

PASCOS 2024

# New detector configuration for next-generation accelerator-based long-baseline neutrino experiments

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# Neutrino Oscillations

Talks on July 8 by Prof. J.W.F. Valle and on July 10 by Prof. S.K. Agarwalla, PASCOS 2024

$$P(\nu_\alpha \rightarrow \nu_\beta) = \left| \sum_j U_{\alpha j}^* U_{\beta j} e^{-\frac{m_j^2}{2E}L} \right|^2 \quad \text{such that} \quad U_{ij} = \begin{bmatrix} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta_{CP}} \\ -s_{12}c_{23} - c_{12}s_{13}s_{23}e^{i\delta_{CP}} & c_{12}c_{23} - s_{12}s_{13}s_{23}e^{i\delta_{CP}} & c_{13}s_{23} \\ s_{12}s_{23} - c_{12}s_{13}c_{23}e^{i\delta_{CP}} & -c_{12}s_{23} - s_{12}s_{13}c_{23}e^{i\delta_{CP}} & c_{13}c_{23} \end{bmatrix}$$

where,  $c_{ij} = \cos \theta_{ij}$ ,  $s_{ij} = \sin \theta_{ij}$  (for  $i, j = 1, 2, 3$  and  $\alpha, \beta = e, \mu, \tau$ )<sup>†</sup>.

**Table:** Global Fit of the oscillation parameters, assuming normal ordering (NO) ( $\nu$ Fit 5.3).

Parameter	$\sin^2 \theta_{12}$	$\sin^2 \theta_{13} (\times 10^{-2})$	$\sin^2 \theta_{23}$	$\delta_{CP} (^\circ)$	$\Delta m_{21}^2 (10^{-5} \text{eV}^2 / c^4)$	$\Delta m_{31}^2 (10^{-3} \text{eV}^2 / c^4)$
Best fit	0.307	2.201	0.572	197	7.41	2.511

<sup>†</sup> Prog. Theor. Phys. 28, 870 (1962); Zhur. Eksptl'. i Teoret. Fiz. 34 (1958)

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## Unsolved Problems in Neutrino Oscillation Physics

### Leptonic CP Violation

- We ask whether  $\sin \delta_{CP} = 0$  or not?

### Neutrino Mass Hierarchy (MH)

- Whether neutrino MH follows normal ordering (NO) *i.e.*  $m_1 < m_2 < m_3$  or inverted ordering (IO) *i.e.*  $m_3 < m_1 < m_2$  is still a question.

### Mixing angle $\theta_{23}$

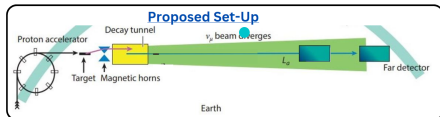
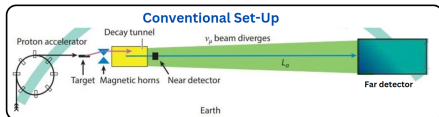
- Whether  $\theta_{23}$  follows maximal mixing *i.e.*  $45^\circ$ , or prefers lower octant (LO,  $\theta_{23} < 45^\circ$ ) to higher octant (HO,  $\theta_{23} > 45^\circ$ ) is of interest to pursue.

Talk by [Quyen Phan To](#), July 9, PASCOS 2024

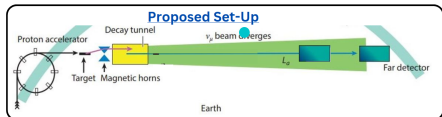
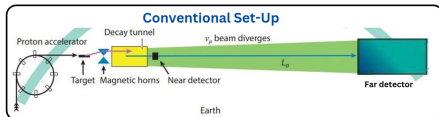
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# MOTIVATION

$$N_{\nu\beta} \propto \overbrace{\Phi_\alpha(E)}^{\text{Production}} \times \underbrace{\frac{1}{L^2} P_{(\nu_\alpha \rightarrow \nu_\beta)}(E, L, \rho; \theta_{12}, \theta_{13}, \theta_{23}, \Delta m_{21}^2, \Delta m_{31}^2, \delta_{CP})}_{\text{Propagation}} \times \overbrace{\sigma(E)}^{\text{Interaction}} \times \underbrace{\epsilon}_{\text{Detection}}$$



