

Jumping to Conclusions: Unbiased Cosmological Parameter Estimation from Emission Line Surveys with Interlopers

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with Donghui Jeong

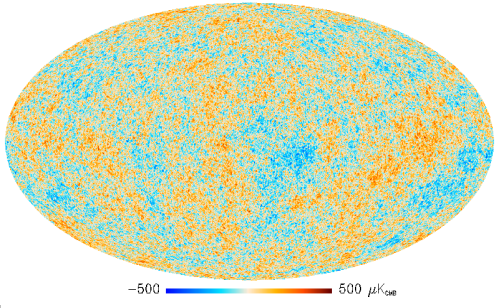
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15th Rencontres du Vietnam, 2019-08-16

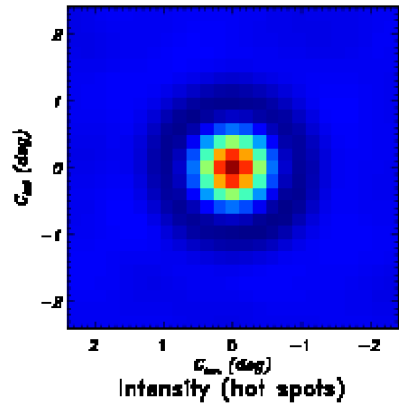
Outline

- Motivation
- Interlopers in Emission Line Surveys: HETDEX and *WFIRST*
- Spherical harmonic space
 - Projecting non-linearities, FoG
 - HETDEX and *Euclid* in spherical harmonic space
- Conclusion

Some things never change: BAO scale is frozen-in since recombination

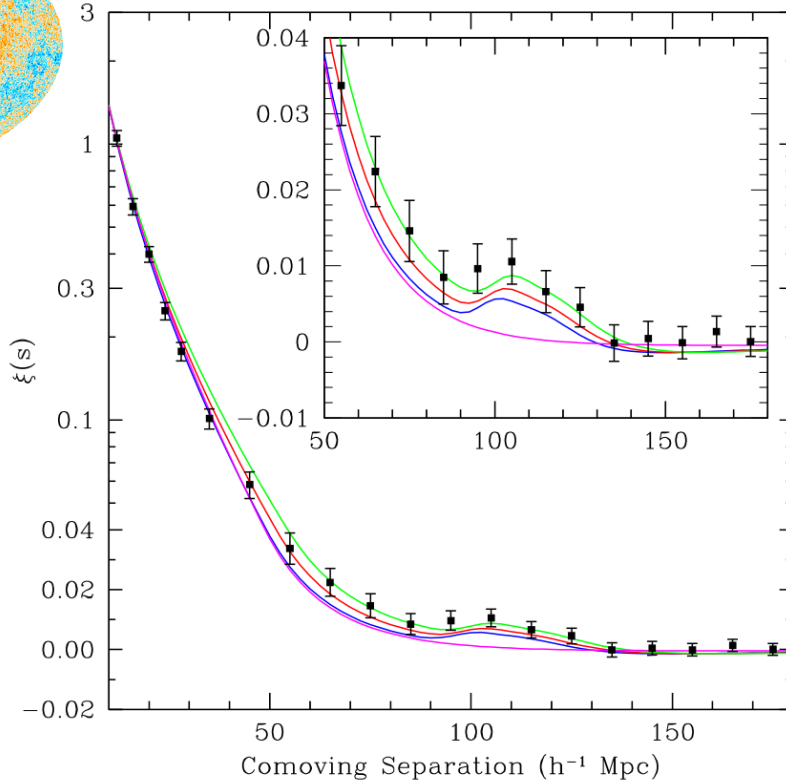


$z \sim 1000$



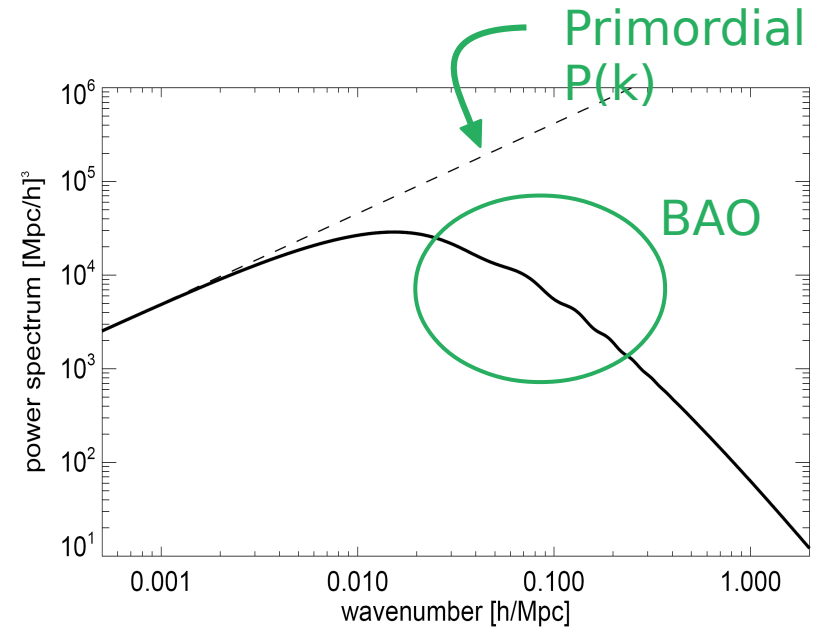
Planck 2014

BAO: baryon acoustic oscillations



Eisenstein et al 2005

$z \sim 0$



Power spectrum =
FourierTransform[Configuration-
space correlation function]

Using a Standard Ruler

- d_{BAO} given by CMB
- Can measure angular diameter distance $d_A(z)$ and Hubble parameter $H(z)$:

$$d_{\text{BAO}} = d_A(z) \Delta\theta = \frac{\Delta z}{H(z)}$$

- Both depend on dark energy:

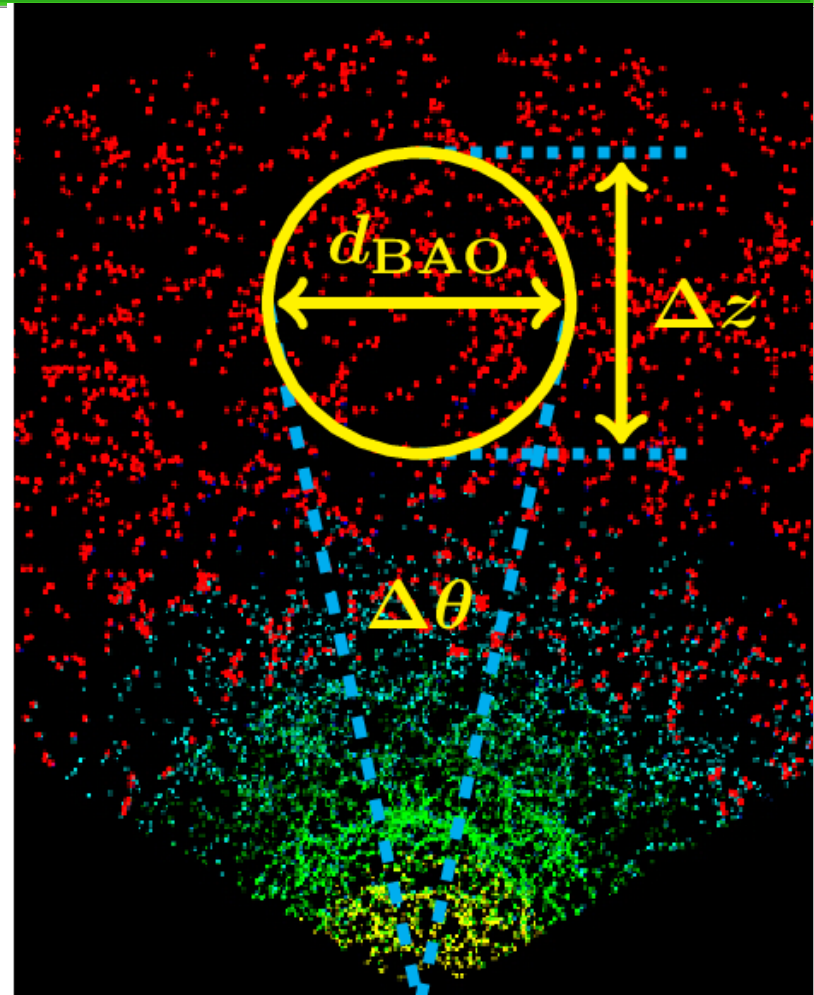
Baryons +
Cold Dark Matter

Curvature

Dark Energy

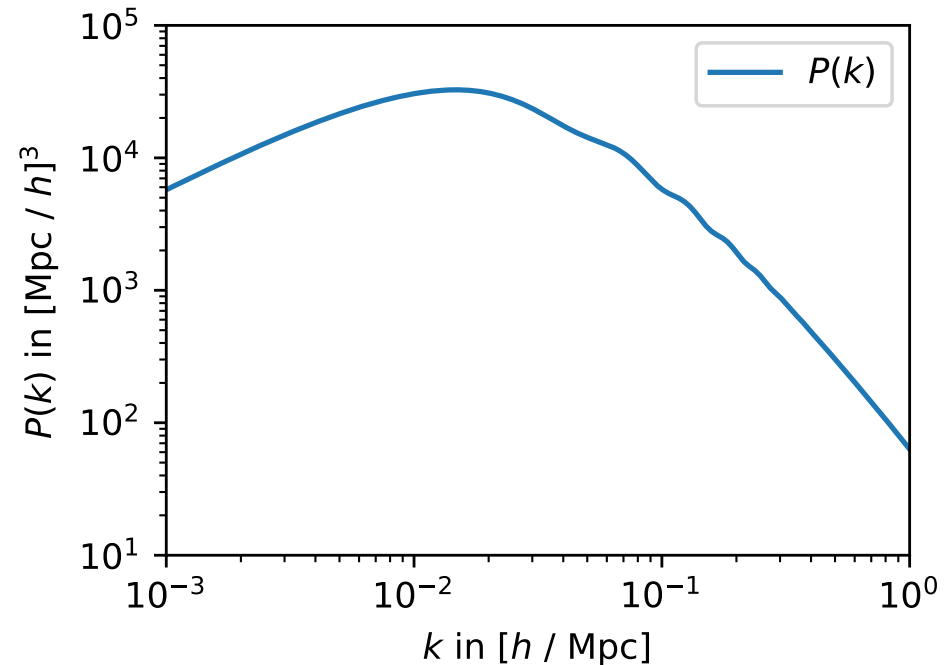
$$H^2(z) = H_0^2 \left[\Omega_m (1+z)^3 + \Omega_k (1+z)^2 + \Omega_{\text{DE}} (1+z)^{3(1+w)} \right]$$

$$d_A(z) = \frac{\chi(z)}{1+z} \left[1 - \frac{k}{6} \frac{\chi^2(z)}{R^2} \right], \quad \chi(z) = \int \frac{dz}{H(z)}$$



The power spectrum contains lots of cosmological information!

