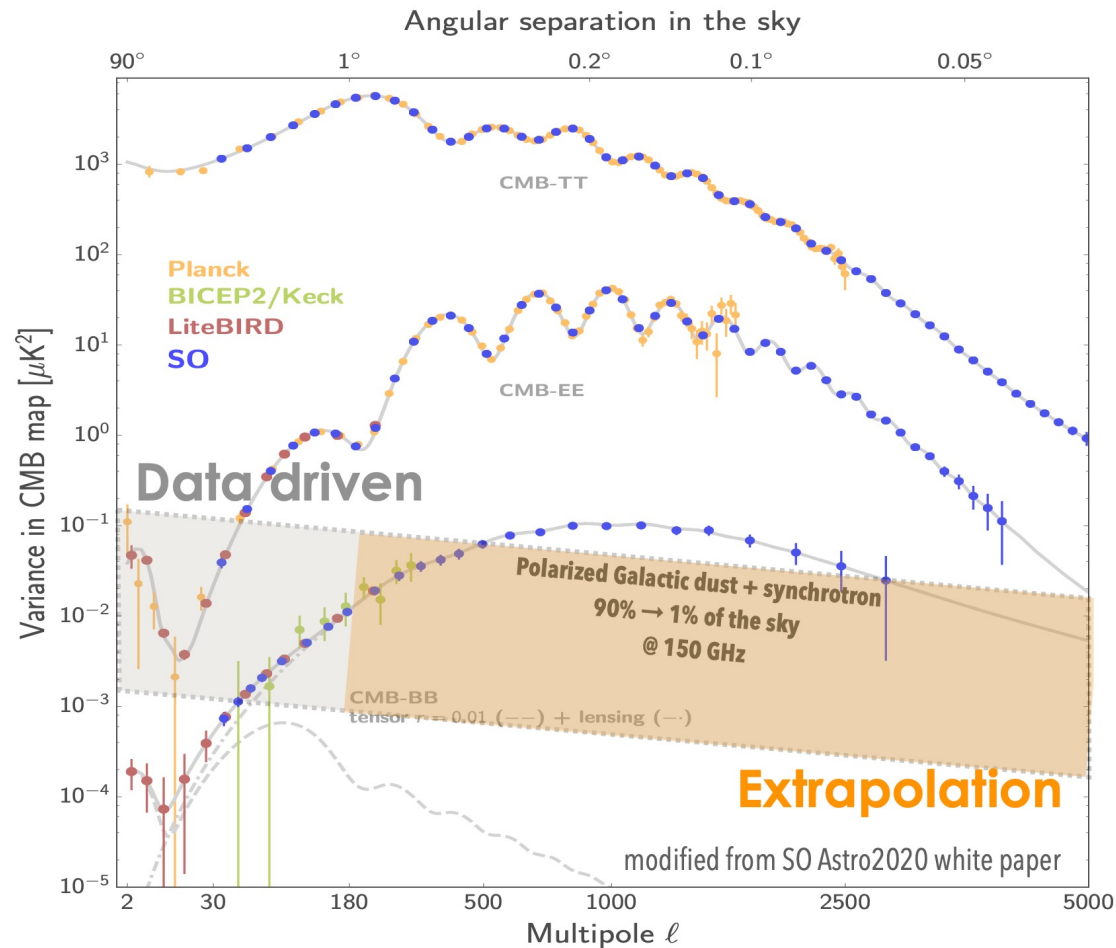
BICEP2 2008-2011

Keck Array 2011-...

x5



Foreground challenge



- From the available data (Planck + BICEP/Keck), we have information of large-scale polarized foregrounds.
- Statistical properties of foregrounds at small-scales are unknown.
- Foregrounds like CO emission may be relevant at small-scales.

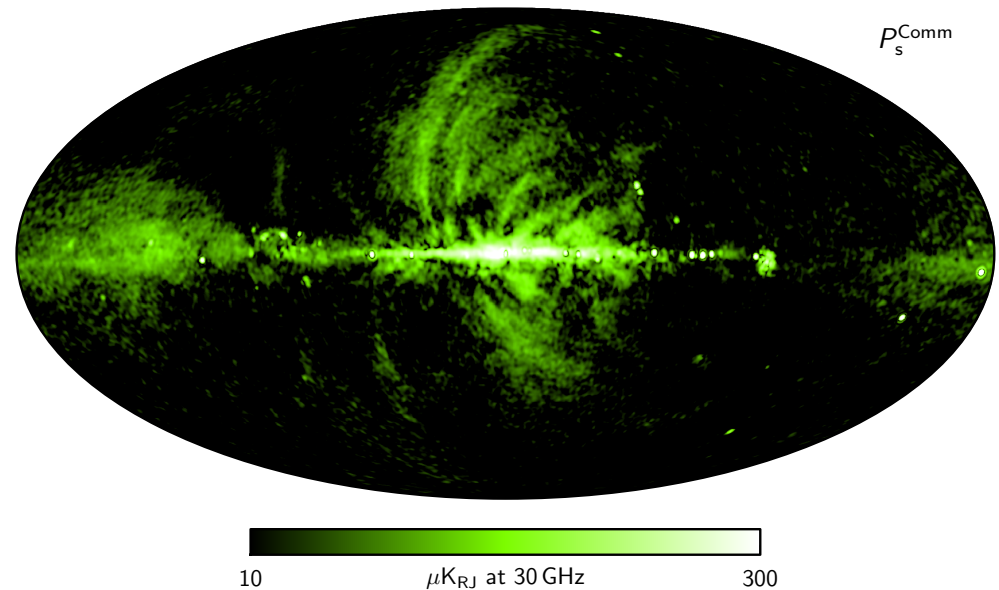


Synchrotron Polarization

- Produce by relativistic cosmic ray electrons accelerating in the Galactic magnetic field (few μG)
- Dominates up to 80 GHz
- Upto 70% polarised (theoretically)
~40-50% max observed
~20% typical
- Follows power-law spectrum
$$Q_\nu = Q_{\nu_0} (\nu/\nu_0)^{\beta_s}$$
$$U_\nu = U_{\nu_0} (\nu/\nu_0)^{\beta_s}$$
- Steep spectrum $\beta_s \sim -3.13 \pm 0.13$
- Low frequencies (< few GHz) corrupted by Faraday Rotation

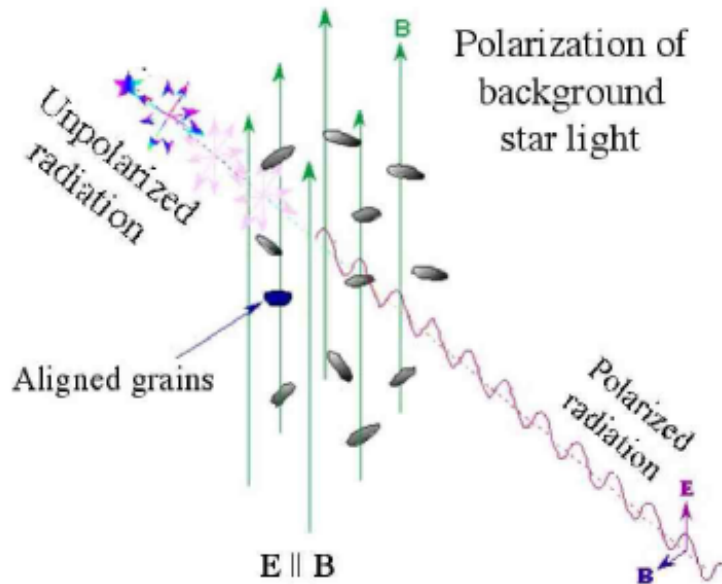


Synchrotron Polarized
Intensity map

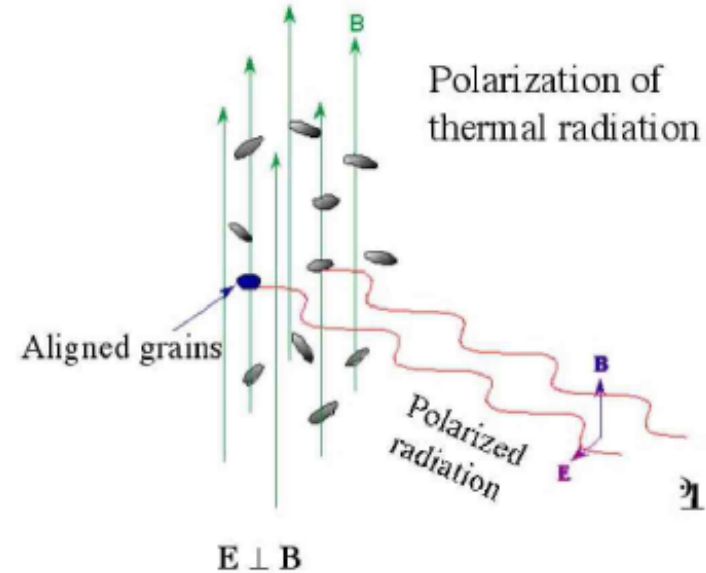




Extinction



Emission



Lazarian 2008

- Unpolarized starlight absorbed by prolate rotating dust grains aligned with respect to the Galactic magnetic field and thermally emitted in the far infrared and millimeter frequencies.
- Polarized *perpendicular* to the magnetic field lines, up to ~20%
- Follows modified blackbody spectrum
- Dominant polarized emission at $\nu \approx 70$ GHz

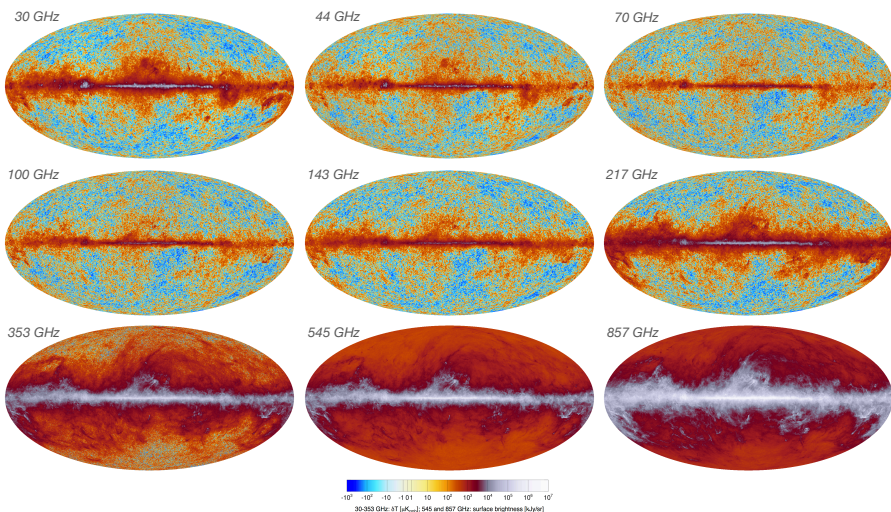
$$Q_{\nu} = Q_{\nu_0} (\nu/\nu_0)^{\beta_d} B_{\nu}(T_d)$$

$$U_{\nu} = U_{\nu_0} (\nu/\nu_0)^{\beta_d} B_{\nu}(T_d)$$



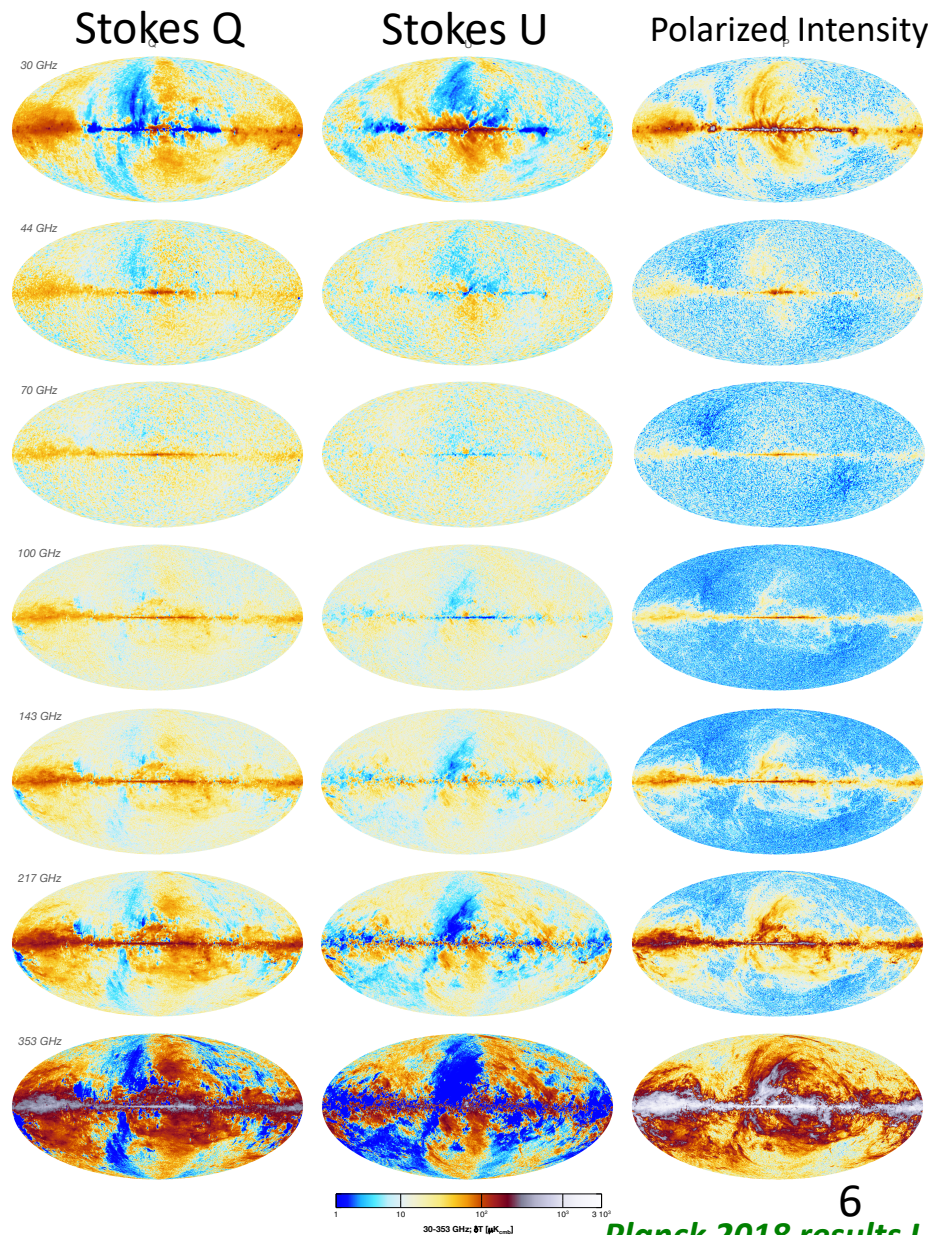
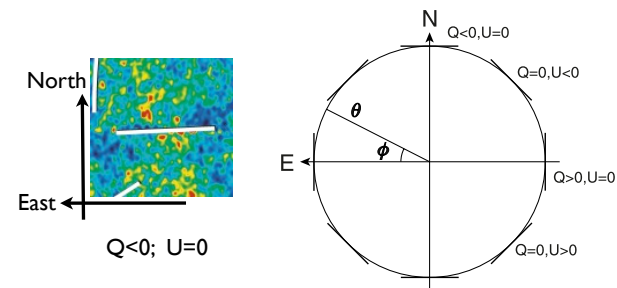
Challenge: Galactic and extra-Galactic foregrounds