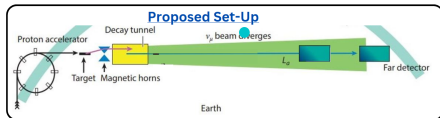
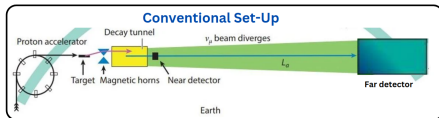
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## Conventional approach:

- Uses near-site detector (ND) (<1km) to put constraint on the unoscillated neutrino energy spectra.
- Predicts the far-detector (FD) spectra for a specific set of oscillation parameters.
- The use of an ND typically reduces systematics due to (*flux* × *cross-section*) convolution from (10 ~ 15)% to ~5% on the event rate.

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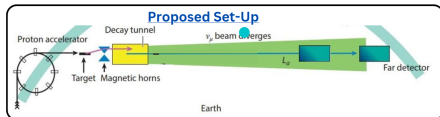
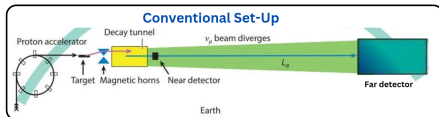
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### New Set-up:

- **Uses no Near Detector.** Instead a 2nd FD at different baseline of same detector volume as that of the 1st FD is considered.
- The combined fiducial mass is kept intact as that of the single FD as in the conventional approach.
- The role of 2nd detector is not to directly constraint the un-oscillated spectra but to measure the oscillated spectra at a different oscillation length.



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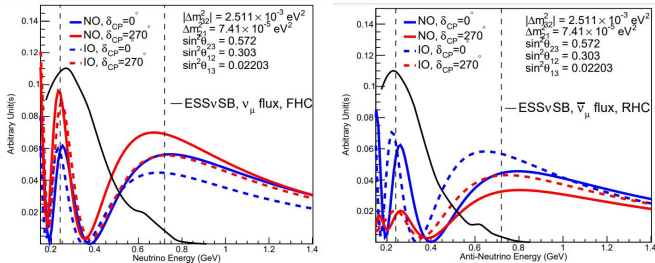
With the proposed set-up, relatively large statistics with high power beam (eg. ESS/ SB 5MW, T2HK and DUNE ≈ MW) can be achieved. Even with large uncertainty in the flux, the correlation in the flux, cross-section and detector response may constrain themselves via the multi-detector data fit.

# Experiments' Specifications: ESS $\nu$ SB<sup>a</sup>

GLOBES<sup>b</sup> is used to simulate the statistical significance of the experiment.



Baseline:	360km
Beam Power:	5MW
Det. Target:	Water Cherenkov $\dagger(\nu + \bar{\nu})$ runtime.
Det. Volume:	538 ktons
Runtime:	(5+5) $\dagger$ years

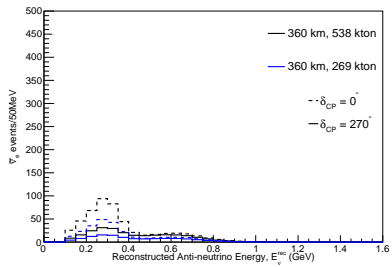


**Figure:**  $P_{\mu e}$  ( $P_{\mu \bar{e}}$ ) vs  $E$  for NO (solid) and IO (dashed) for  $\delta_{CP} = 0$  (blue) and  $270^\circ$  (red) values is shown in the left (right) plot. The fluxes are given by black solid curves.

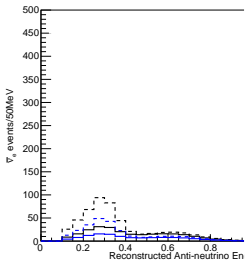
<sup>a</sup> Eur.Phys.J.ST 231 (2022) 21, 3779-3955. <sup>b</sup> Comput. Phys. Commun. 177 (2007) 432.