- Baryon acoustic oscillations (BAO)
→ Distances!
- Alcock-Paczynski test
→ Distances!
- Growth of structure
→ Test modified gravity
- Non-Gaussianity
- Neutrinos



Interlopers in HETDEX

- **Introduction**
 - **HETDEX: Instrument and Survey**
 - **Interlopers in HETDEX: Biased distance measurement!**
- Fixing interloper bias
 - Method: Joint fitting
 - Results: No interloper bias
- More future applications: *WFIRST*
- Caveats: Danger, danger!
- Spherical Harmonic Space



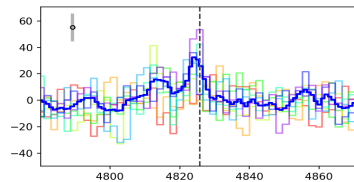
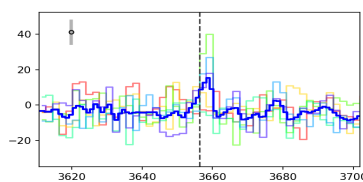
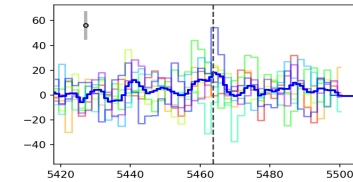
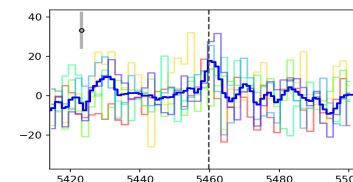
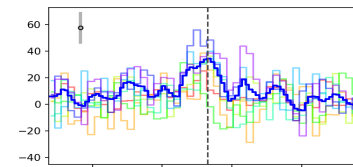
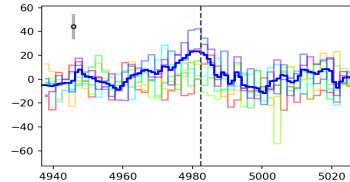
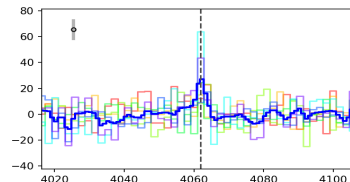
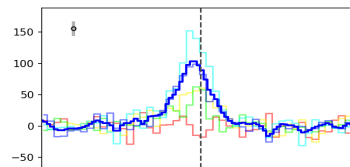
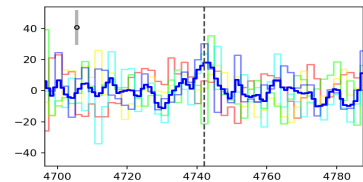
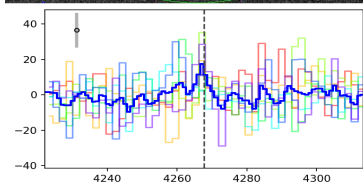
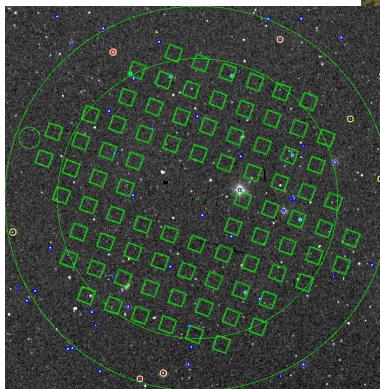
Grasshorn Gebhardt, Jeong, *et al.* 2019

HETDEX

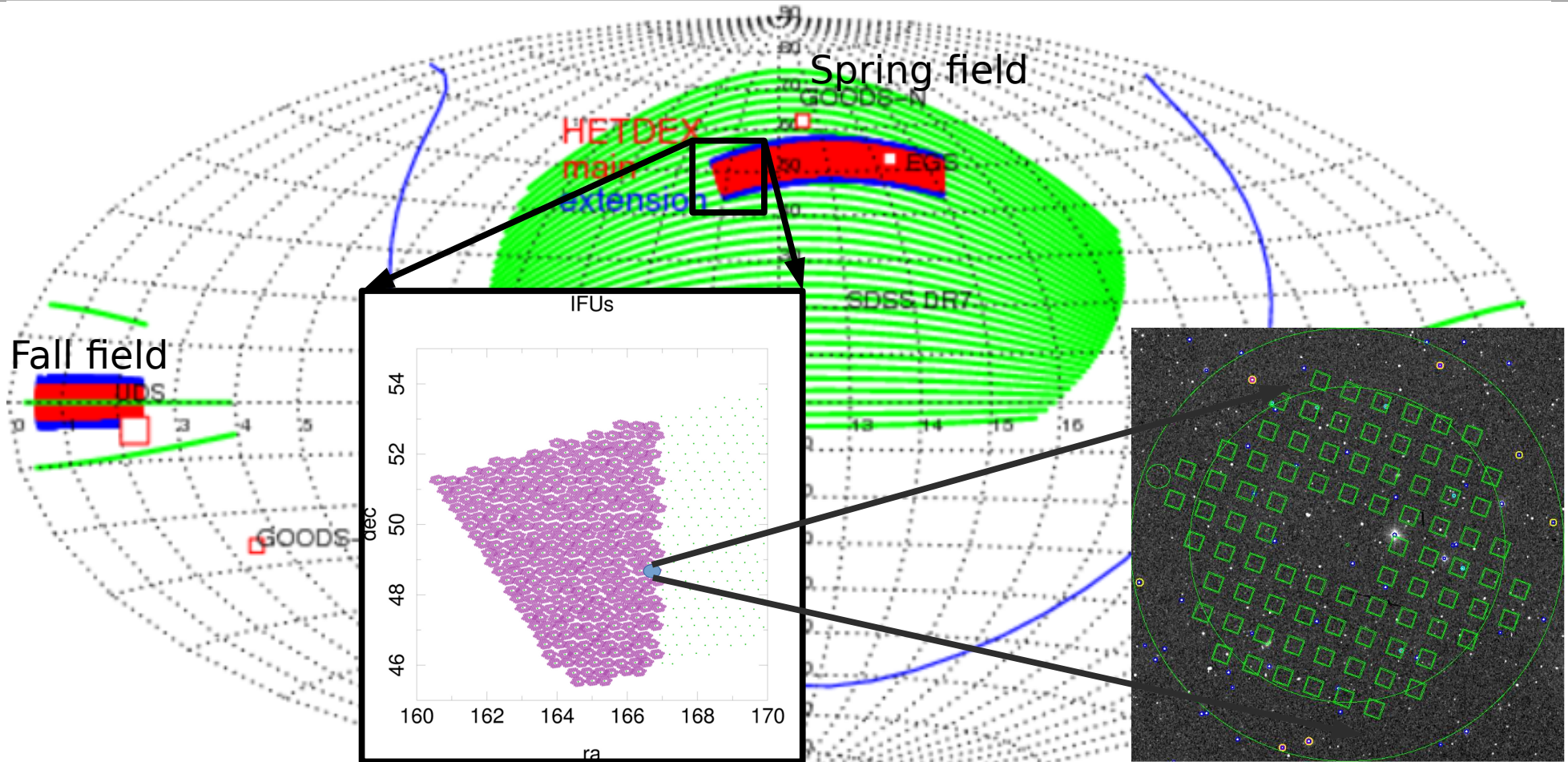


Hobby-Eberly Telescope Dark Energy eXperiment

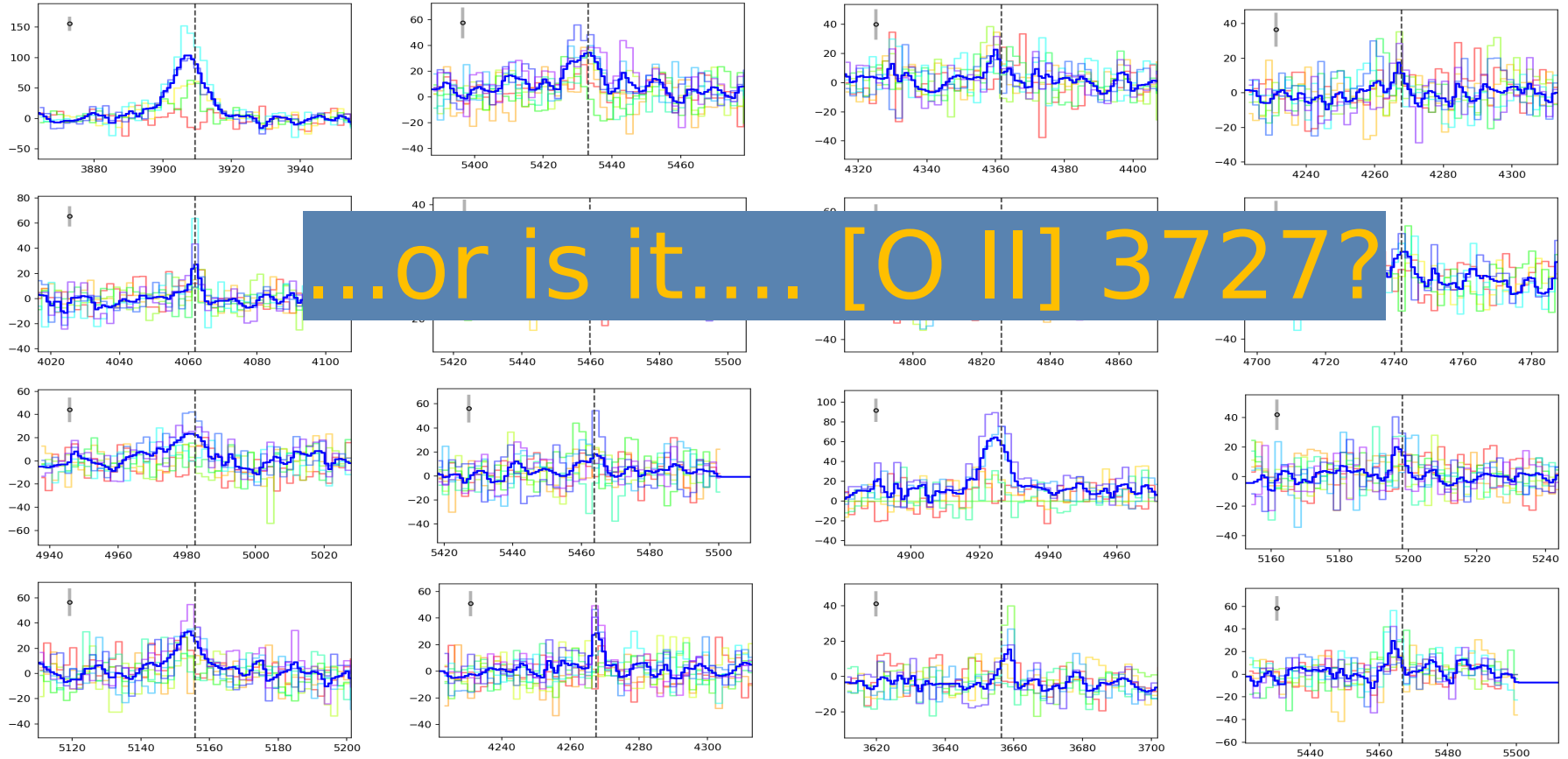
- 78 IFUs \rightarrow 35,000 spectra per exposure
 \rightarrow *blind* spectroscopic survey
- $R \sim 700$, $3500\text{\AA} < \lambda < 5500\text{\AA}$
- $f_{\text{sky}} = 1\%$ over 3 years
- $\sim 0.8 \times 10^6$ Ly- α emitters (LAE)
 $1.9 < z < 3.5$
- $\sim 1.6 \times 10^6$ [O II] 3727 emitters
 $z < 0.5$