Stokes I : Intensity



Polarization →

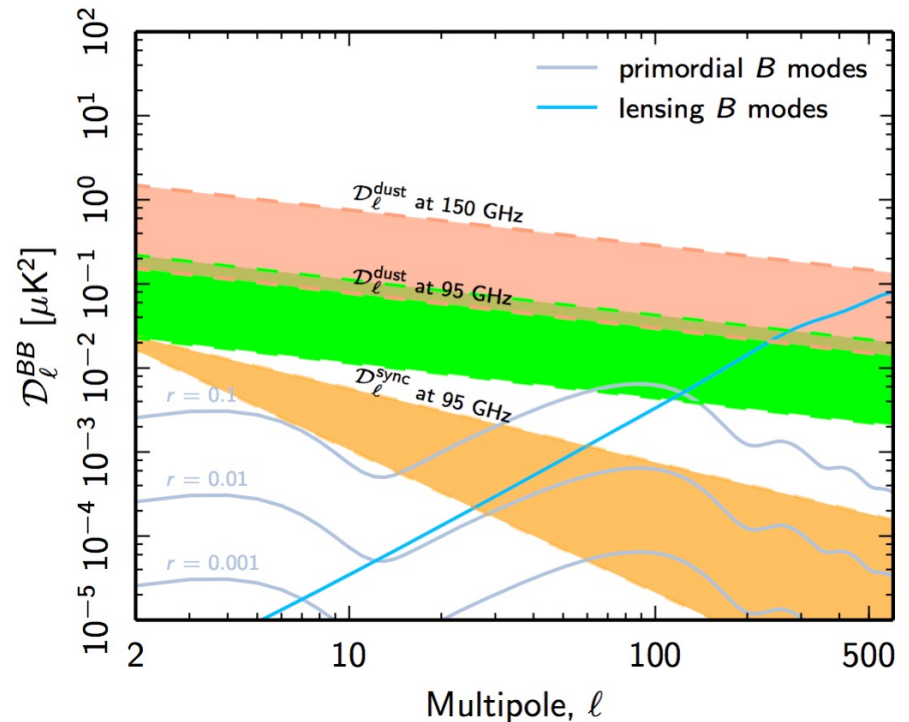
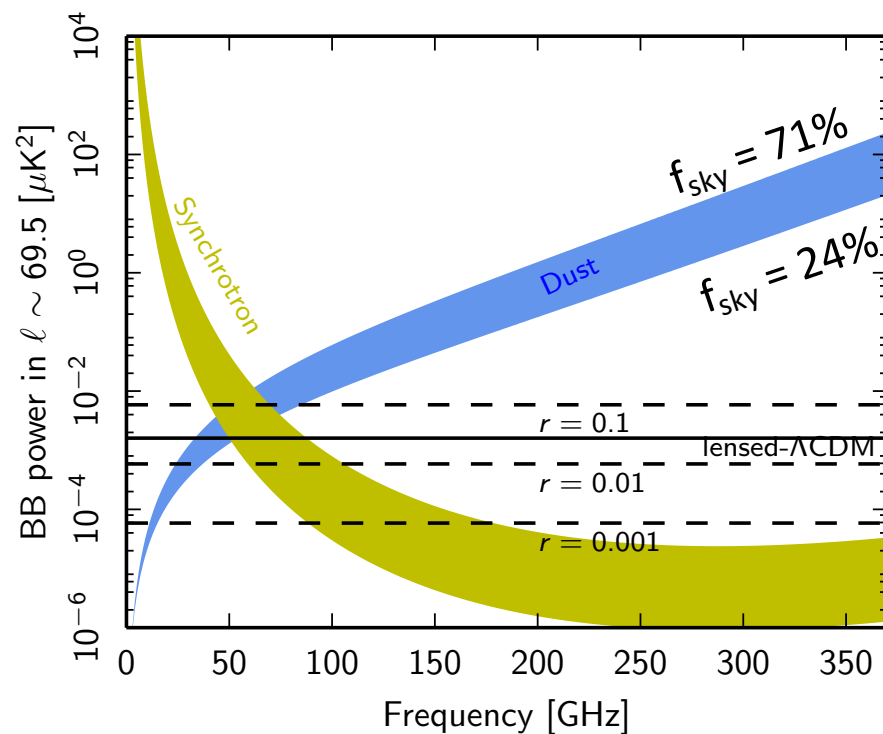
Stokes Parameters





Foregrounds Spectral Energy Distribution (SED)

Recombination B-modes ℓ range



Planck 2018 results XI

- The frequency at which dust and synchrotron B -modes power are equal depends on multipole and sky region.
- Dust quickly dominates synchrotron at higher frequencies.



Model-dependent approach to extract CMB B-modes

Mismatch between model and the actual data

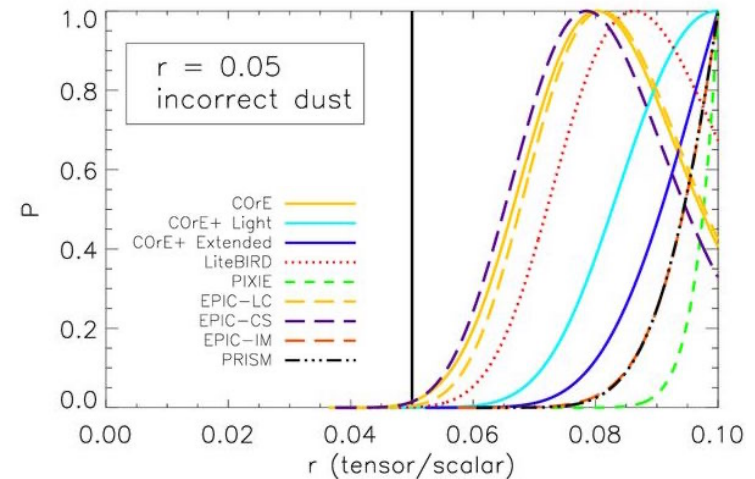
MODEL

$$\begin{aligned} m_{\nu}(\hat{n}) = & a_{\nu} s_{\text{CMB}}(\hat{n}) \\ & + \nu^{\beta_s} s_{\text{sync}}(\hat{n}) \\ & + \nu^{\beta_d} B_{\nu}(T_d) s_{\text{dust}}(\hat{n}) \\ & + n_{\nu}(\hat{n}) \end{aligned}$$

Data:

1. Two-component dust model
2. Synchrotron curvature
3. Anomalous Microwave Emission (AME) polarization

Inaccurate modeling of dust



Remazeilles et al. 2016

- Three frequencies : 60 GHz (synchrotron channel), 100 GHz (CMB channel), 240 GHz (dust channel).
- 0.5 degree beam resolution
- 2 uK arcmin noise sensitivity
- Target r sensitivity $r \sim 10^{-3}$

Katayama and Komatsu 2011



Dust amplitude at the map level:

$$d_\nu = A \nu^{\beta_d} B_\nu(T_d)$$

Dust amplitude at the power-spectrum level:

$$\begin{aligned} C_\ell^{d_{\nu_1} \times d_{\nu_2}} &= K_\ell (\nu_1 \nu_2)^{\beta_d} B_{\nu_1}(T_d) B_{\nu_2}(T_d) \\ &= K_0 \ell^{\alpha_d} (\nu_1 \nu_2)^{\beta_d} B_{\nu_1}(T_d) B_{\nu_2}(T_d) \end{aligned}$$



Multicomponent likelihood analysis

To fit all the measured spectra simultaneously with a model for BB that is
primordial CMB B mode signal (r) + LCDM lensing expectation + 7 parameters
foreground model

Amplitude of cross-spectra between frequencies ν_1 and ν_2 :

$$\begin{aligned} \mathcal{D}_\ell(\nu_1 \times \nu_2) = & A_s \left(\frac{\nu_1 \nu_2}{28.4^2} \right)^{\beta_s} + A_d \left(\frac{\nu_1 \nu_2}{353^2} \right)^{\beta_d - 2} \frac{B_{\nu_1}(T_d)}{B_{353}(T_d)} \frac{B_{\nu_2}(T_d)}{B_{353}(T_d)} \\ & + \rho \sqrt{A_s A_d} \left[\left(\frac{\nu_1}{28.4} \right)^{\beta_s} \left(\frac{\nu_2}{353} \right)^{\beta_d - 2} \frac{B_{\nu_2}(T_d)}{B_{353}(T_d)} \right. \\ & \left. + \left(\frac{\nu_2}{28.4} \right)^{\beta_s} \left(\frac{\nu_1}{353} \right)^{\beta_d - 2} \frac{B_{\nu_1}(T_d)}{B_{353}(T_d)} \right] \end{aligned} \quad T_d = 19.6 \text{ K}$$

This model does not include spectral decorrelation.

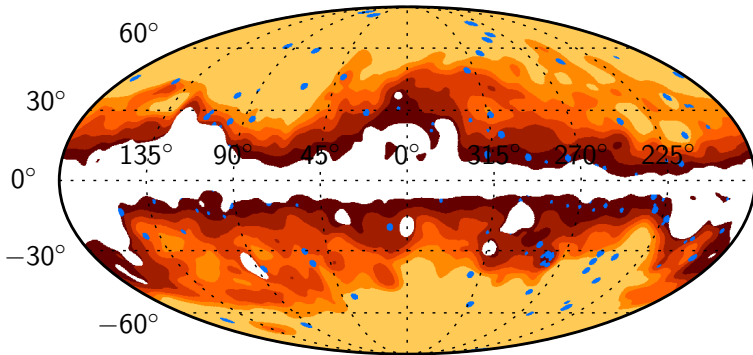
7 model parameters:

- synchrotron and dust amplitudes A_s and A_d .
- two spectral indices β_s and β_d .
- Two spatial spectral indices α_s and α_d
- dust/synchrotron polarization correlation parameter ρ .