N.B. We acknowledge Dr. M. Ghosh of ESS $\nu$ SB Collab. for sharing the GLOBES-AEDL file.

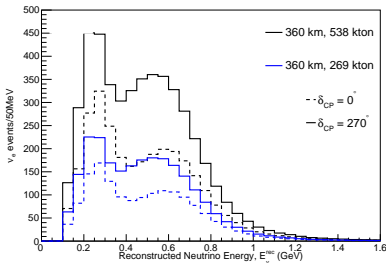
### Appearance Event Spectra, ESSvSB Flux



Appearance Event Spectra



Appearance Event Spectra, ESSvSB Flux



**Figure:**  $\nu_e$  ( $\bar{\nu}_e$ ) appearance events as a function of reconstructed neutrino (anti-neutrino) energy for

- (a)  $\delta_{CP} = 0^\circ$  (dashed)
- (b)  $\delta_{CP} = 270^\circ$  (solid)

with a

- (i) **single far detector** and
- (ii) **two far-detectors**

of mass 269 ktons each, is shown in the right (left) plot.

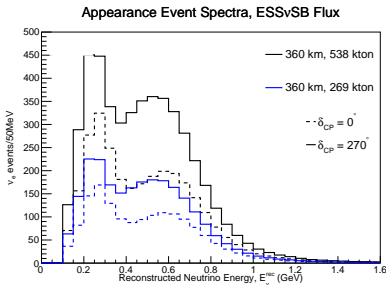
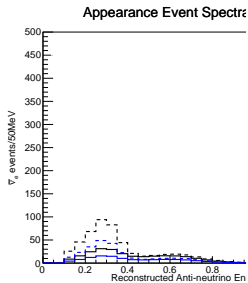


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## In search of the second baseline...

Appearance Probability,  $E_\nu = 0.24$  GeV, NO

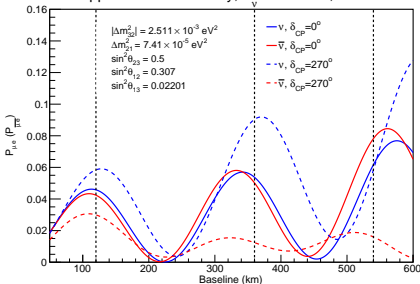
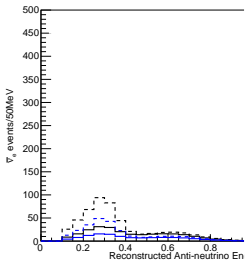


Figure:  $P_{\nu_\mu \rightarrow \nu_e}$  ( $P_{\bar{\nu}_\mu \rightarrow \bar{\nu}_e}$ ) as a function of baseline (in km).

Appearance Event Spectra



Appearance Event Spectra, ESSvSB Flux

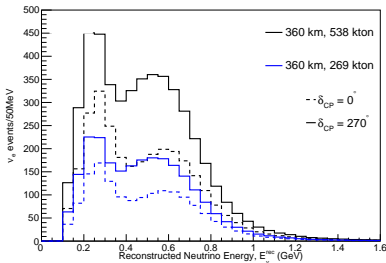


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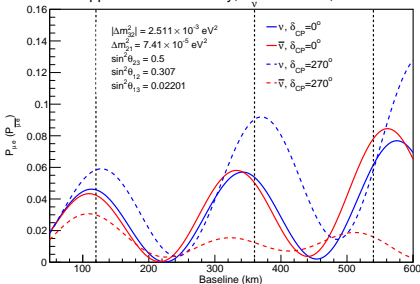


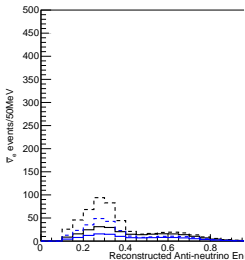
Figure:  $P_{\nu_\mu \rightarrow \nu_e}$  ( $P_{\bar{\nu}_\mu \rightarrow \bar{\nu}_e}$ ) as a function of baseline (in km).