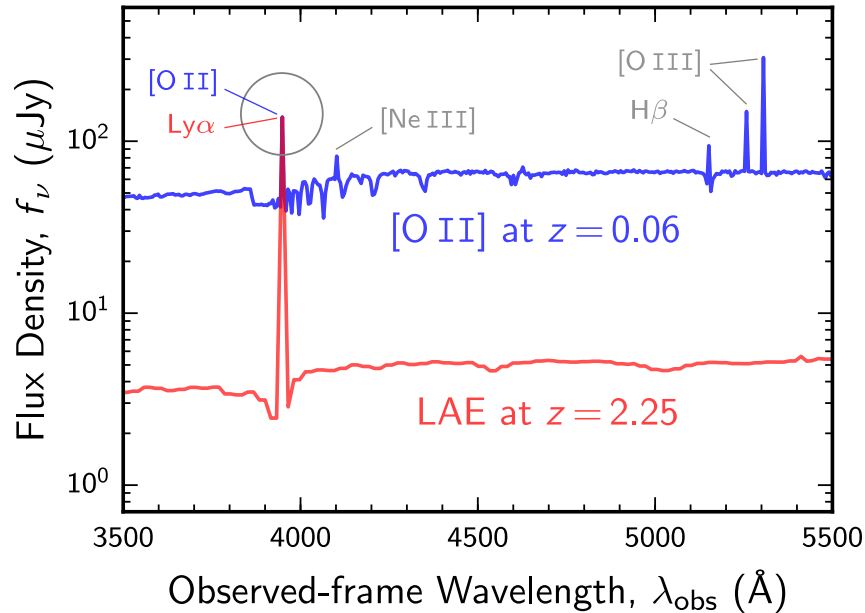
Survey footprint



HETDEX finds Ly- α !



LAE and OIIE identification



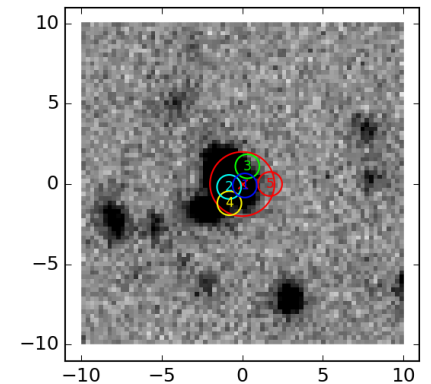
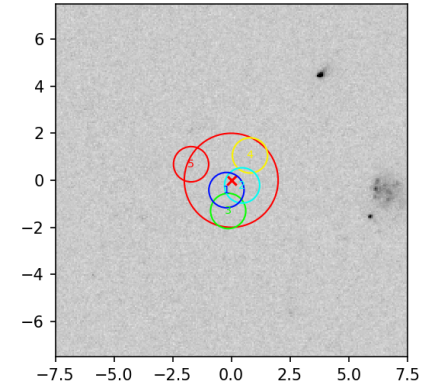
$$\lambda_{\text{obs}} = (1 + z_\alpha) \lambda_\alpha = (1 + z_{[\text{O II}]}) \lambda_{[\text{O II}]}$$

Leung+ 2017

$$EW = \frac{F_{\text{line}}}{f_{\text{continuum}}}$$

LAE?
EW > 20 \AA

[O II]?
EW < 20 \AA

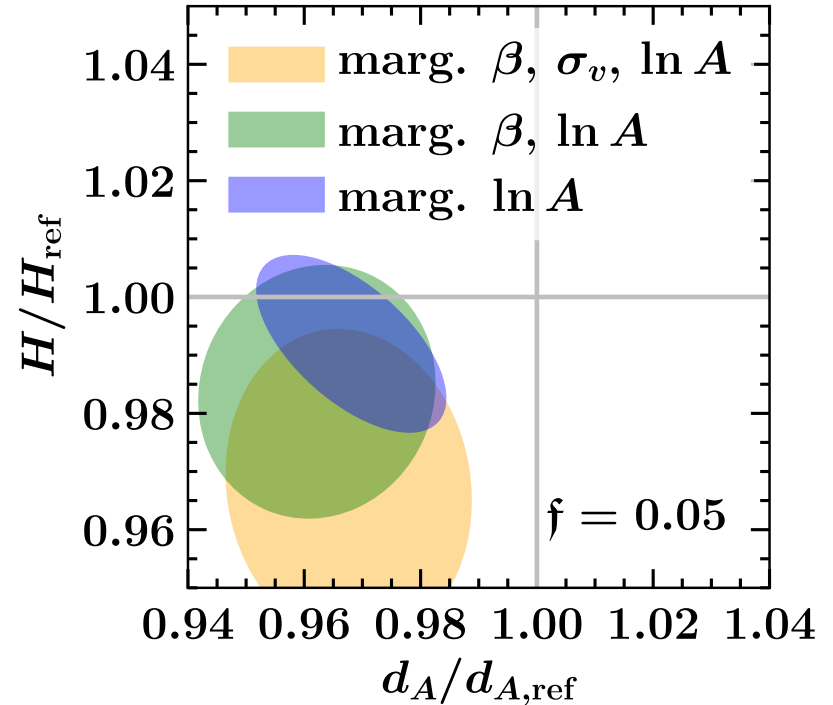
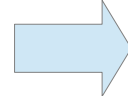


Contamination introduces *Interloper Bias*

LAE sample



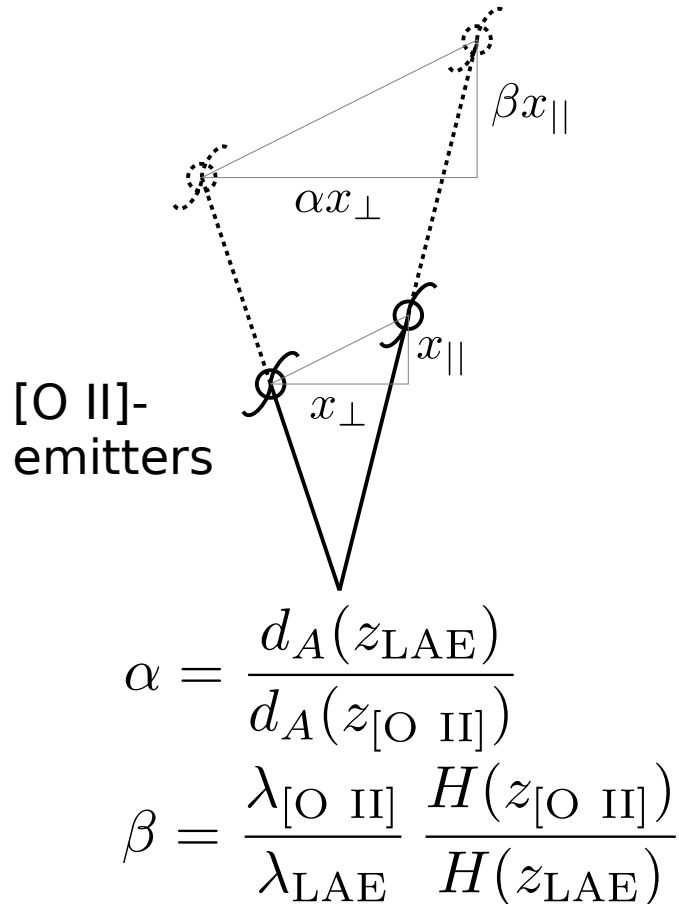
$$f = \frac{N_{[\text{O II}]}^{\text{misidentified}}}{N_{\text{LAE}}^{\text{total}}}$$



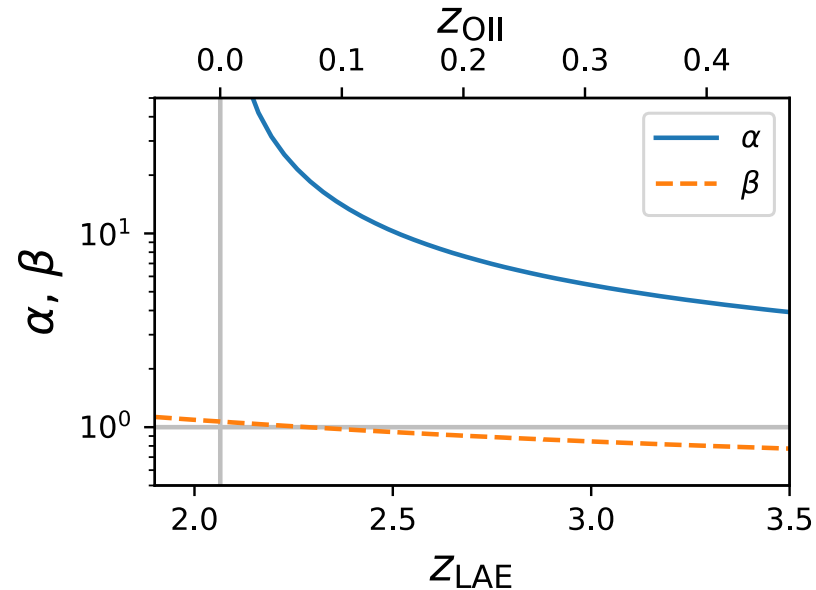
Interlopers bias the cosmological measurements! :(

How do interlopers affect
the power spectrum?