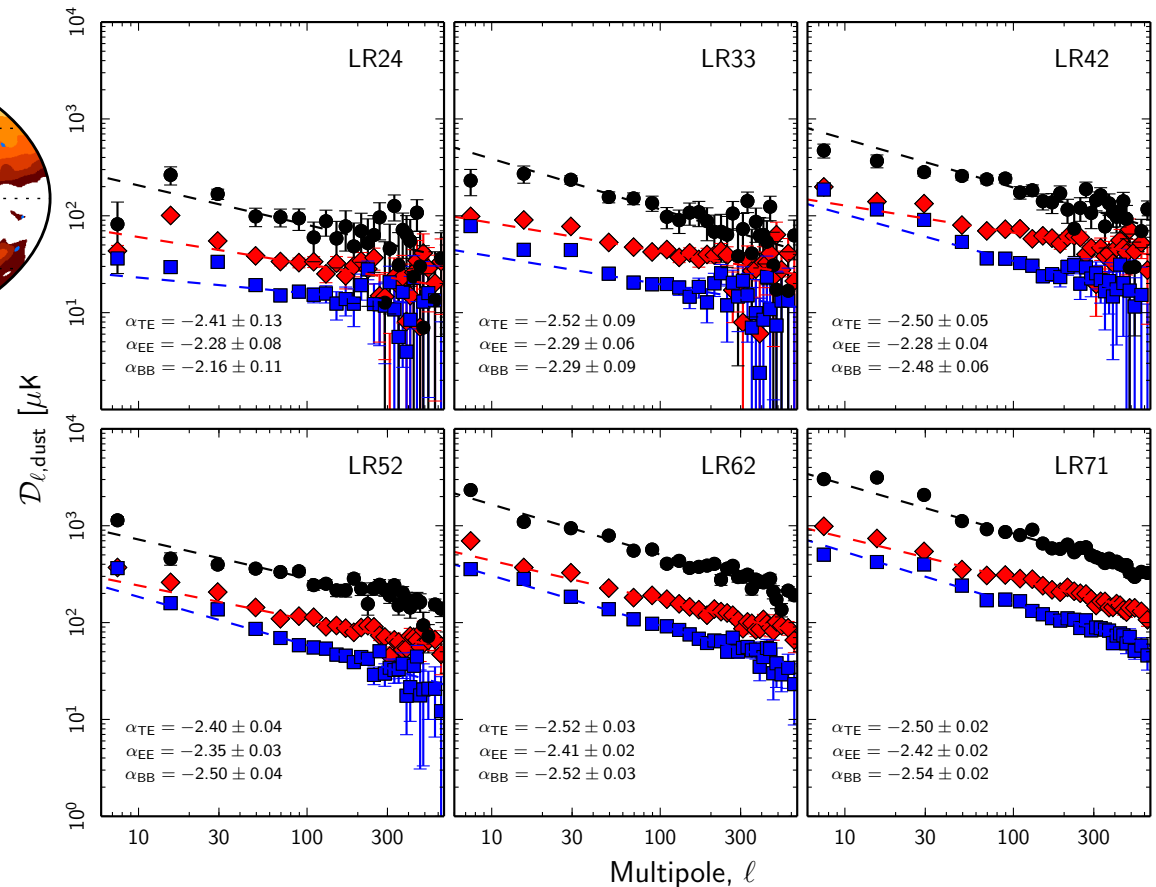
Planck 2018 results: dust angular power spectra

Nested sky regions



Planck HFI 353 GHz data allow to measure dust power spectrum over large sky portions, up to sub-degree scales

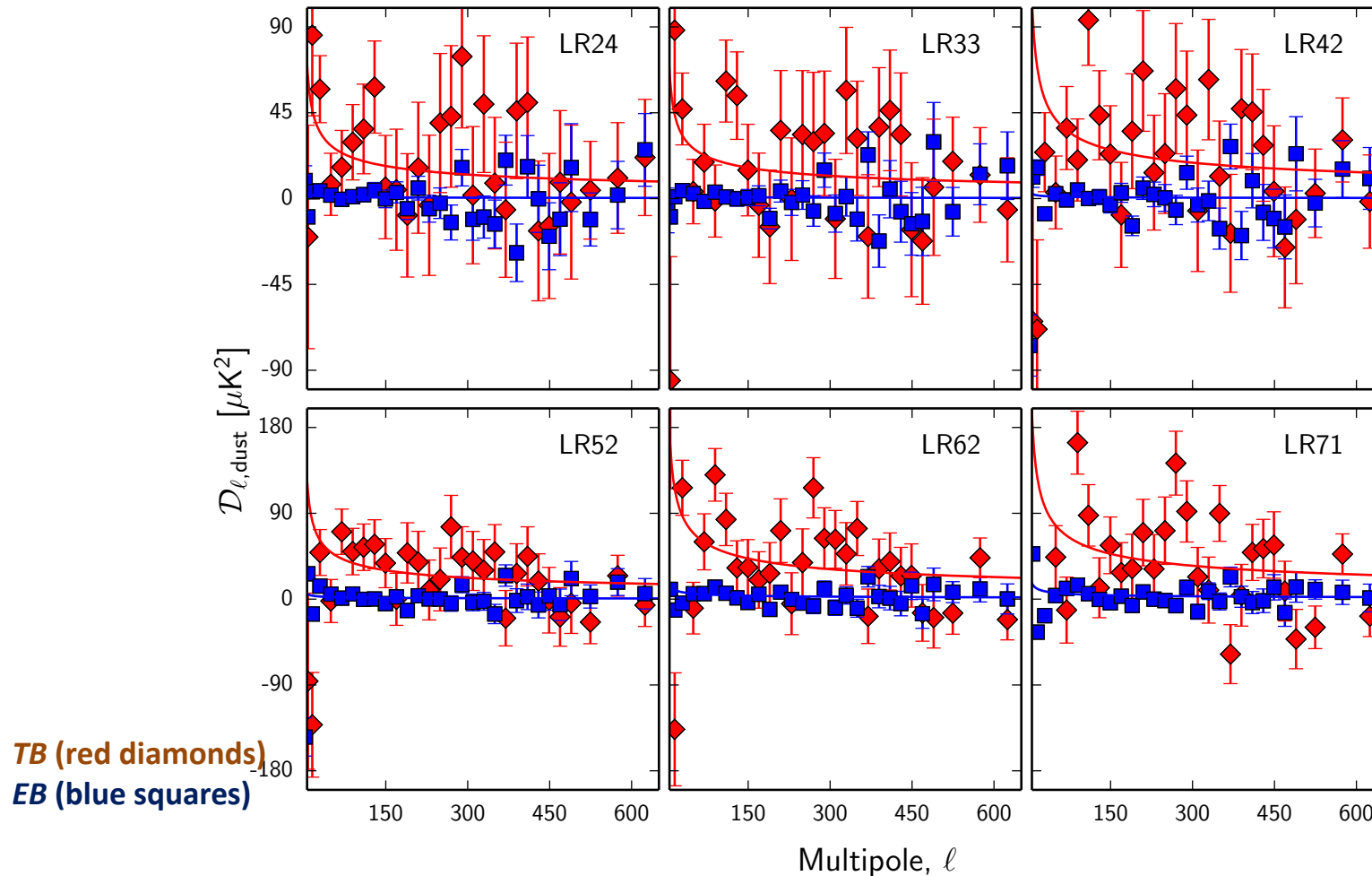
353 GHz angular power spectra



- The power-law exponents for **EE** and **BB** are slightly different.
- Spectra are not well fitted by a single power-law over the full multipole range.
- The **E/B** asymmetry and **T-E** correlation extend to low multipoles.



Dust TB and EB correlation



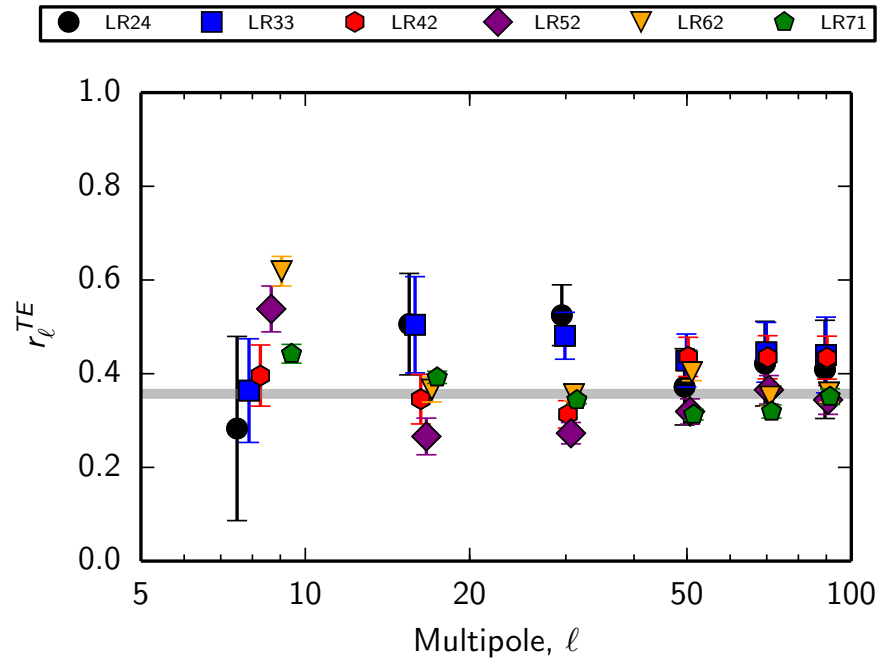
Planck results XI 2018

- **E-B** correlation consistent with zero
- Evidence for positive **T-B** correlation. Non-zero dust **T-B** could have an impact on experiments calibrating the absolute polarization angle by minimizing this quantity
- Possible physical explanation related to filament magnetic field misalignment ([Clark et al. 2021](#)). 12



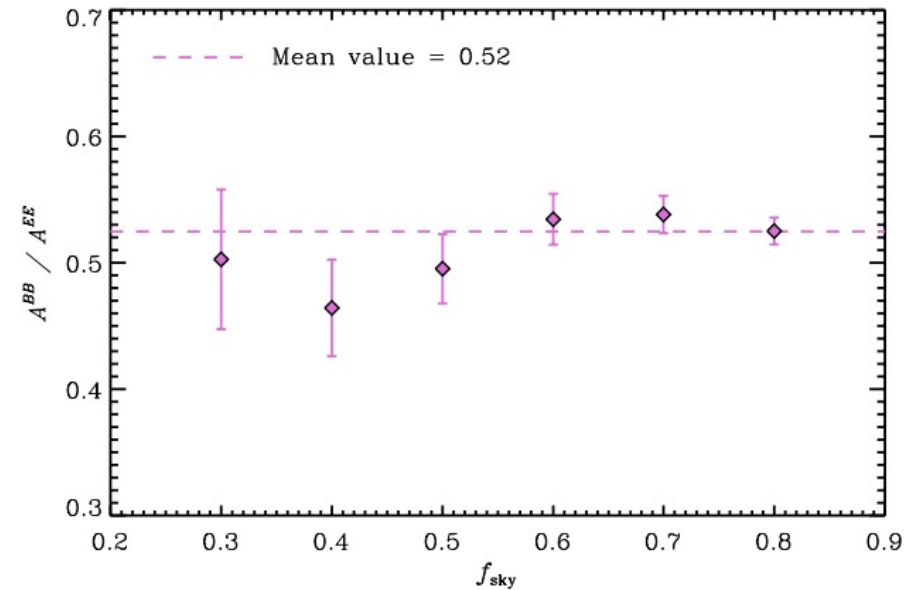
Dust E - B asymmetry

T - E correlation ratio



$$r_\ell^{TE} = \frac{C_\ell^{TE}}{\sqrt{C_\ell^{TT} \times C_\ell^{EE}}}$$

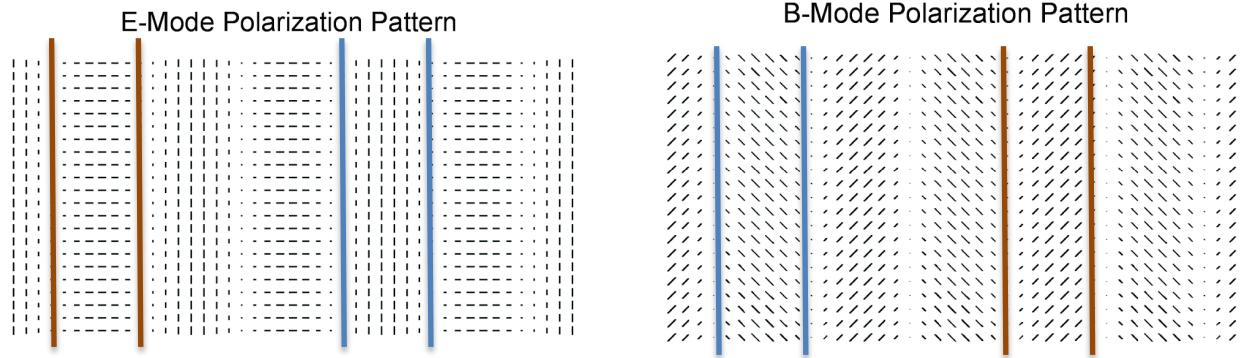
E - B asymmetry



Polarized dust emission produces about half as much as B -mode power as E -mode power.