- Oscillation maxima is observed for the case

$$\frac{\Delta m_{32}^2 L}{4E_n} \sim (2n - 1) \times 500 \frac{\text{km}}{\text{GeV}}$$

where  $E_n$  (GeV) is the energy of the nth oscillation peak/dip for a fixed baseline L.

Appearance Event Spectra



Appearance Event Spectra, ESSvSB Flux

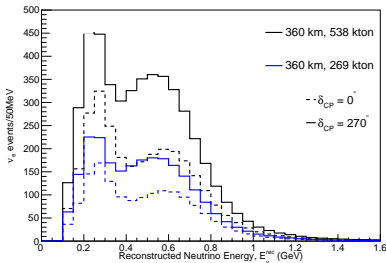


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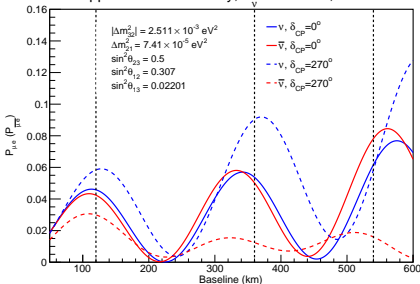


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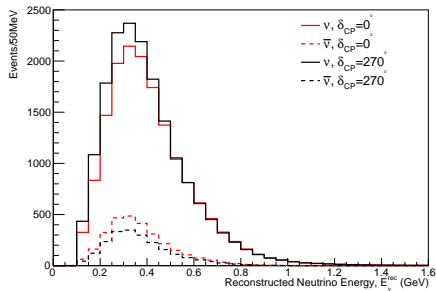
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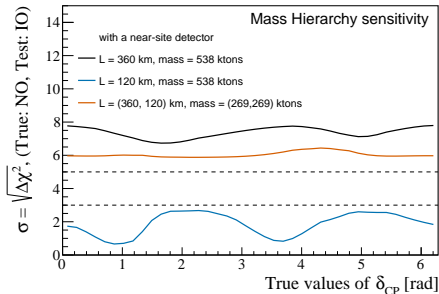
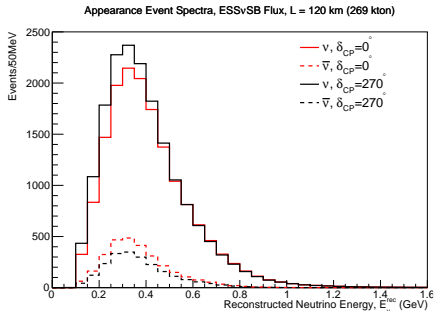
where  $E_n$  (GeV) is the energy of the  $n$ th oscillation peak/dip for a fixed baseline  $L$ .

- At fixed  $E=0.24$  GeV; 2nd oscillation maxima for  $L=360$ km and 1st oscillation maxima for  $L=120$  km are observed.
- Second FD placed at relatively lower baseline means higher statistics.

Appearance Event Spectra, ESSvSB Flux, L = 120 km (269 kton)