Interlopers project small scales to large scales, small volume to large volume

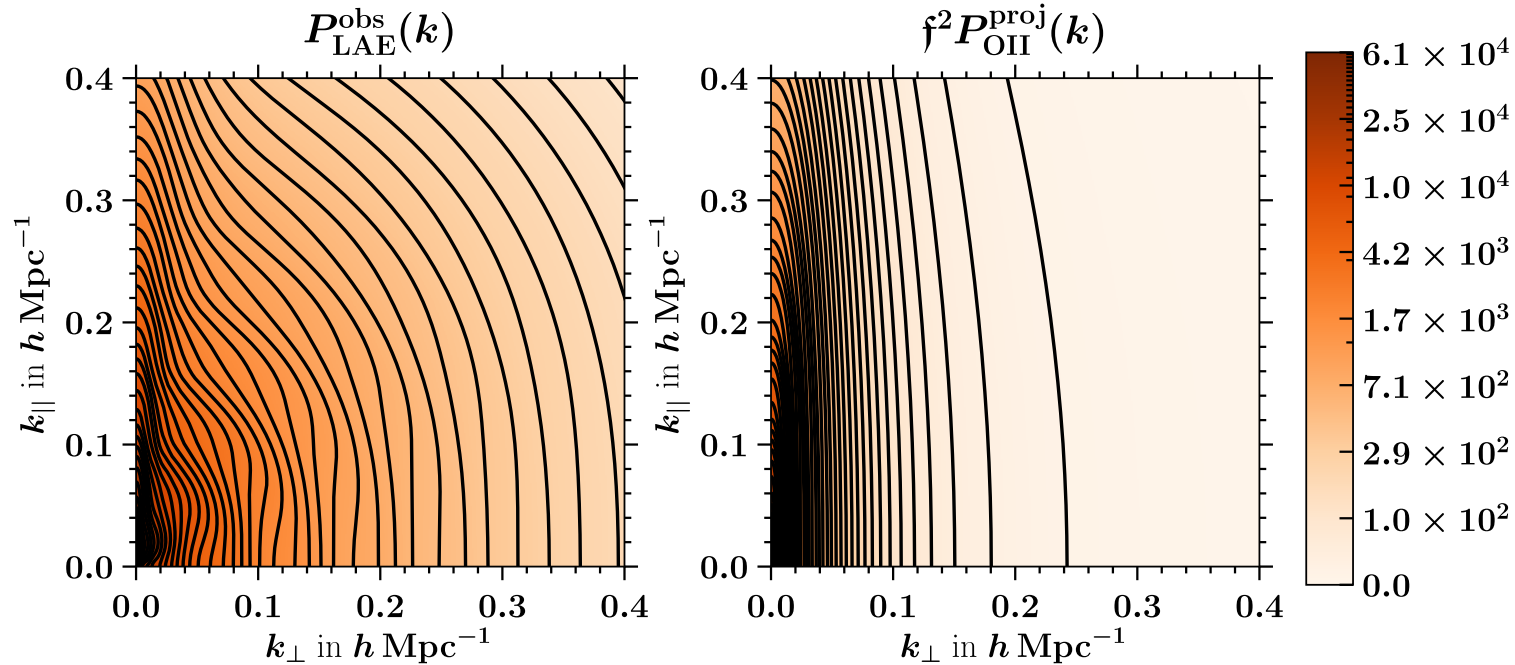


- Small volume gets projected to large volume $V \propto \alpha^2 \beta$
- Small scales get projected to large scales $\alpha \sim 7$
- Observed anisotropy $\alpha \neq \beta$



Effect on Power Spectrum

$$P_{\text{LAE}}^{\text{obs}}(\mathbf{k}) = (1 - f)^2 P_{\text{LAE}}(\mathbf{k}) + f^2 P_{\text{OII}}^{\text{proj}}(\mathbf{k})$$



$$f = g = 0.1$$

All power spectra are projected into the LAE volume.

Talk Outline

- Introduction
 - Cosmology with HETDEX
 - Interlopers in HETDEX: Biased distance measurement!
- **Fixing interloper bias**
 - **Method: Joint fitting**
 - **Results: No interloper bias**
- More future applications: WFIRST
- Caveats: Danger, danger!
- Spherical Harmonic Space

Joint fitting!

LAE sample



$$f = \frac{N_{\text{misidentified}}}{N_{\text{LAE}}^{\text{total}}} \sim 1\%$$

Joint fitting!

LAE sample



$$f = \frac{N_{[O II]}^{\text{misidentified}}}{N_{\text{LAE}}^{\text{total}}} \sim 1\%$$

[O II]-emitter sample

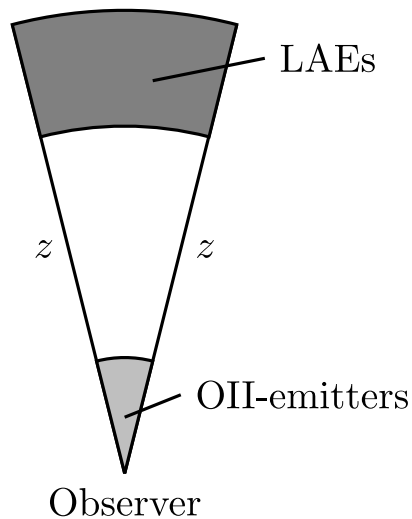


$$g = \frac{N_{\text{LAE}}^{\text{misidentified}}}{N_{[O II]}^{\text{total}}} \sim 0-10\%$$

Cross-correlation vanishes in the absence of interlopers

The cross-correlation between LAEs and [O II]-emitters should be zero due to their large physical separation.

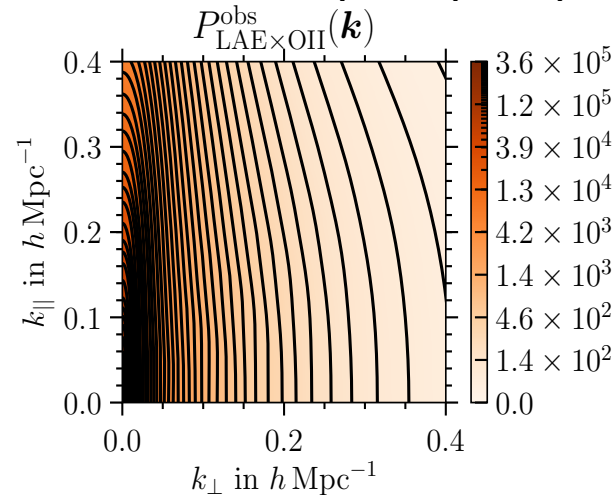
If it isn't zero, then there are interlopers.



Without interlopers:

$$\mathbf{P}_{\text{LAE} \times \text{OII}}(\mathbf{k}) \approx \mathbf{0}$$

With interlopers (10%):

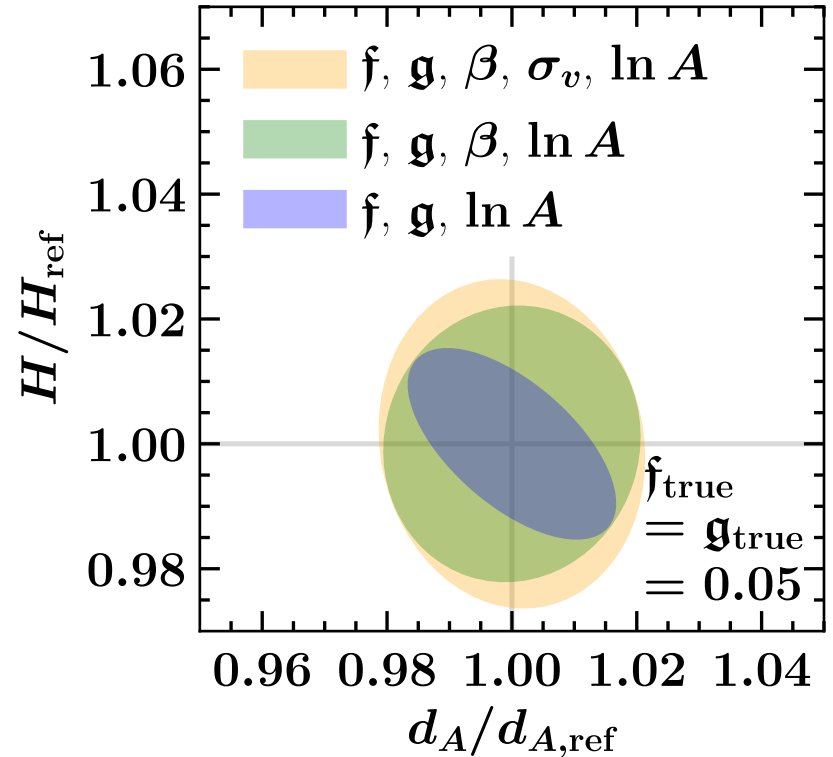
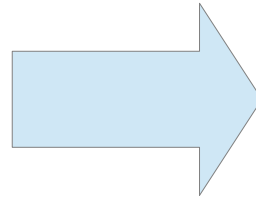


Joint fitting: No more interloper bias!

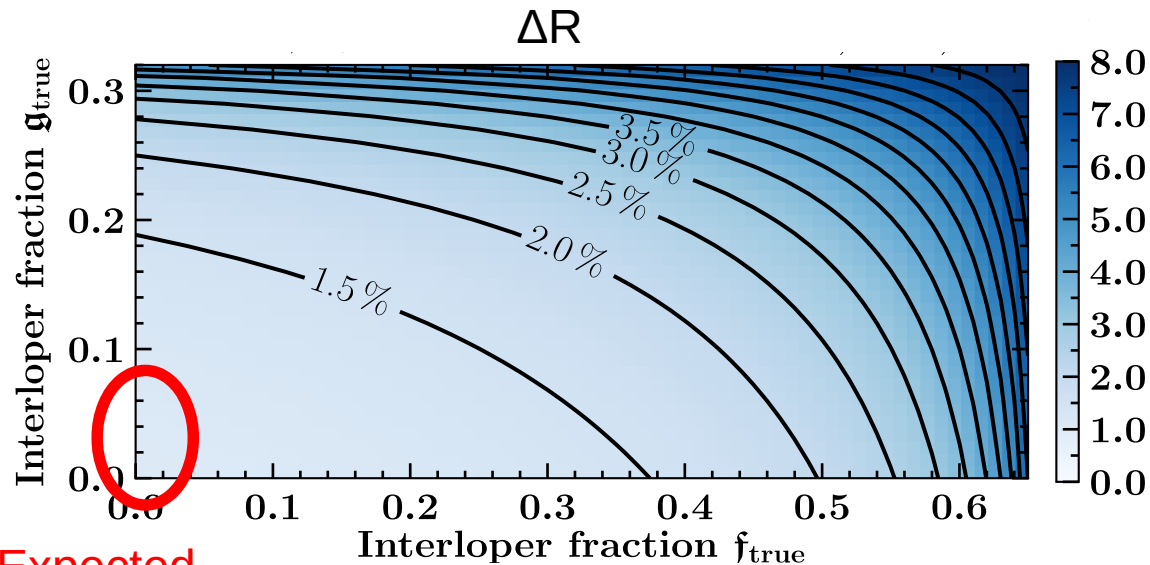
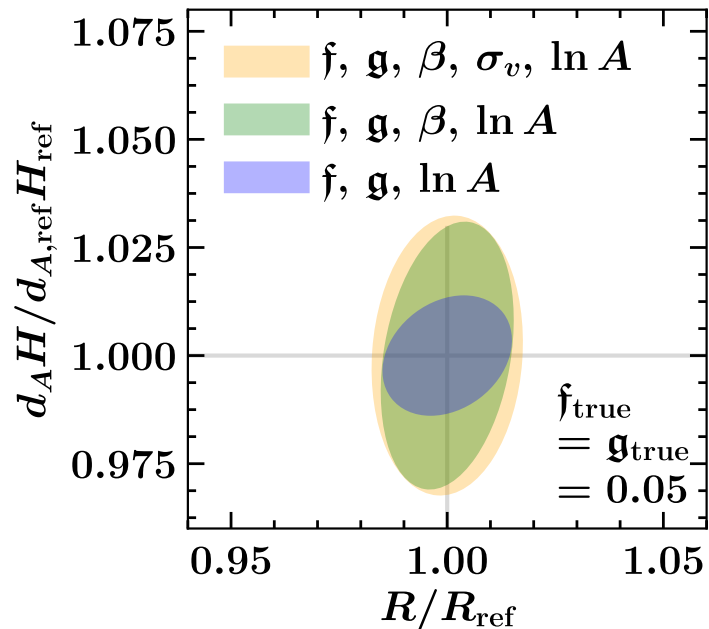
LAEs:



[O II]-emitters:



Joint fitting: R and $d_A H$

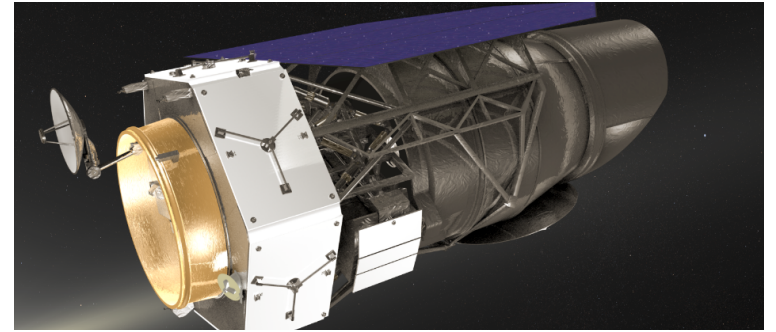


Expected
for HETDEX
 $\Delta R \sim 1\%$

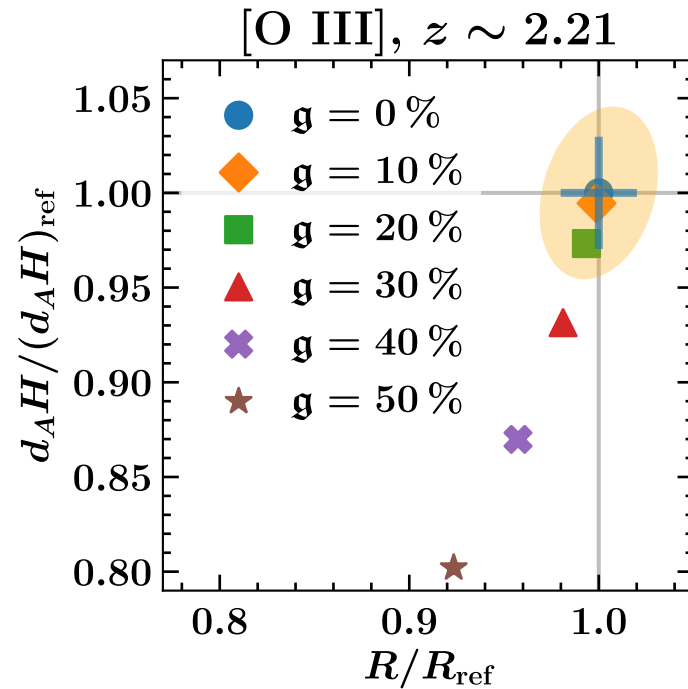
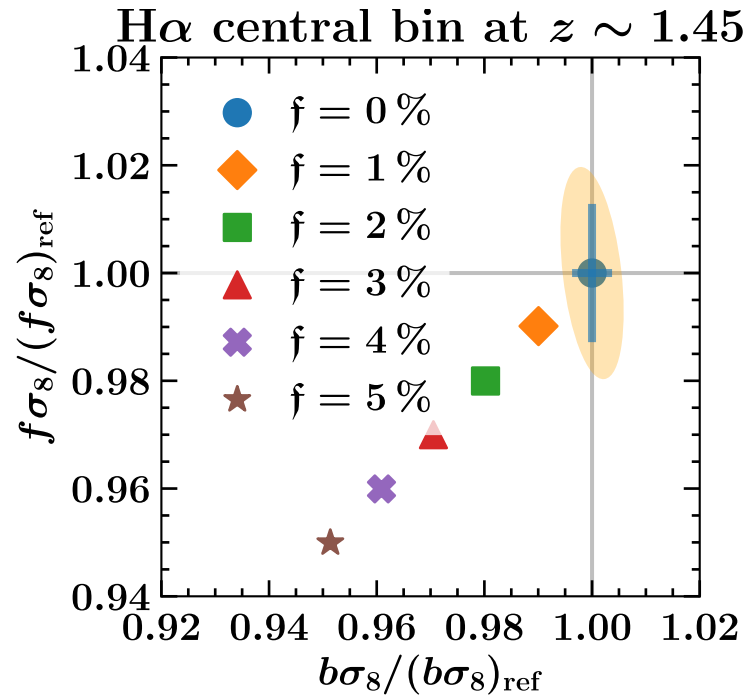
$$R = (d_A^2 / H)^{\frac{1}{3}} \quad (\text{from BAO})$$

Beyond HETDEX: *WFIRST*

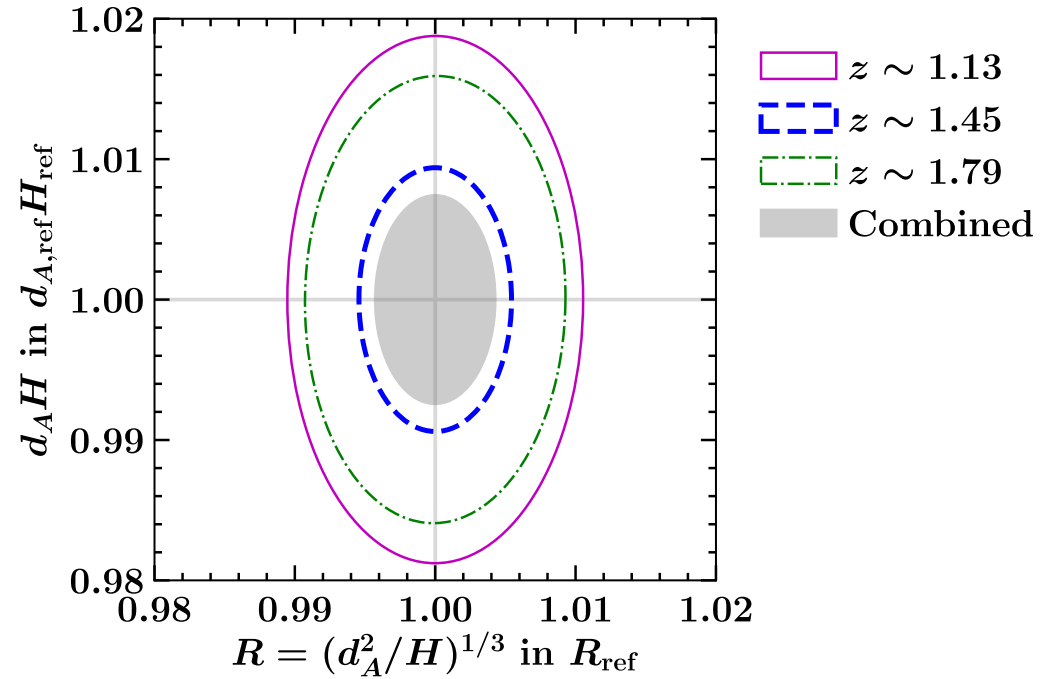
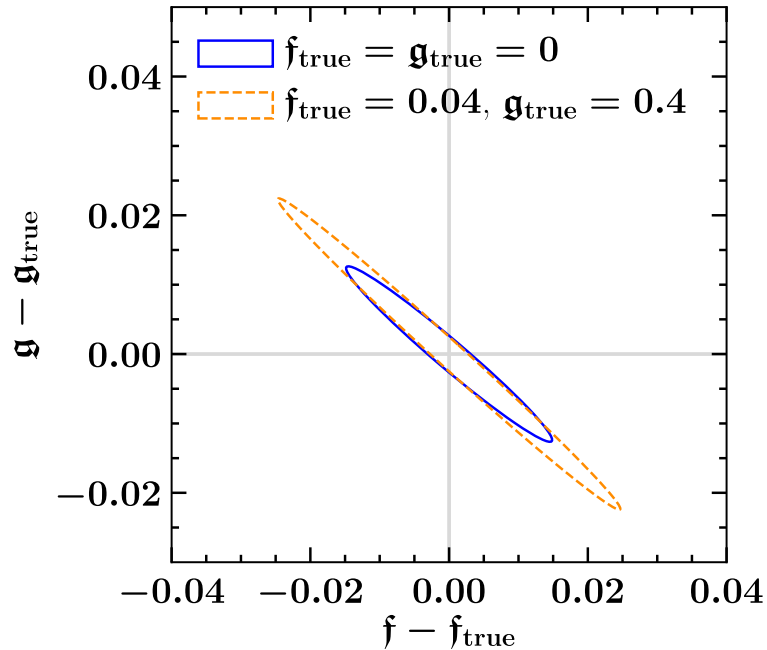
- $f_{\text{sky}} \sim 5\%$
 - $\text{H}\alpha$ at $1.0 < z < 1.88$ ($\sim 1.6 \times 10^7$ objects)
 - $[\text{O III}] \lambda 5007$ at $1.7 < z < 2.77$ ($\sim 1.4 \times 10^6$)
- Interlopers overlap in redshift!
- Split into three regions:
- $z < 1.2$: Absence of second line identifies $\text{H}\alpha$
 - $1.2 < z < 1.7$: Fit for interloper fractions
 - $1.7 < z$: Presence of both lines identifies redshift



WFIRST: Interloper Bias



WFIRST: Joint fitting removes interloper bias



Combined: $\Delta R \sim 0.3\%$, agrees with WFIRST paper (Spergel *et al.* 2015)

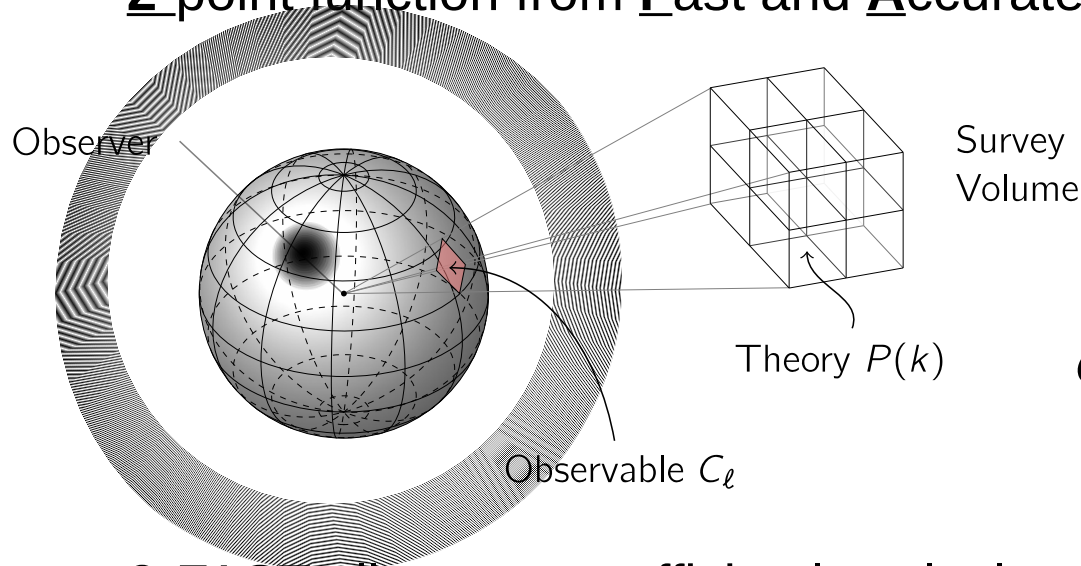
Caveats: Danger, danger!