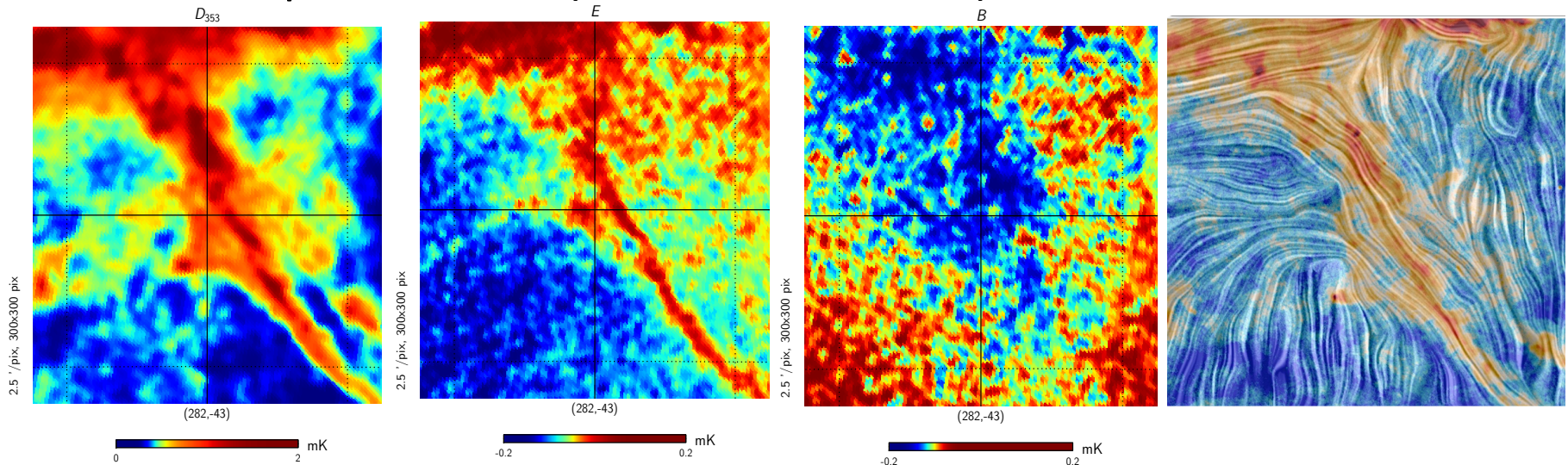


E- and B-modes of interstellar filaments



Zaldarriaga, PRD 64, 2001

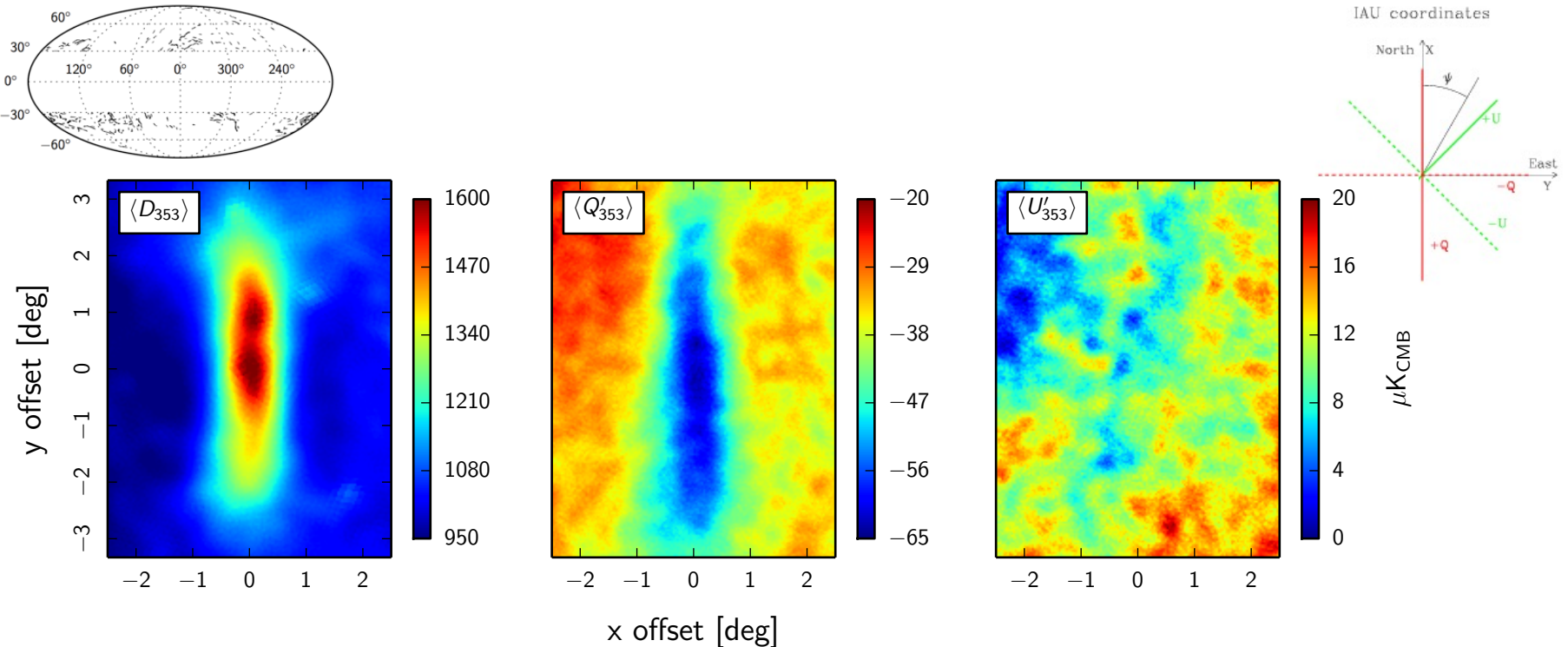
Example filament (raw 353 GHz data)



If a filament is preferentially aligned with the local direction of magnetic field, it produces more E-mode than B-mode.



Stacking of interstellar filaments

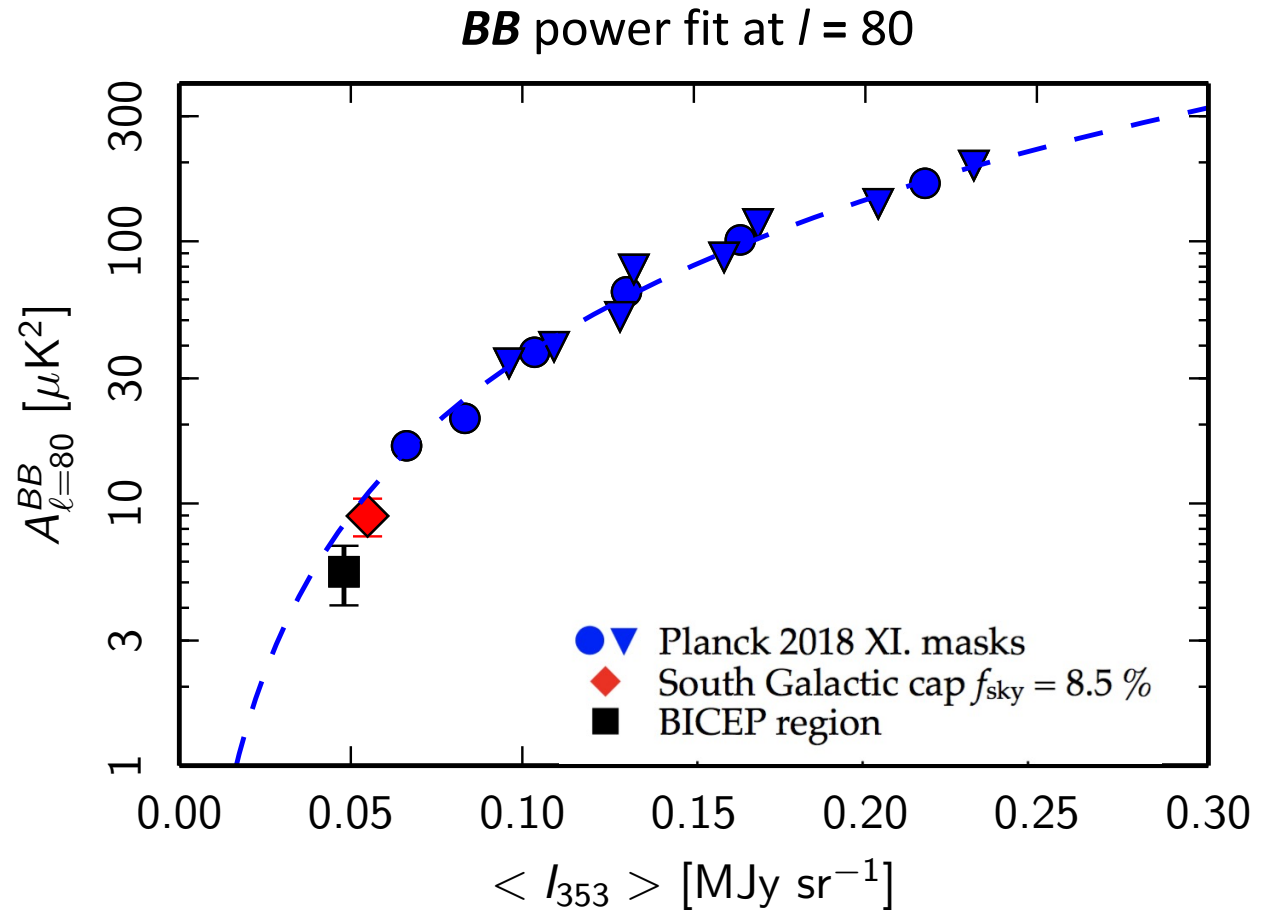


- Q' and U' are the Stokes Q and U maps computed with respect to the axis of the filament.
- The average filament appears as a negative feature with respect to the background in $\langle Q' \rangle$ image and is not seen in $\langle U' \rangle$ image.
- The 1 sigma uncertainty on the $\langle Q' \rangle$ and $\langle U' \rangle$ images is $1.3 \mu K_{CMB}$.
- The homogeneous background in the $\langle Q' \rangle$ and $\langle U' \rangle$ images reflects the smoothness of B_{POS} over the patch size of 7×5 square degrees.

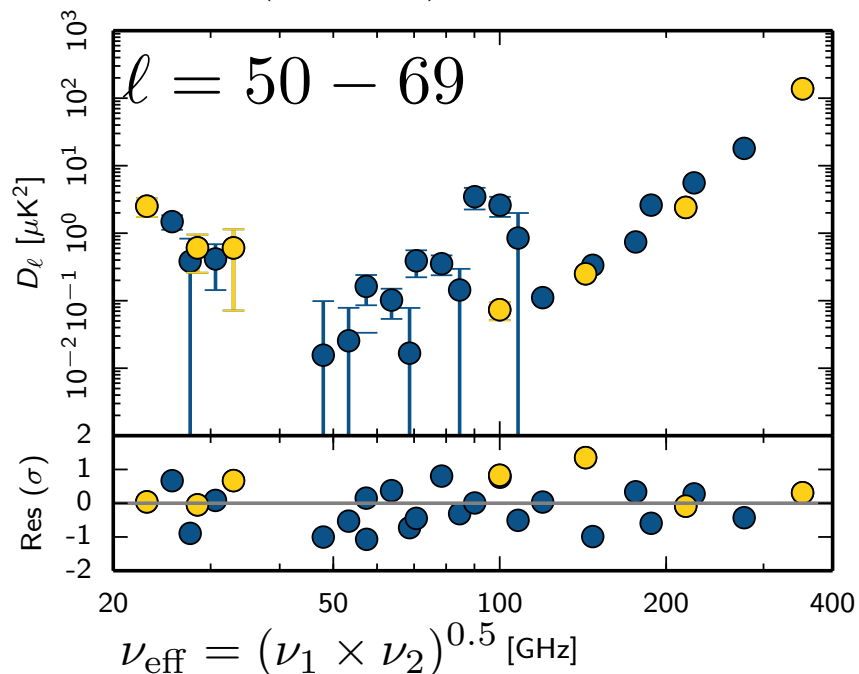
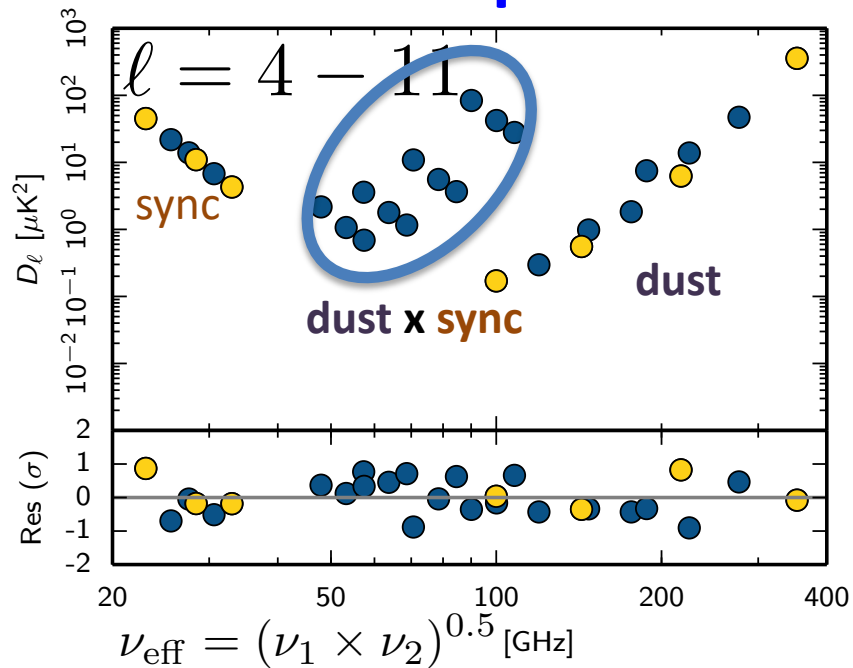


Dust B -mode amplitude scaling with intensity

- BB power well fitted by $(I_{353})^2$
- BICEP region's Planck dust BB power is compatible with (but lower than) the fit on larger masks