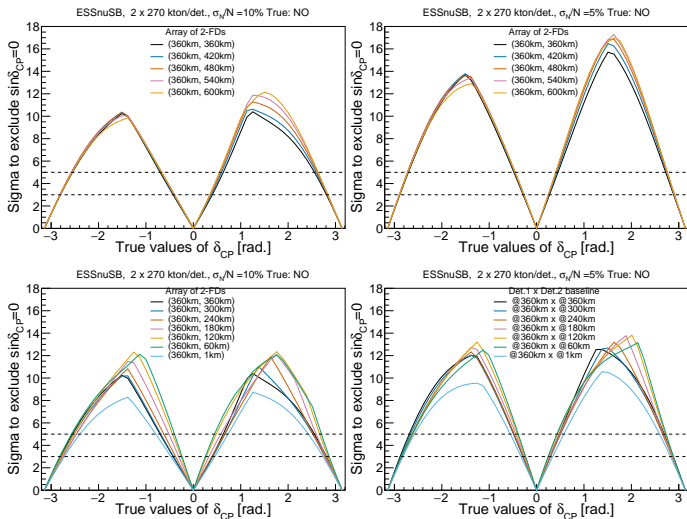


**Figure:** *Left:* Event Spectra for  $\nu_e$  (solid) and  $\bar{\nu}_e$  (dashed) events for  $\delta_{CP} = 0$  (red) and  $270^\circ$  (black) for  $L = 120\text{km}$ , using ESS $\nu$ SB flux profiles. *Right:* Mass Hierarchy sensitivity as a function of true  $\delta_{CP}$ .

# CPV sensitivity plots

The use of far-site detector typically reduce systematics due to flux  $\times$  cross section convolution from (10 – 15)% to  $\sim$  5% on the event rate.

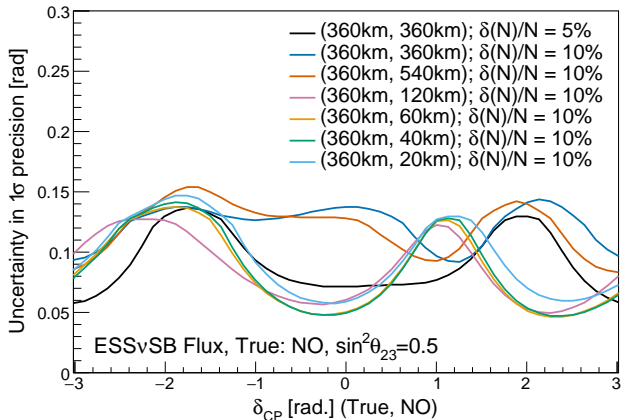
In these plots,  
**Systematic errors: 5%** represents a set-up of 2FDs *with* a near detector.  
**Systematic errors: 10%** represents a set-up of 2FDs *without* a near detector.



**Figure: CPV sensitivity plots.**

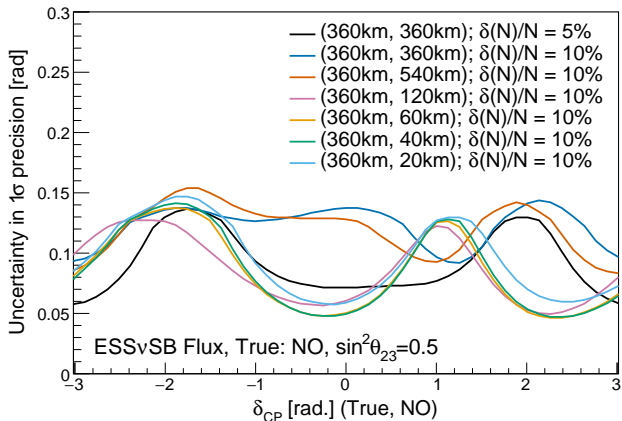
Top left: Array of 2 FDs with  $L_2 \geq 360\text{km}$  and 10% errors on signal event rates.  
Top right: Array of 2 FDs with  $L_2 \geq 360\text{km}$  and 5% errors on signal event rates.  
Bottom left: Array of 2 FDs with  $L_2 \leq 360\text{km}$  and 10% errors on signal event rates.  
Bottom right: Array of 2 FDs with  $L_2 \leq 360\text{km}$  and 5% errors on signal event rates.