- **Limited to small-area surveys (flat-sky approximation)**
- **“Odd” cross-correlation:** Awkward projection of OIIEs into LAE volume to get the angular cross-correlation.
- **No lensing:** Light from LAEs must pass through matter distribution associated with the OIIEs. → Intrinsic cross-correlation is actually non-zero!
- **No redshift evolution** (e.g. Volume effects, growth of structure, evolution of luminosity function)

→ Going to spherical harmonic space will solve all of these!

2-FAST algorithm: projecting the 2-point function into spherical harmonic space

2-point function from **F**ast and **A**ccurate **S**pherical Bessel **T**ransform



$$C_\ell(r, r') \simeq \frac{2}{\pi} \int_0^\infty dk k^2 P(k) j_\ell(kr) j_\ell(kr')$$

2-FAST allows us to efficiently calculate spherical harmonic projection with linear Kaiser effect.

... but may also be useful for perturbation theory!

Grasshorn Gebhardt & Jeong 2018

More Spherical Harmonic Problems to Solve: Projecting non-linear terms

- Non-linear terms in $P(k)$ → Integral diverges!

→ Fingers of God (FoG): Bang!

→ Non-linear Kaiser: Bang!

$$C_\ell(r, r') \simeq \frac{2}{\pi} \int_0^\infty dk k^2 P(k) j_\ell(kr) j_\ell(kr')$$

- Solution:

→ FoG result in convolution of $C_\ell(r, r')$ with Gaussian or exponential

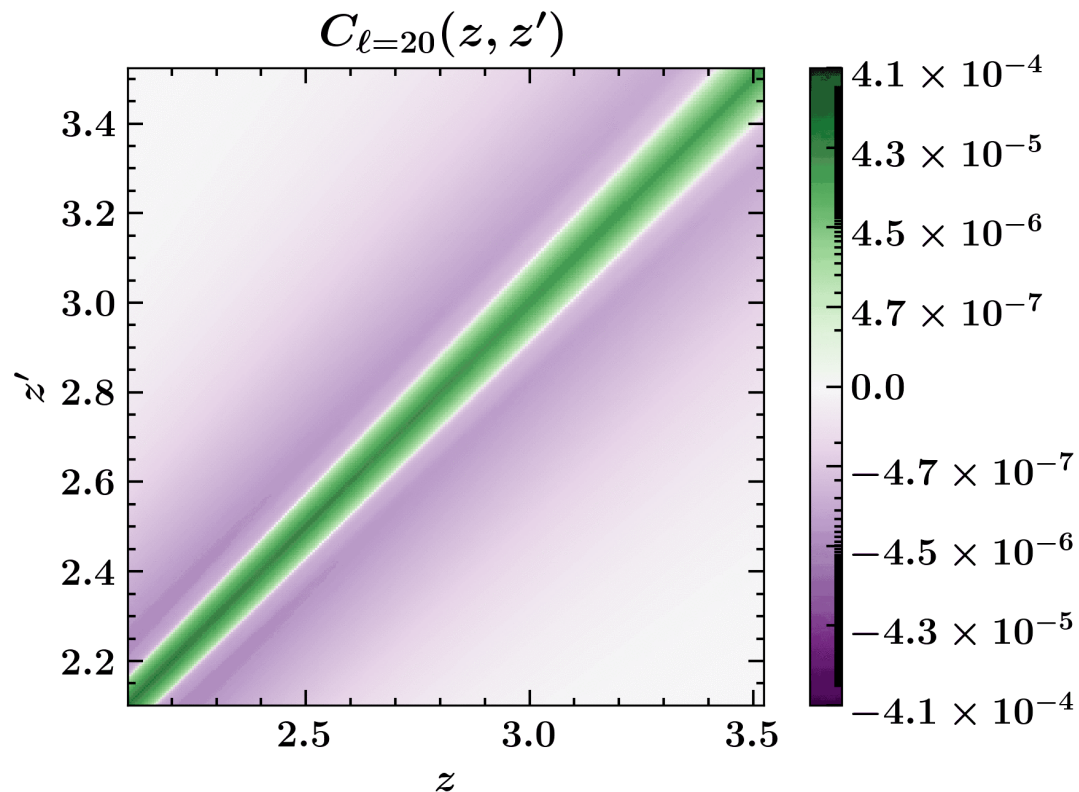
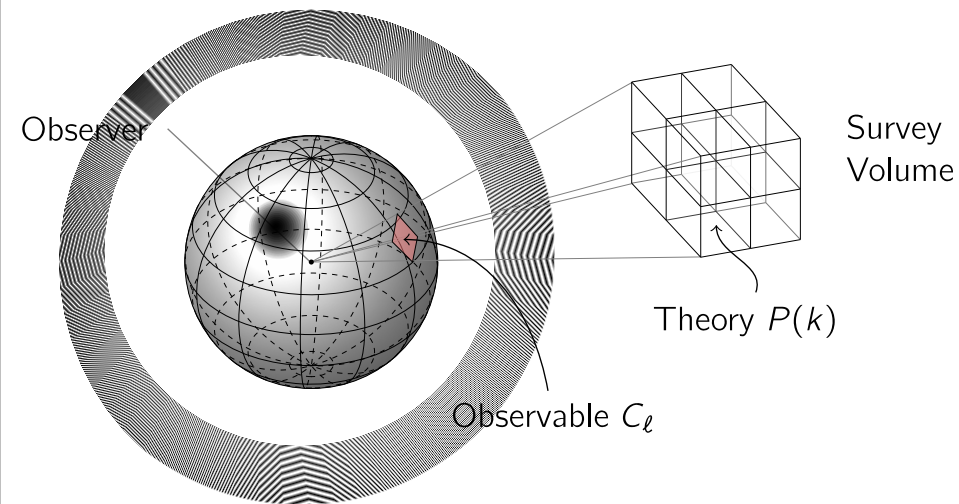
→ Non-linear Kaiser can be calculated as derivatives on the window function.

$$\delta_g(\vec{k}) = (b + f\mu^2) \tilde{A}_{\text{FoG}}(k\mu) \delta_m(\vec{k})$$

Calculating $C_\ell(z, z')$

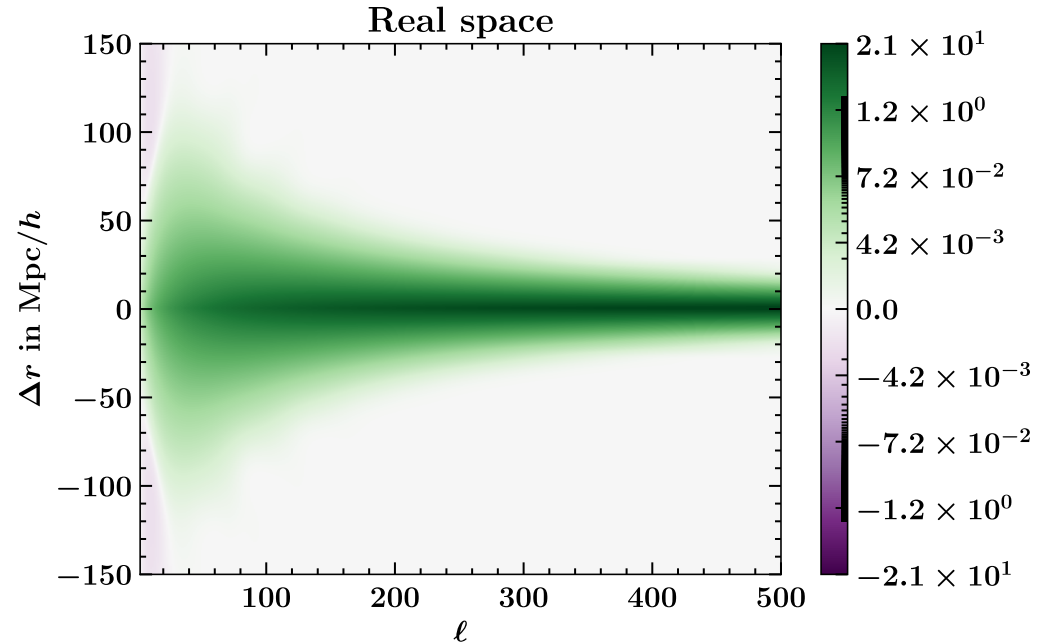
- Projection:

$$P(k_\perp, k_\parallel) \rightarrow C_\ell(z, z')$$



Spherical harmonic Space: $C_\ell(r_{\text{mid}}, \Delta r)$

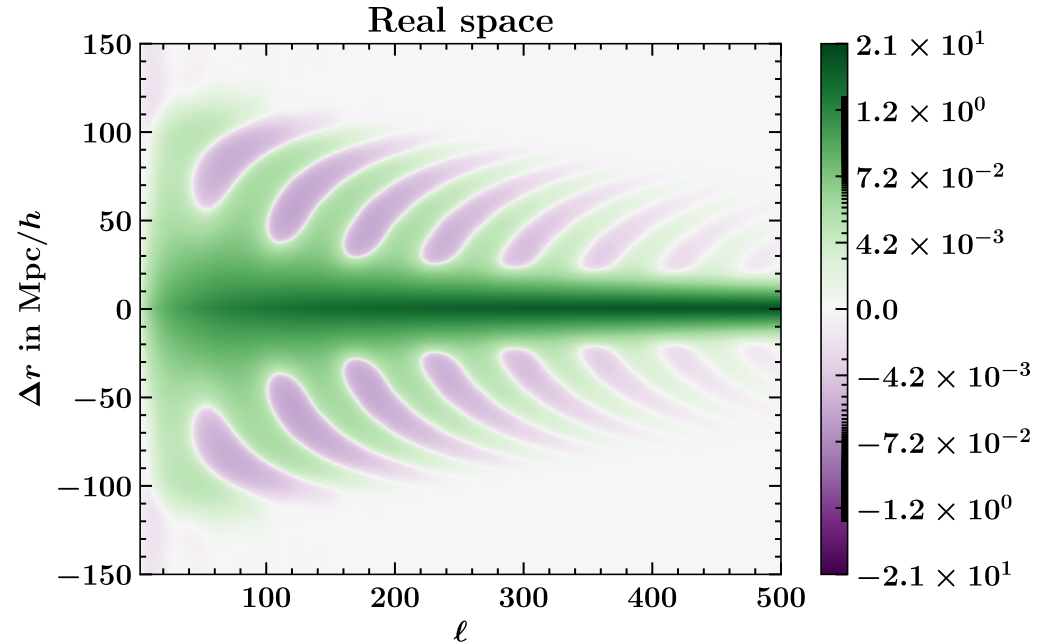
- Real space



$$k_\perp r \sim \ell + 0.5$$

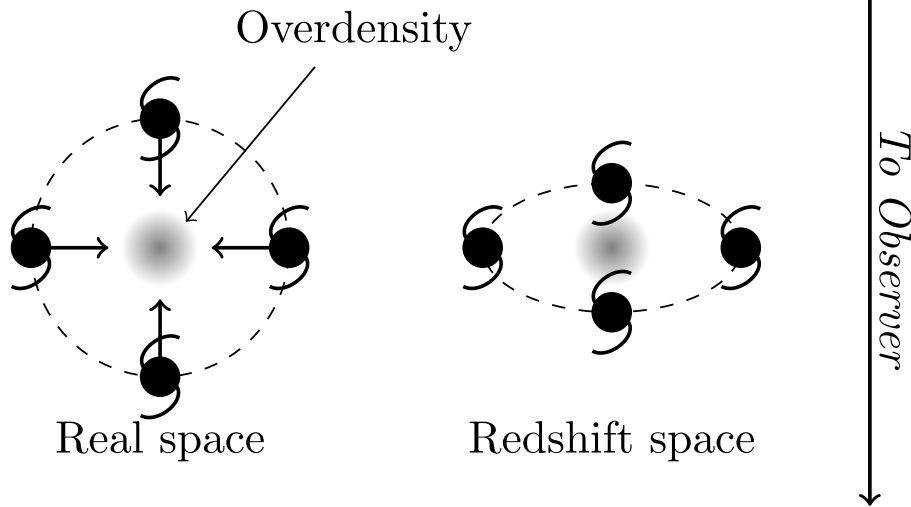
$$C_{\ell}(r_{\text{mid}}, \Delta r)$$

- Real space
+ BAO



$$k_{\perp} r \sim \ell + 0.5$$

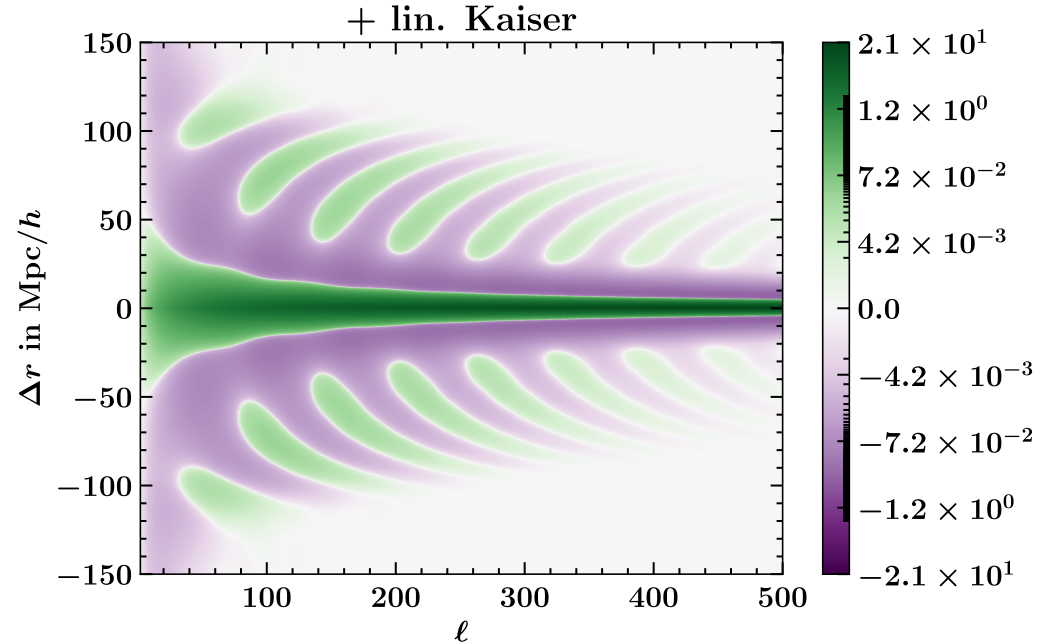
The Kaiser Effect



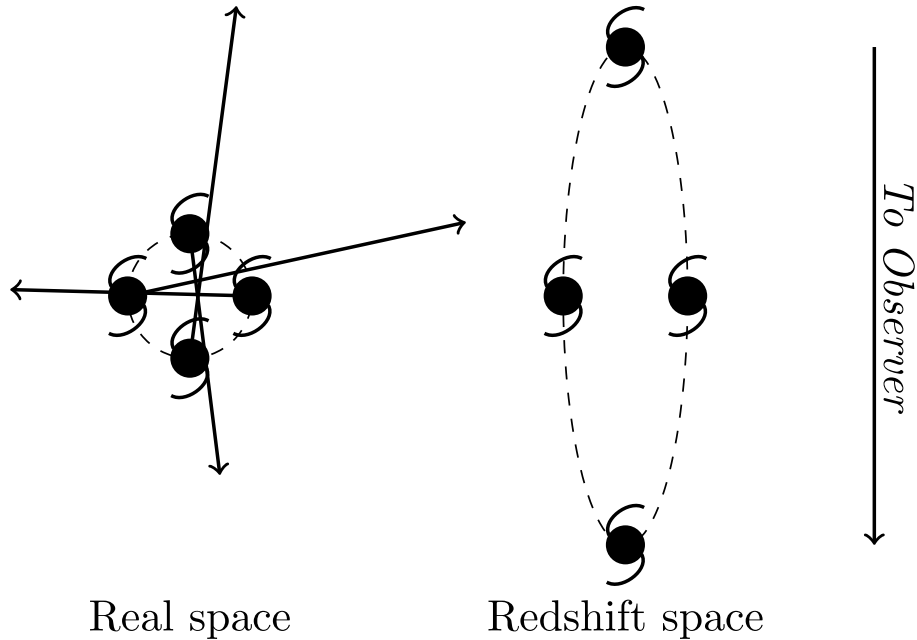
- Galaxies tend to move towards overdensities.
- **Increased clustering** along the line of sight direction.

$$C_{\ell}(r_{\text{mid}}, \Delta r)$$

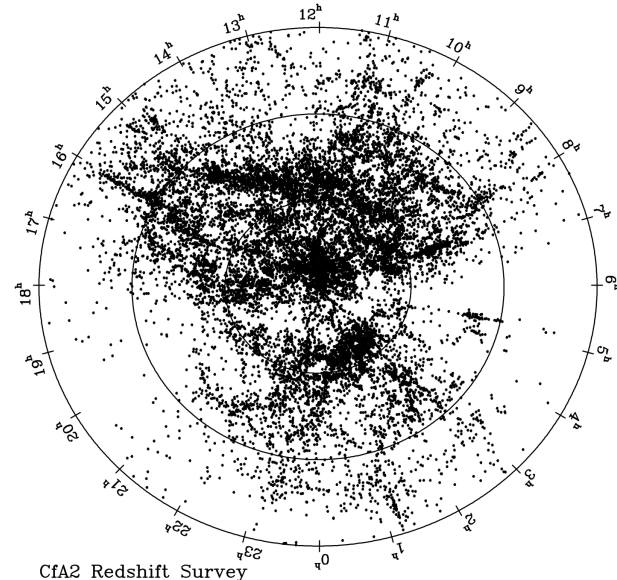
- Real space
 - + BAO
 - + Linear Kaiser:
coherent inflow into
galaxy clusters



Fingers of God

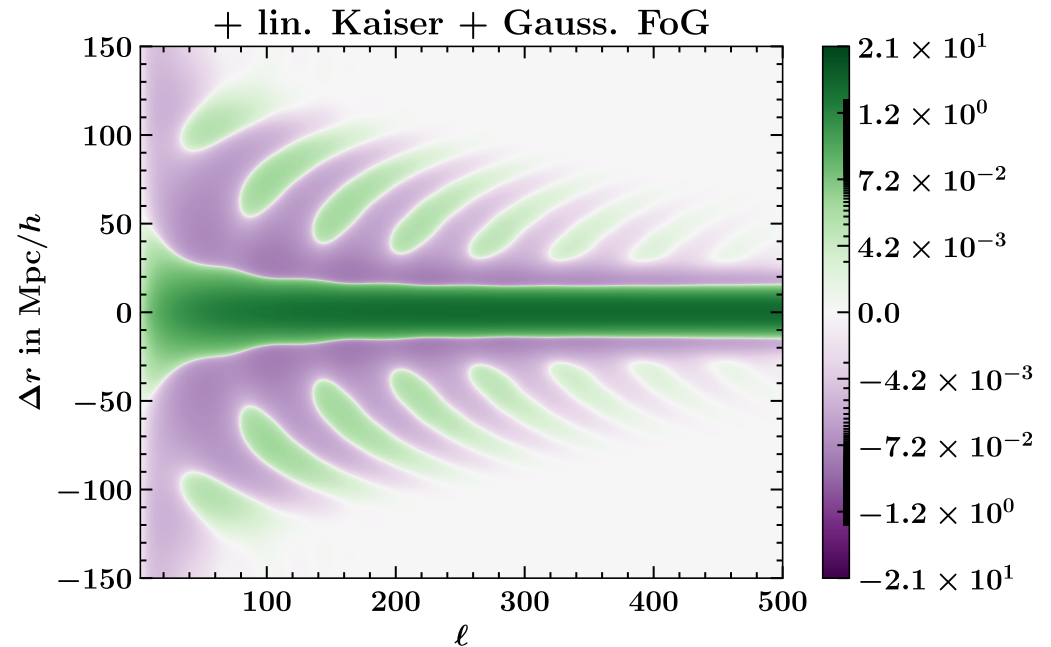


- Stochastic motions of galaxies
- **Suppression** of clustering in line of sight direction.