LR62 BB spectra

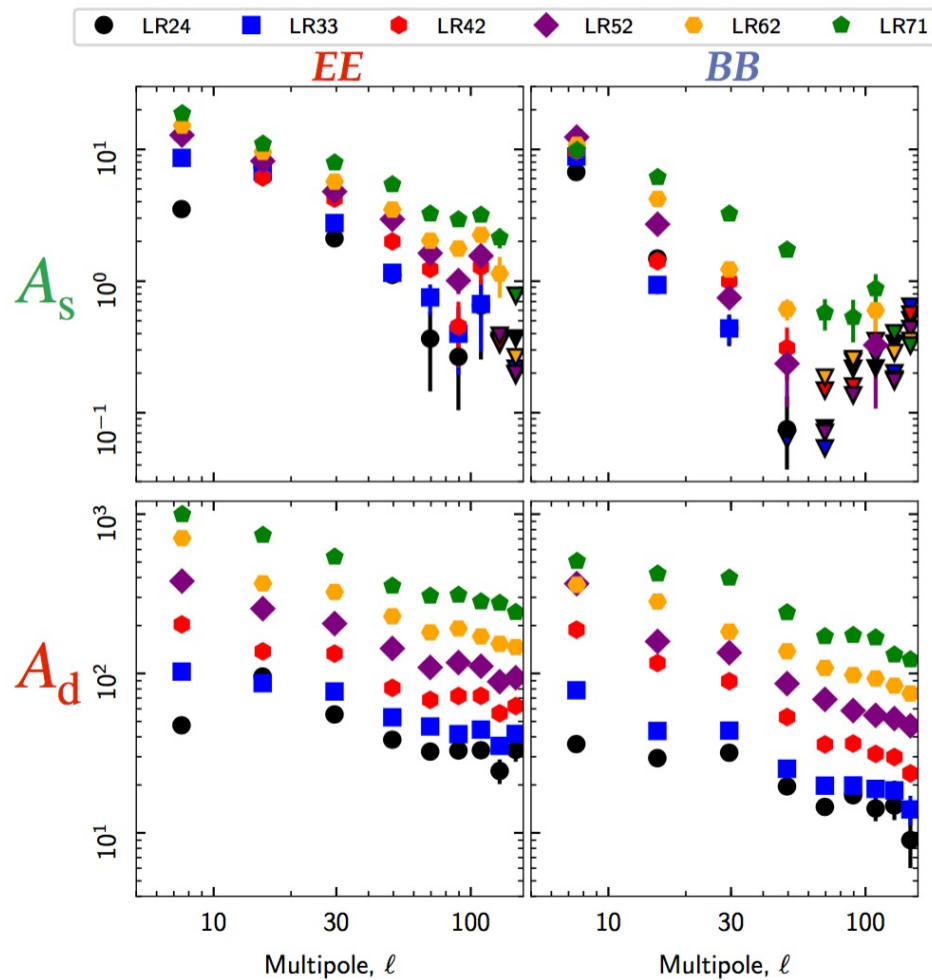


Dust-synchrotron correlation

- Dust-synchrotron correlation is strong at large angular scales and consistent with zero at small angular scales.
- The average of dust spectral index $\beta_d \sim 1.53 \pm 0.02$



Dust and synchrotron spectral parameters

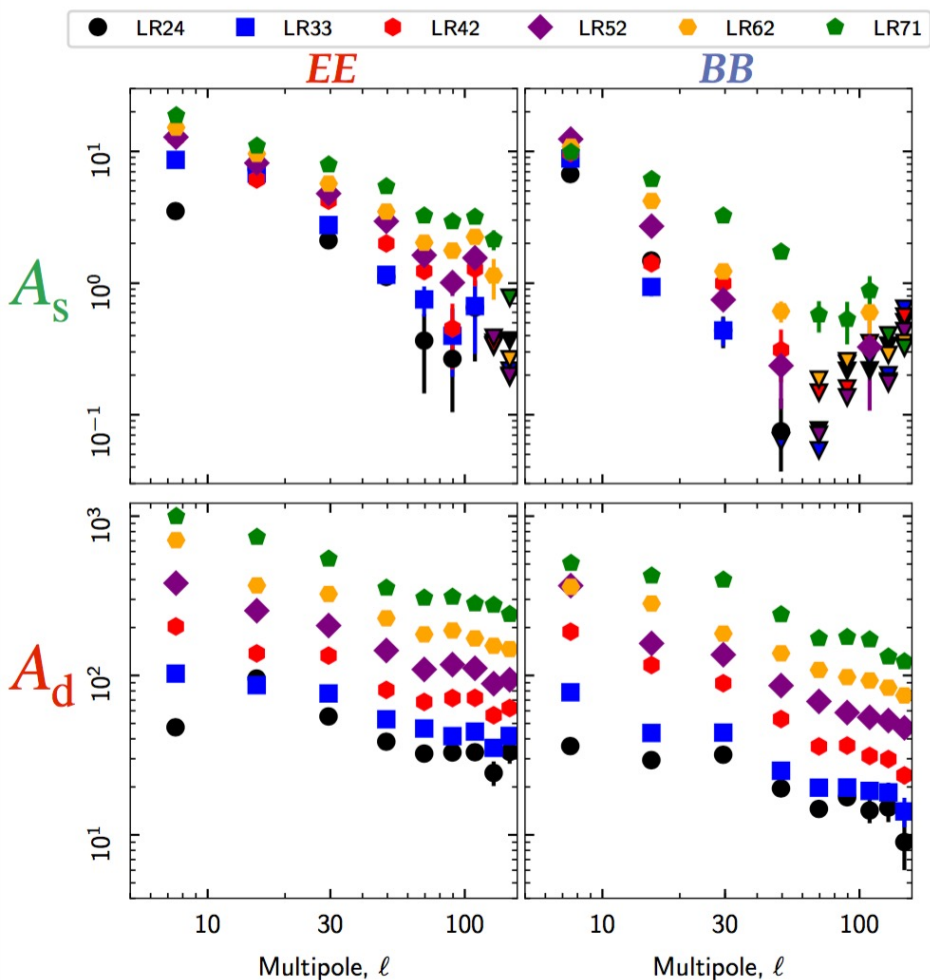


Inverted triangles = one sigma upper limit

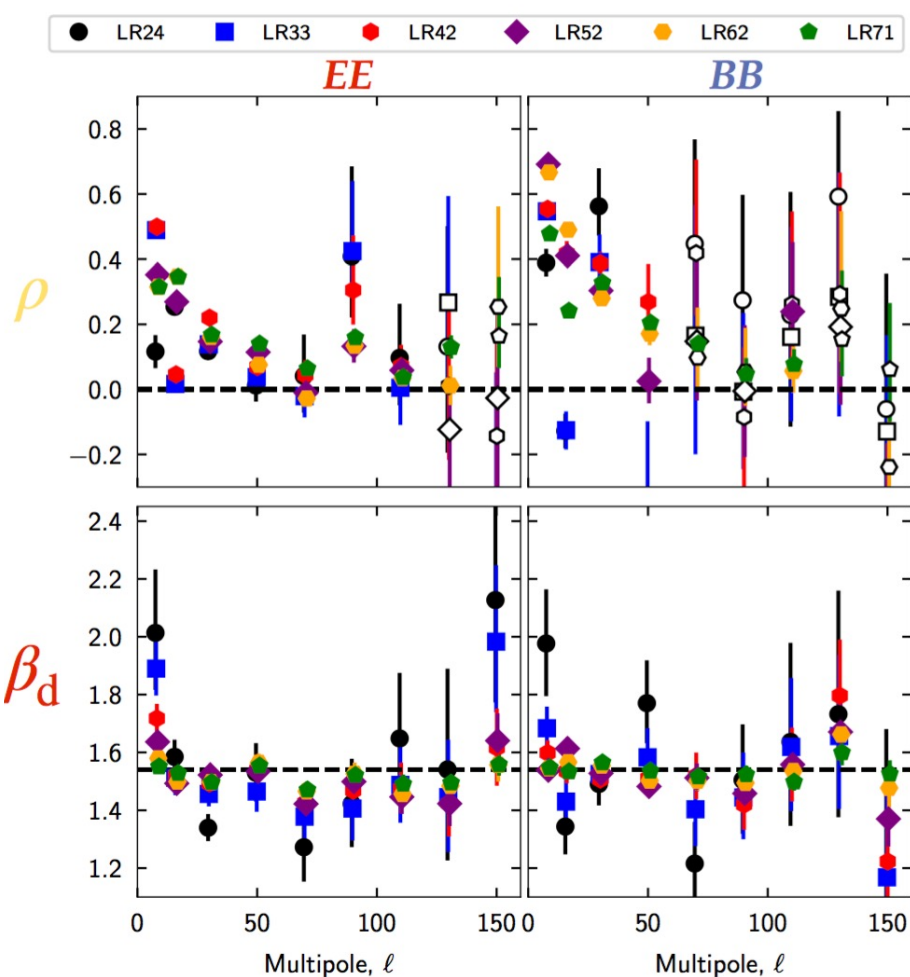
BB A_s/A_d ratio is maximum at low multipoles
and for the smallest sky region (LR24)



Dust and synchrotron spectral parameters



Inverted triangles = one sigma upper limit



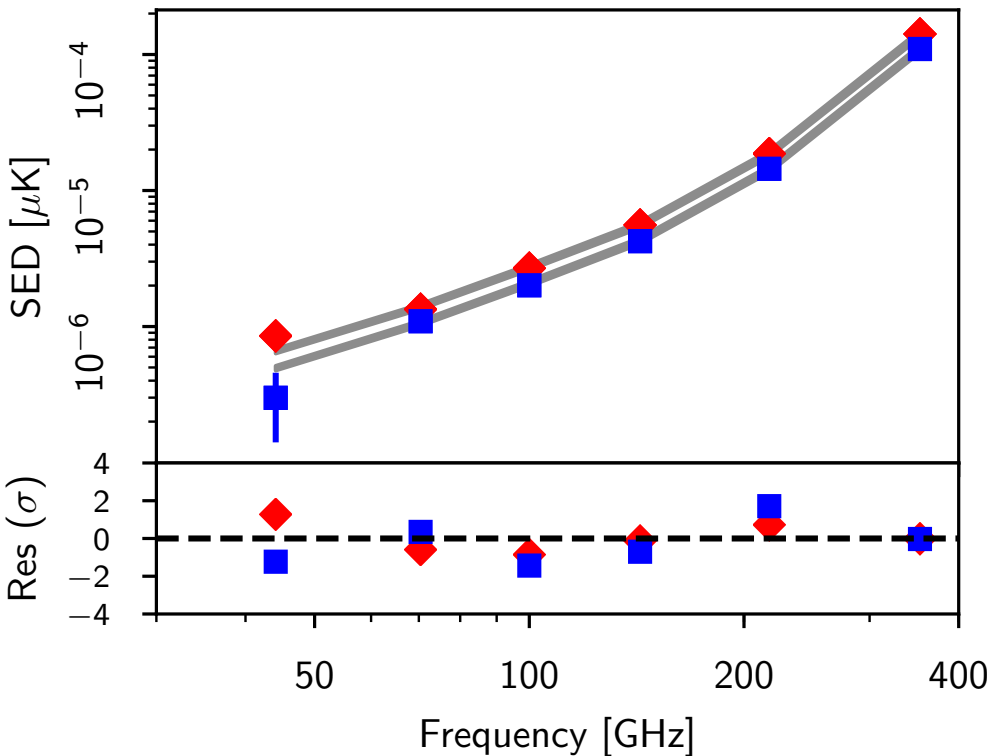
BB A_s/A_d ratio is maximum at low multipoles and for the smallest sky region (LR24)

- Significant dust-synchrotron correlation at $l \lesssim 50$
- No evidence for dust spectral index l dependence



Dust spectral energy distribution

Dust SED in polarization



- In polarization, the dust SED from SMICA component separation method fits well by a single temperature modified black-body emission law from 353 GHz to 44 GHz.

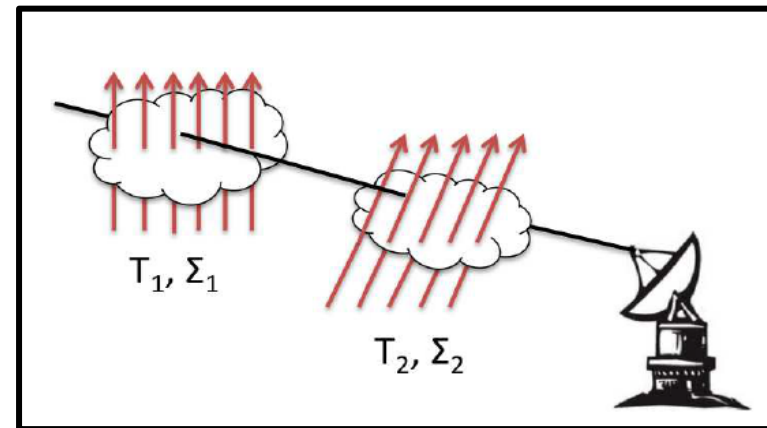
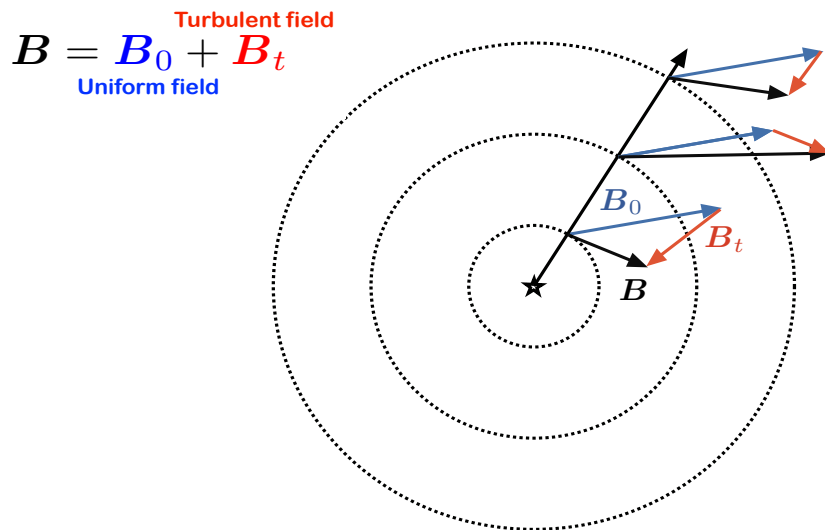
Polarization vs total intensity

- The difference between spectral indices for polarization and total intensity is small (0.05 ± 0.03) and not of high statistical significance
- Planck data analysis suggests that the emission from a single grain type dominates the long-wavelength emission in both polarization and total intensity.