## Result



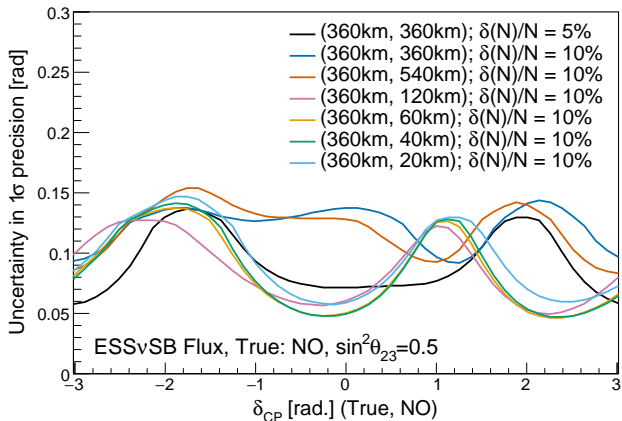
**Figure:** Uncertainty in  $1\sigma$  precision measurement of  $\delta_{CP}$ , considering a single detector FD of fiducial mass of 538kton with a ND (**black solid line**), compared to that of the cases without a ND with systematic errors of 10% for different FD baseline combinations.

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**Figure:** Uncertainty in  $1\sigma$  precision measurement of  $\delta_{CP}$ , considering a single detector FD of fiducial mass of 538kton with a ND (**black solid line**), compared to that of the cases without a ND with systematic errors of 10% for different FD baseline combinations. Uncertainty in  $1\sigma$  precision measurement of  $\delta_{CP}$ , **without a ND** when the 2nd FD is placed at (i) 540 km (**red solid curve**), (ii) 120 km (**pink**), (iii) 60 km (**orange**), (iv) 40km (**green**), and (v) 20km (**cyan**).

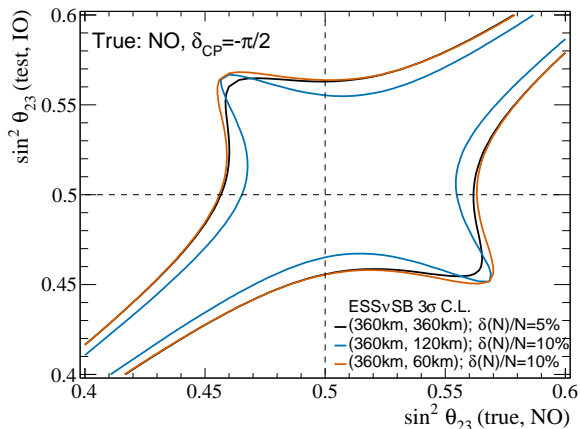
## Result



**Table:** Fraction of true  $\delta_{CP}$  values for which the proposed set-up **without a ND** gives better  $1\sigma$  precision of  $\delta_{CP}$ .

FD Array (in km)	Coverage (in %)
(360,120)	60
(360, 60)	60
(360, 40)	56
(360, 20)	43.8

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**Figure:** Allowed region of  $\sin^2 \theta_{23}$  at a  $3\sigma$  C.L. for:

- ESS $\nu$ SB with a ND (black solid line)
- 2nd FD placed at 120 km and without a ND (blue line).
- 2nd FD placed at 60 km and without a ND (orange line).

## Discussion & Future Scope

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- We investigate the new detector configuration with no near-site detector but multiple far-detectors placed at different baselines, and *it looks promising*.
- 2nd far-detector at 120 km and 60 km (**shorter baseline**) give better precision in the measurement of  $\delta_{CP}$  for  $1\sigma$  C.L, for 60% of the true values. Preliminary result shows that  $\theta_{23}$  can be measured with better precision if the 2nd detector is placed at 120 km.
- Next, we shall quantitatively estimate the precision on  $\theta_{23}$  and  $\theta_{13}$  and  $\mathcal{J}$ .
  - Precision measurements of  $\delta_{CP}$ ,  $\sin^2 \theta_{23}$  and  $\sin^2 2\theta_{13}$  for discrimination of lepton flavor models.
  - The magnitude of leptonic CPV violation doesn't only depend on  $\delta_{CP}$ , but is given by the parameterization independent parameter, Jarlskog invariant  $\mathcal{J}$ :

$$\mathcal{J} = \sin \theta_{12} \cos \theta_{12} \sin \theta_{23} \cos \theta_{23} \sin \theta_{13} \cos^2 \theta_{13} \sin \delta_{CP}$$

- . Thus, the precision measurement of  $\mathcal{J}$  also forms the future scope of this work.

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OPEN TO QUESTIONS & FEEDBACK...