$$C_{\ell}(r_{\text{mid}}, \Delta r)$$

- Real space
 - + BAO
 - + Linear Kaiser: coherent inflow into galaxy clusters
 - + Fingers of God (FoG) blur our vision!
- Redshift space



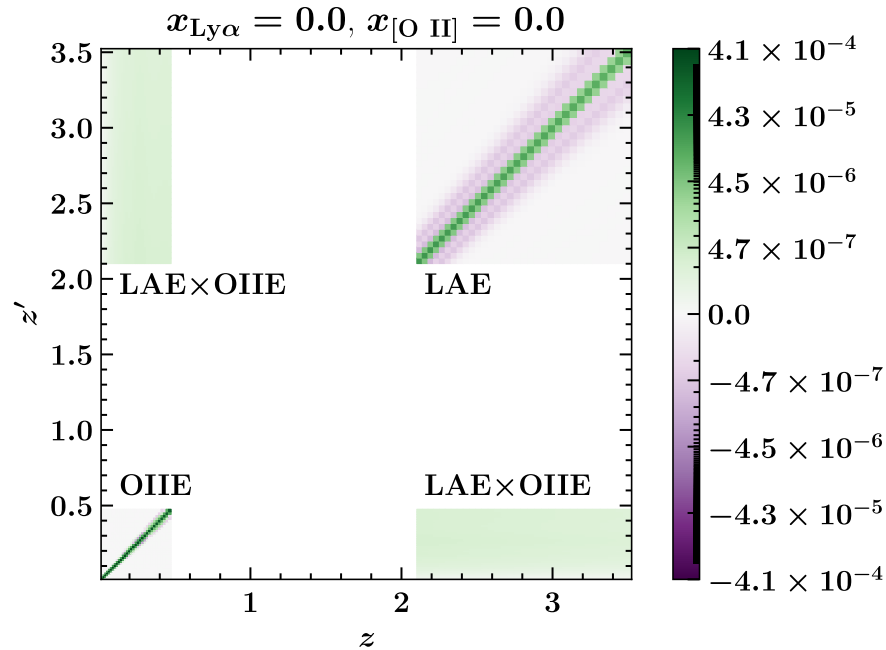
Putting it all together: Fisher forecasts in spherical harmonic space

- ✓ Can do wide-angle analysis
- ✓ Now includes Kaiser and FoG
- ✓ Lensing is included
- ✓ Redshift evolution is included

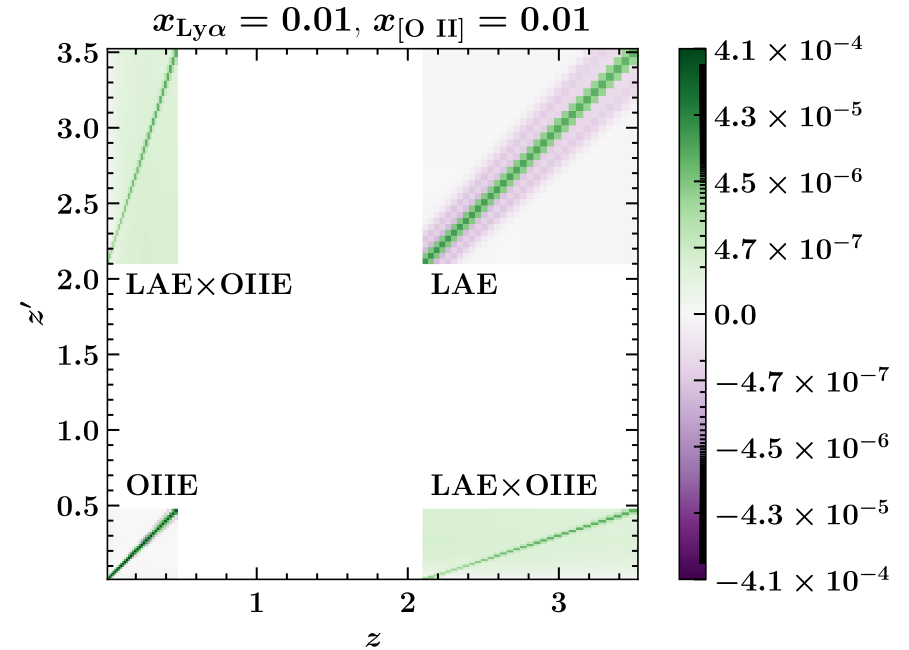
Where are the interlopers in spherical harmonic space?

Interlopers in C_ℓ space

Without interlopers



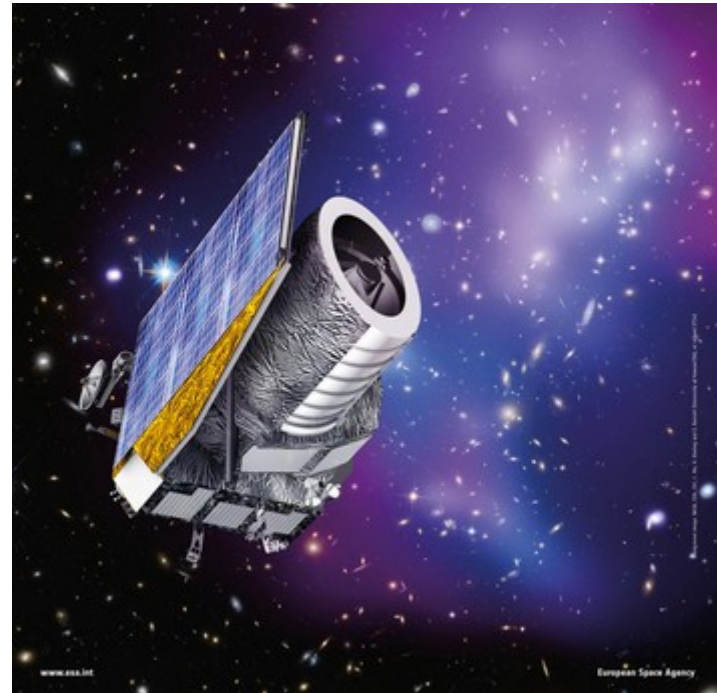
With interlopers



→ Diagonal of cross-correlation is most significantly affected.

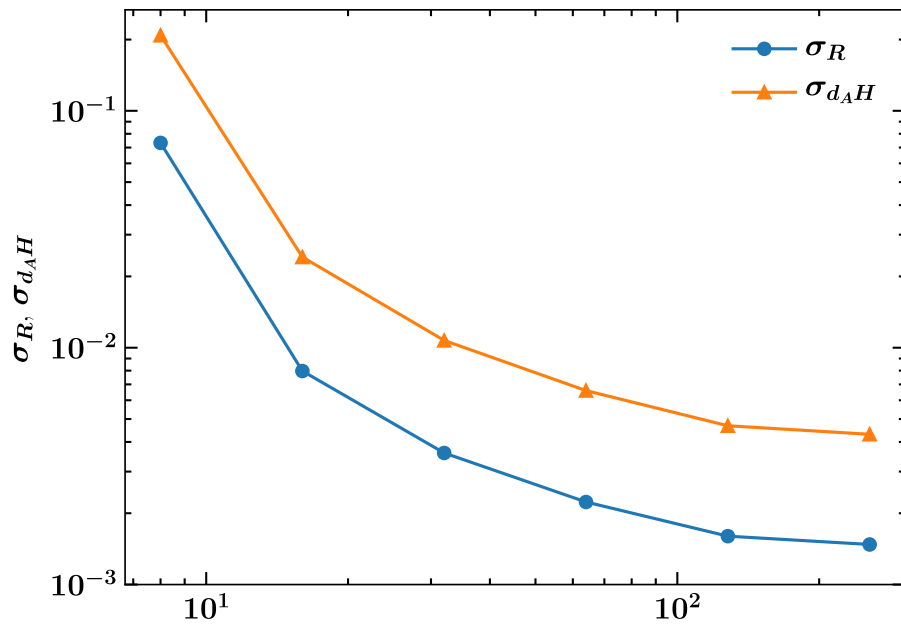
Euclid

- Covers 36 % of the sky
- Near Infrared Spectrometer and Photometer (NISF),
 $R \sim 380$, $1.25\mu\text{m} < \lambda < 1.85\mu\text{m}$
- H α 6563, $0.9 < z < 1.82$
- [O III] 5007, $1.5 < z < 2.7$
- Launch planned for 2022

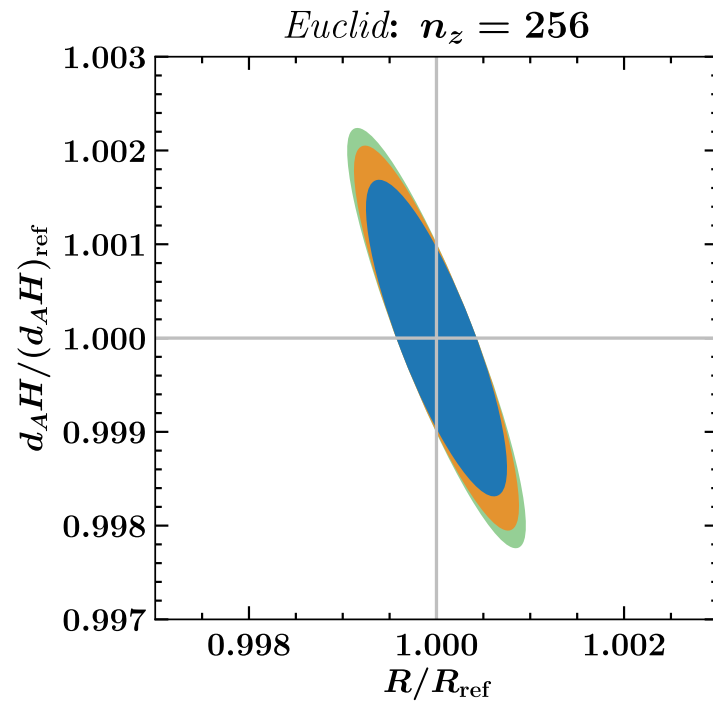


www.euclid-ec.org

Euclid wide-angle forecast results



n_z
↑
 $\Delta\chi \sim 2\pi / k_{\max} \sim 30 \text{ Mpc}/h$



$z \sim 2.7$

Conclusion and Future Outlook

- Joint fitting removes interloper bias
- Spherical harmonic projection is 2-FAST now.
- Fingers-of-God and non-linear Kaiser can be done in spherical harmonic space
- Fisher forecasts for HETDEX, *WFIRST*, and *Euclid* including lensing, redshift evolution, wide-angle effects.
- Future:
 - Exploit interlopers for cosmology
 - Use multiple tracers