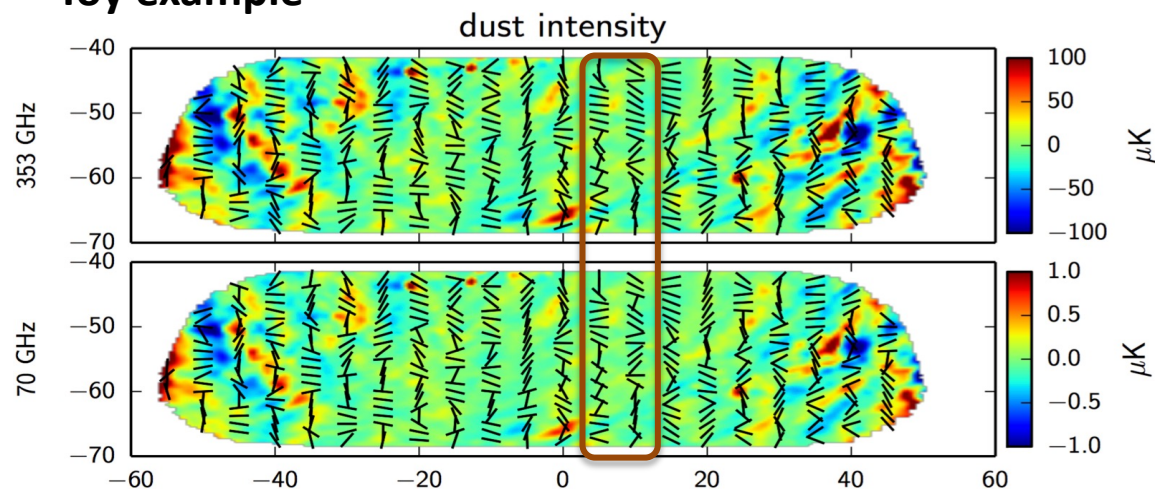
Dust decorrelation

Stacking of small number of polarized emission layers,
with plane-of-sky spatial correlations



Tassis and Pavlidou, 2015, MNRAS

Toy example



Correlation ratio of dust B -modes
between two different frequencies is
measured as

$$R_{\ell}^{BB} = \frac{\mathcal{D}_{\ell}^{BB}(\nu_1 \times \nu_2)}{\sqrt{\mathcal{D}_{\ell}^{BB}(\nu_1 \times \nu_1) \times \mathcal{D}_{\ell}^{BB}(\nu_2 \times \nu_2)}}$$

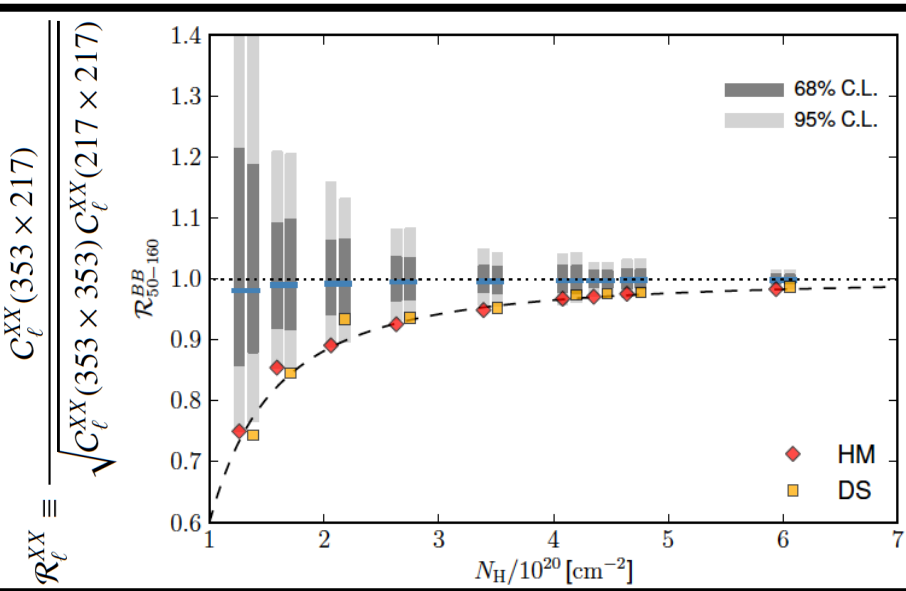
Vansyngel et al. 2017, A&A

Ghosh et al. 2017, A&A

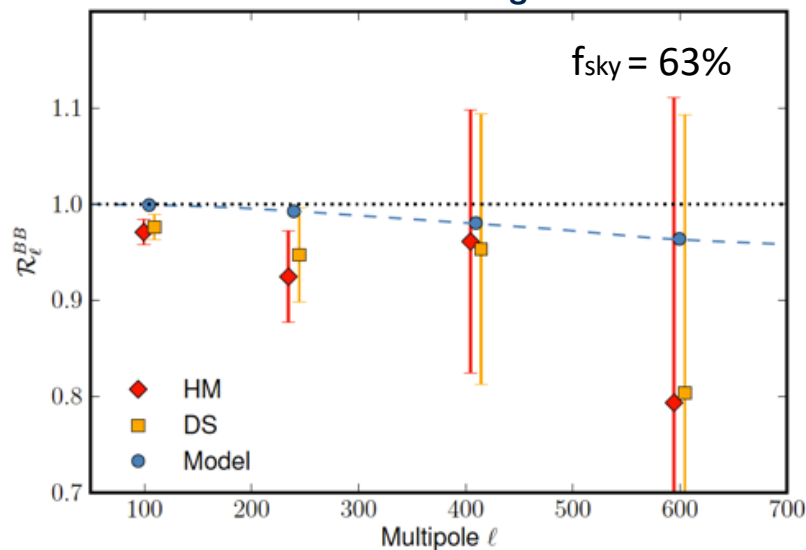


Spatial decorrelation of dust B-modes

Correlation ratio between 217 and 353 GHz maps



As a function of angular scale

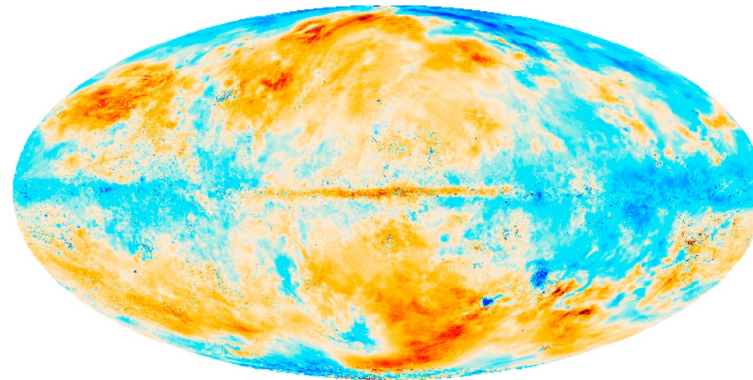


- Correlation ratio (BB) measured for several sky regions ($f_{\text{sky}}=0.2$ to 0.8) with cross-spectra using different data subsets.
- Confidence estimated with Gaussian sky simulations.
- The effect is (marginally) detected in all regions.
- Indication that the dust decorrelation increases towards low column density regions.

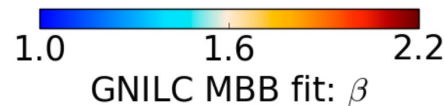
Planck Intermediate results. I 2016



Vansyngel decorrelation model



SED variations



Amplitude of cross-spectra between HFI frequencies ν_1 and ν_2 :

$$\mathcal{D}_\ell(\nu_1 \times \nu_2) = A_d \left(\frac{\nu_1 \nu_2}{353^2} \right)^{\beta_d - 2} \frac{B_{\nu_1}(T_d)}{B_{353}(T_d)} \frac{B_{\nu_2}(T_d)}{B_{353}(T_d)} R_\ell(\delta_d, \nu_1, \nu_2)$$

where

$$R_\ell(\delta_d, \nu_1, \nu_2) = \exp \left[-\delta_d \ln \left(\frac{\nu_1}{\nu_2} \right)^2 \right]$$

$$T_d = 19.6 \text{ K}$$

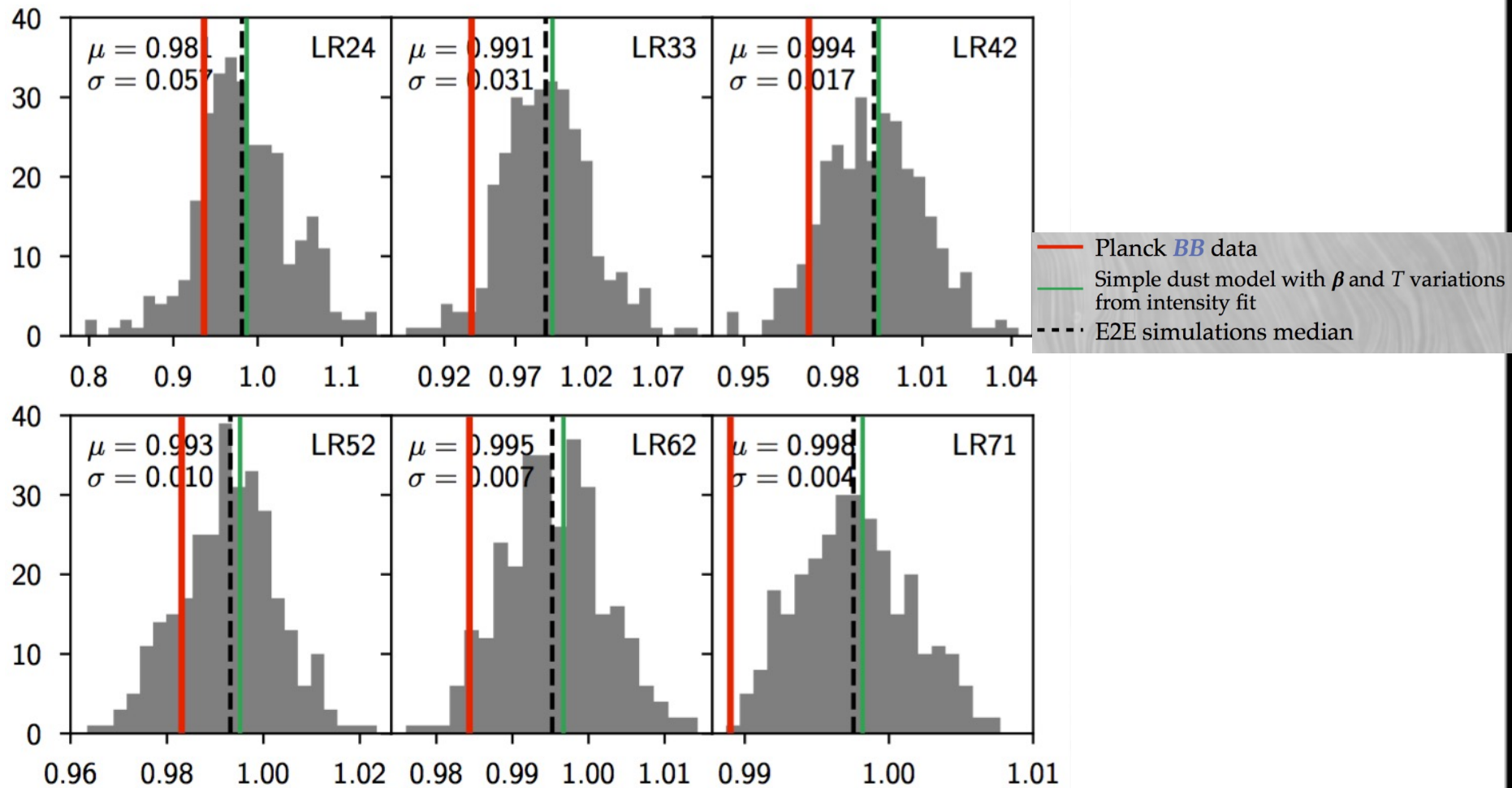
One extra parameter δ_d

Assumes a frequency dependence model of spectral decorrelation based on
Vansyngel et al. 2017.



Dust frequency correlation

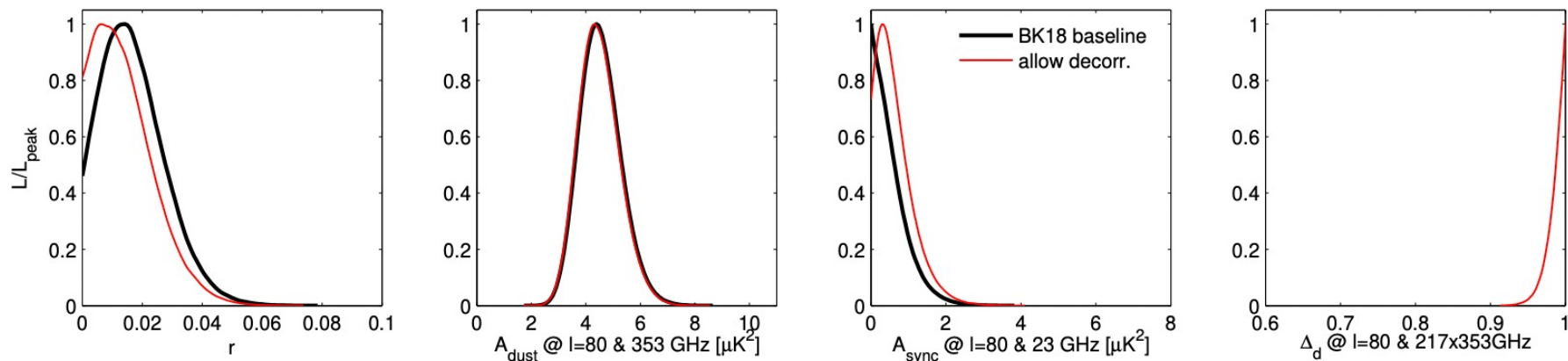
Frequency decorrelation due to effective SED spatial variations has to appear at some level



- results of HFI-only (100 – 353 GHz) multi-frequency fit over the multipole range 50 – 160.
- The mean of spectral correlation ratio is consistent with one within 1 sigma error-bars.

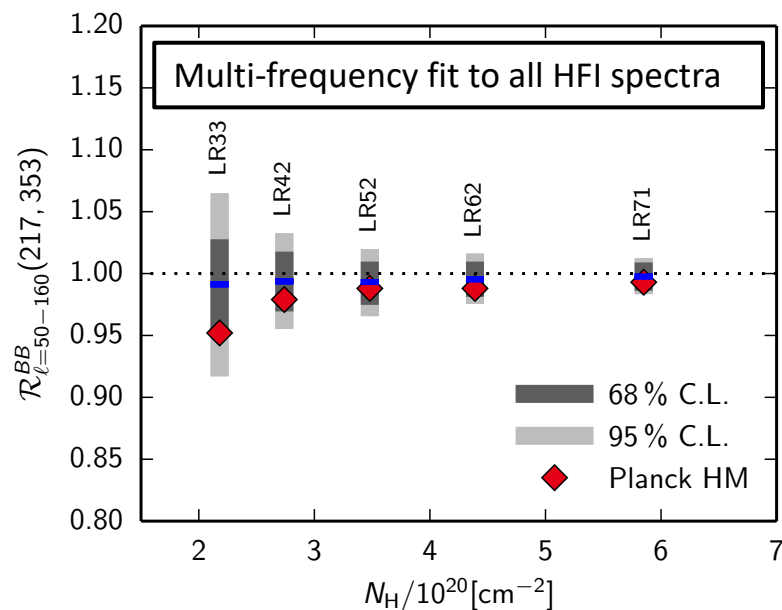


BICEP results in the presence of dust decorrelation



$r < 0.036$ (95% C.L.)

BK18, PRL 2021

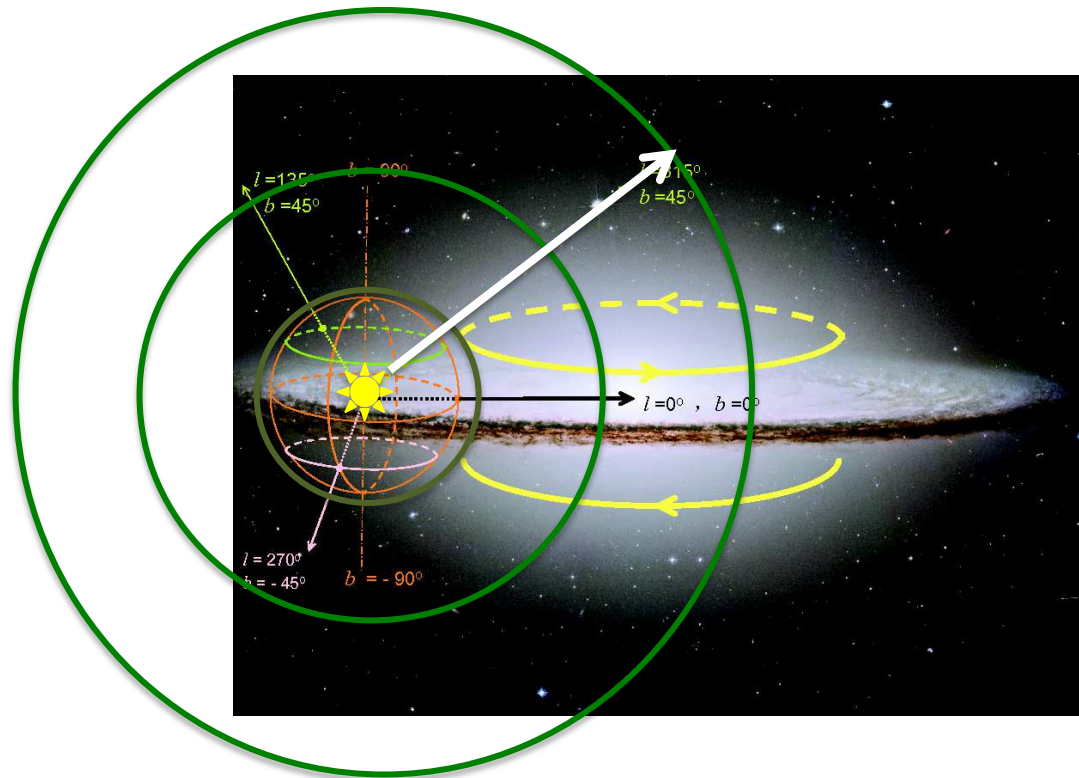




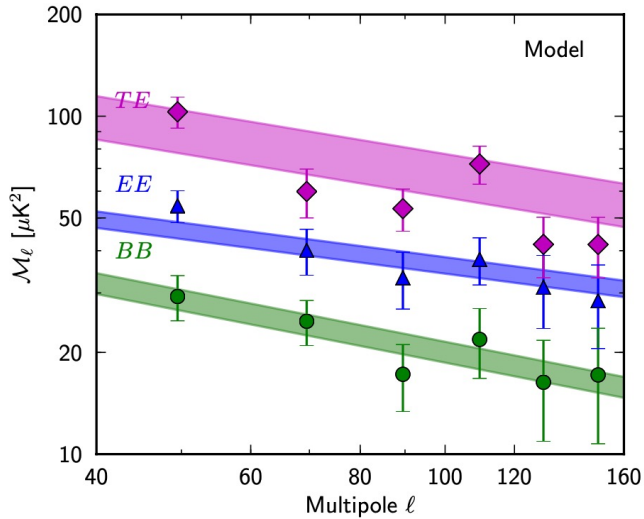
Implementation of multi-layer galaxy model

- a. Divide the total column density into a set of layers.
- b. Assign to each layer a different map of polarisation fraction and angle.
- c. Assign to each layer a different map of emission law parameters.
- a. Renormalise to match Planck dust polarization observations.

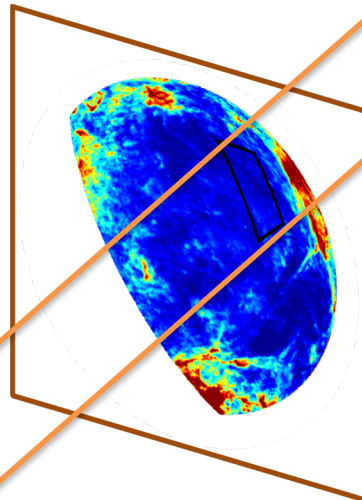
Layers of galactic emission



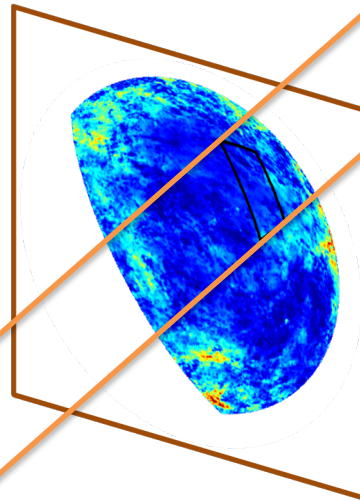
Line-of-sight integration



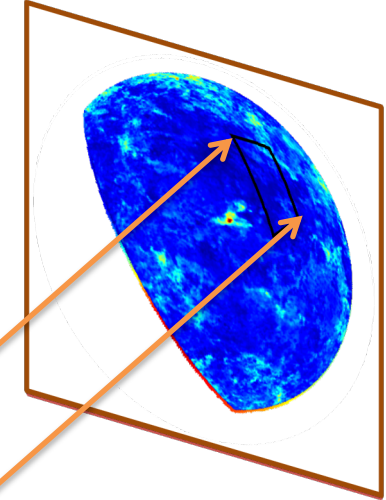
Ghosh et al. 2017
Vansyngel et al. 2017
Adak et al. 2021



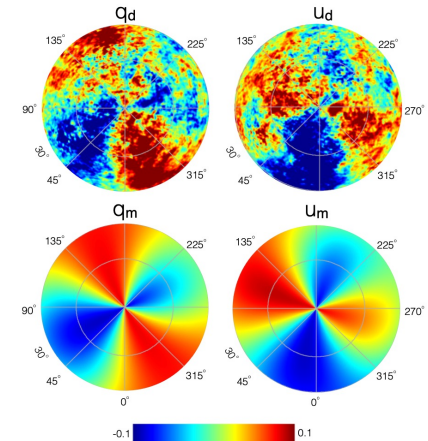
Dust in cold dense phase



Dust in thermally unstable phase



Dust in warm diffuse phase





CMB-Bharat – ‘ r ’ recovery

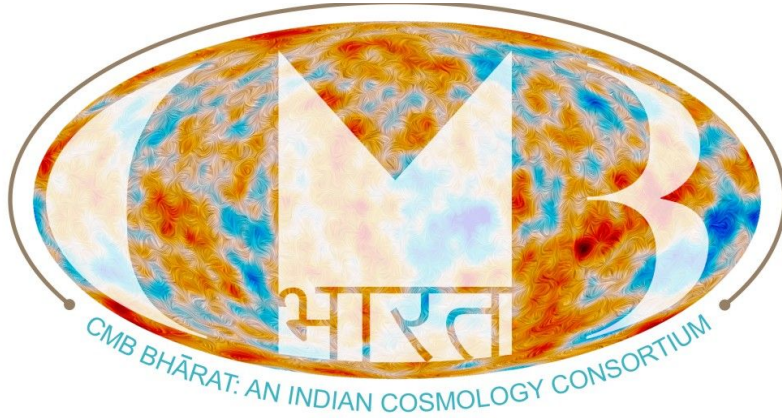


Table 3. Set of simulations used in the analysis. The tick and cross symbols indicate which components are added and excluded respectively for different sets. The dust and synchrotron models used are identified using nomenclatures listed in Table 2.

Sim.ID	Pipeline		Dust	Synchrotron	AME	point-sources	delensing	Decorrelation
	Commander	NILC						
SET1a	✓	✓	GNILC – dust	GALPROP	×	×	×	×
SET1b	✓	✓	GNILC – dust	GALPROP	✓	×	×	×
SET1c	✓	✓	GNILC – dust	GALPROP	✓	✓	×	×
SET1d	✓	✓	GNILC – dust	GALPROP	×	×	✓(84 %)	×
SET1e	✓	✓	GNILC – dust	Power – law	✓	✓	×	×
SET1f	✓	✓	GNILC – dust	Curved–power–law	✓	✓	×	×
SET2a	✓	✓	Gines – dust	GALPROP	✓	✓	×	✓
SET2b	✓	✓	Gines – dust	Power – law	✓	✓	×	✓
SET2c	✓	✓	Gines – dust	Curved–power–law	✓	✓	×	✓
SET3a	✓	×	TD – dust	GALPROP	✓	✓	×	×
SET3b	✓	×	TD – dust	GALPROP	✓	✓	×	✓

Table 1. ECHO instrument specification as proposed in the CMB-Bhārat proposal.

Frequency (GHz)	Beam FWHM (arcmin)	Q & U noise r.m.s (μ K.arcmin)
28	39.9	16.5
35	31.9	13.3
45	24.8	11.9
65	17.1	8.9
75	14.91	5.1
95	11.7	4.6
115	9.72	3.1
130	8.59	3.1
145	7.70	2.4
165	6.77	2.5
190	5.88	2.8
220	5.08	3.3
275	4.06	6.3
340	3.28	11.4
390	2.86	21.9
450	2.48	43.4
520	2.14	102.0
600	1.86	288.0
700	1.59	1122.0
850	1.31	9550.0

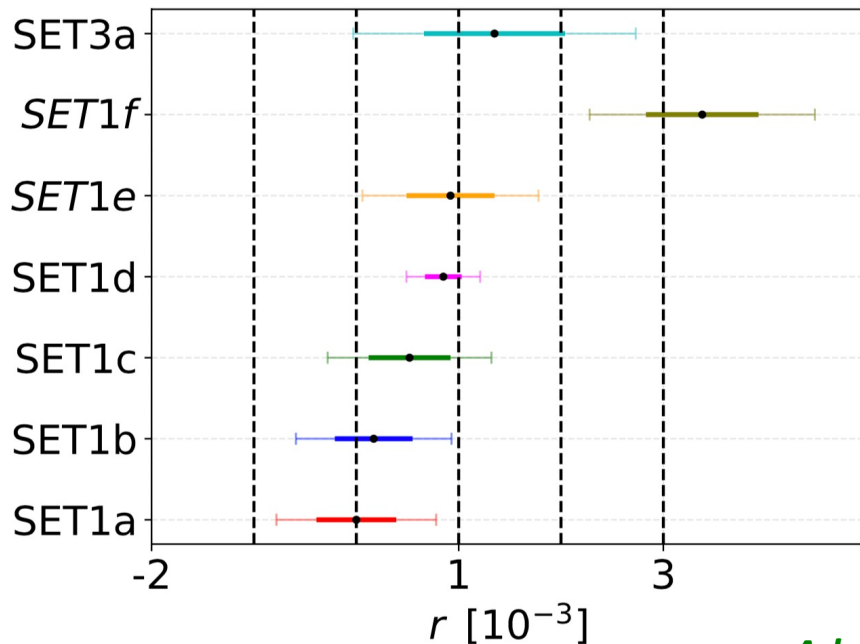
- To detect $r \sim 10^{-3}$ at 3σ significance
- 20 frequency bands between 28 and 850 GHz
- CMB polarization sensitivity: 1-2 μ K.arcmin



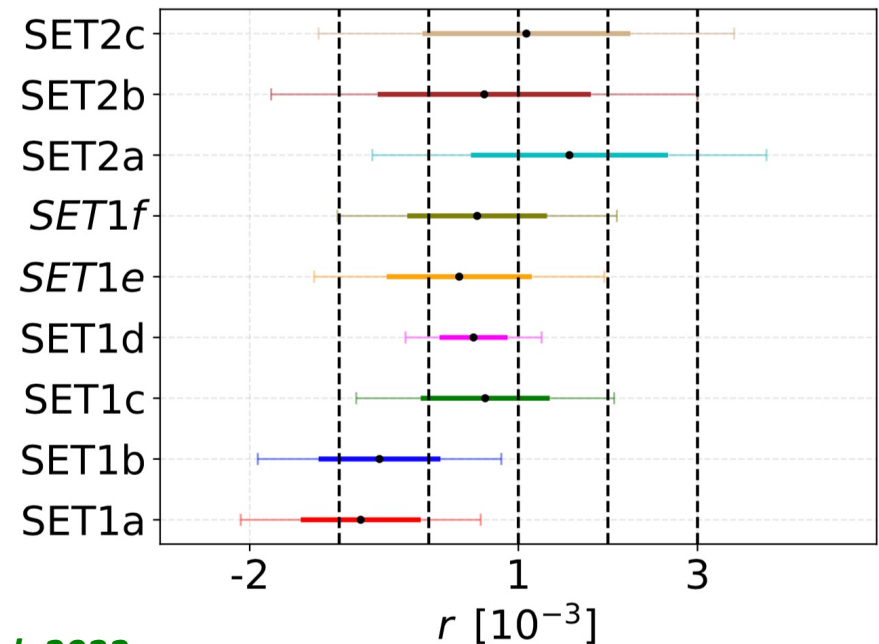
Component separation results

Input $r = 0$

Commander results



NILC results



Adak et al. 2022

- ✓ COMMANDER returns biased r values for curved power-law synchrotron model.
- ✓ COMMANDER returns biased r values in the presence of dust decorrelation.

- ✓ NILC handles well different emission law models of synchrotron, e.g. curved power law.
- ✓ NILC returns larger errorbar on r in the presence of dust decorrelation.

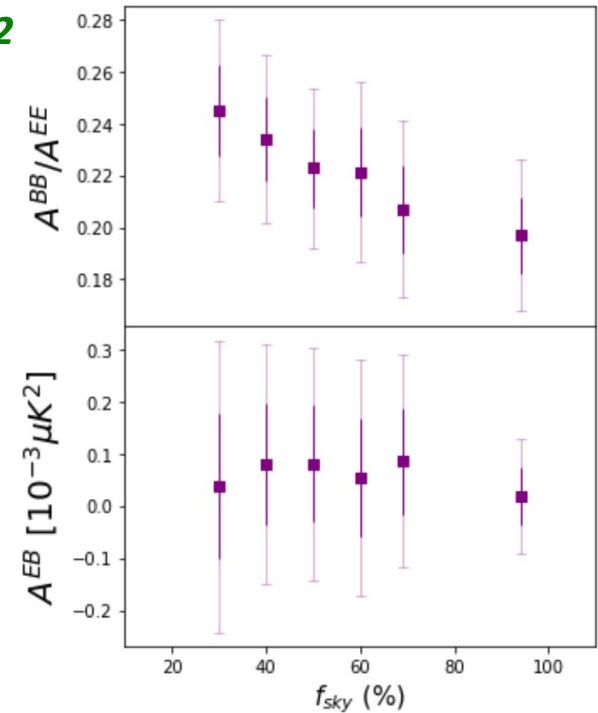
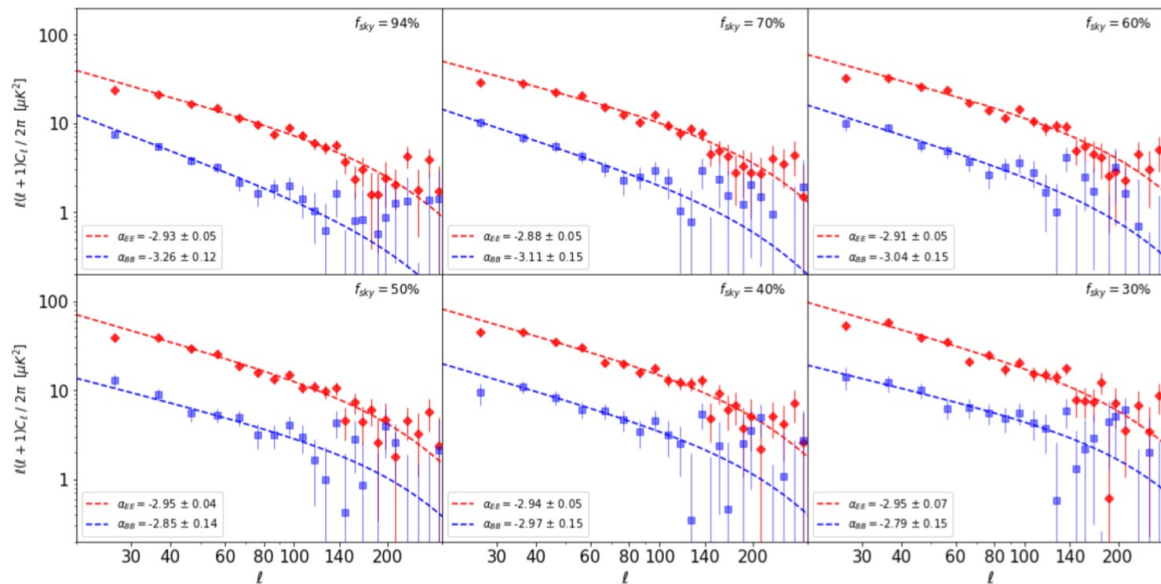


- Analysis of Planck, WMAP and ground-based CMB observations (BICEP/Keck, SPT, ACT, QUIJOTE, SPASS, CBASS) allowed a deeper understanding of foreground properties, complexities and contamination to CMB polarization.
- Foreground properties are mostly statistical and efforts are going on to include in the sky models like PSM and PysM with the expected level of complexity.
- This have triggered efforts in developing new component separation techniques.
- Foreground study is important to build robustness test for any future claim on new CMB discoveries (statistical isotropy, non-Gaussianity etc..).



Synchrotron spectral energy distribution

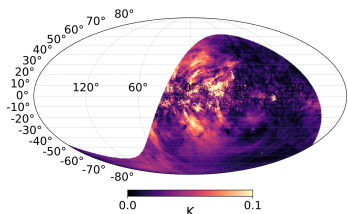
WMAP 23GHz x Planck 30GHz *Martire et al. 2022*



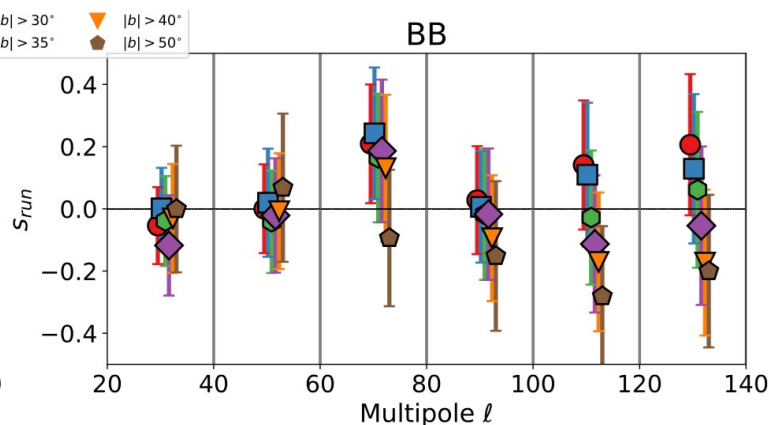
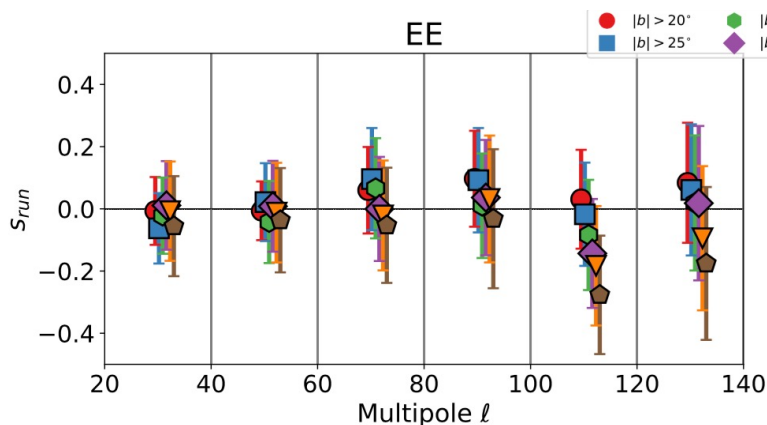
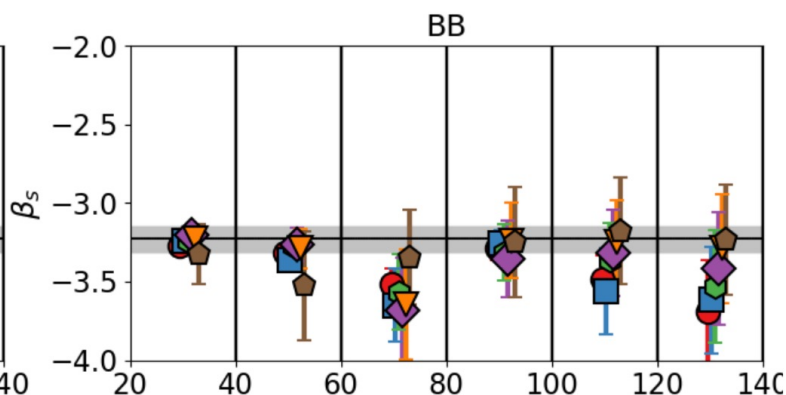
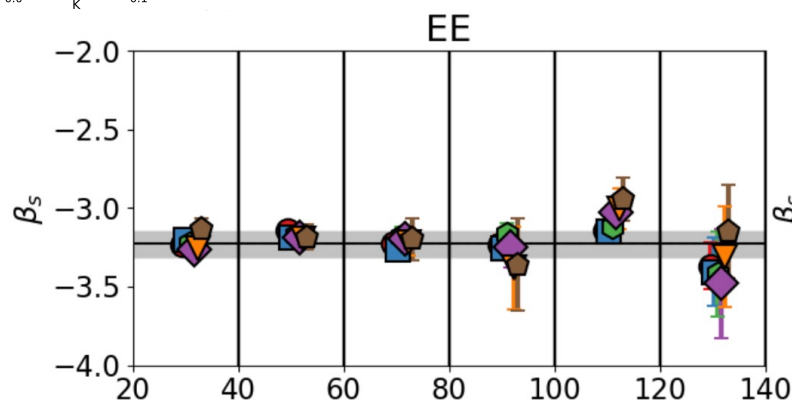
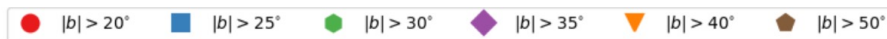
- **E-B** correlation consistent with zero
- **BB/EE** ratio ≤ 0.25 (large E-B asymmetry)
- Synchrotron power spectrum show steeper slope with respect to thermal dust (constraint up to $l = 200$ over larger sky portions)



Synchrotron SED combining SPASS and Planck/WMAP



$$D_\ell(\nu_1 \times \nu_2) = A_s \left(\frac{\nu_1}{\nu_0} \right)^{\beta_s + s_{run} \log(\nu_1/\nu_0)} \left(\frac{\nu_2}{\nu_0} \right)^{\beta_s + s_{run} \log(\nu_2/\nu_0)}$$



Krachmalnicoff et al. 2018

- ◆ Strong degeneracy between β_s and s_{run}
- ◆ Gaussian prior on spectral index from WMAP and Planck: $\beta_s = -3.13 \pm 0.13$
- ◆ s_{run} compatible with zero, with 1σ errors between 0.07 and 0.14