

# Neutrinos in the era of precision Cosmology



Marta Spinelli

*Rencontres du Vietnam* Quy Nhon - 21 July 2017

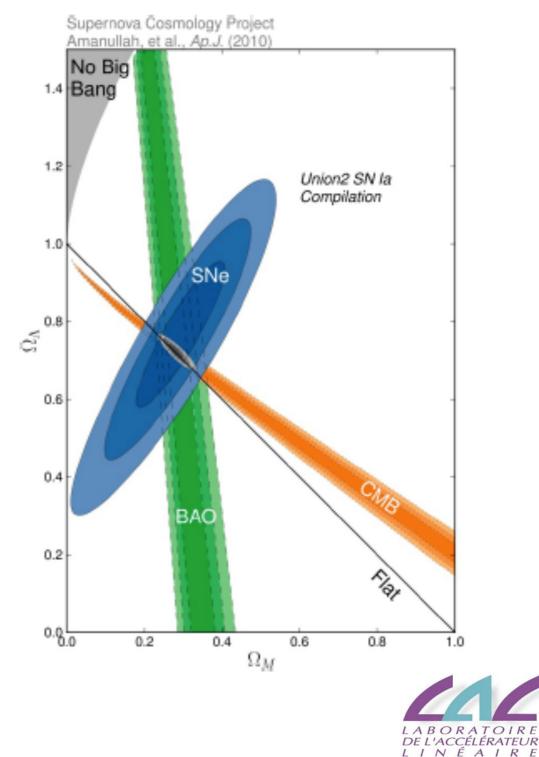


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### The vanilla model: $\Lambda$ -CDM

- matter primordial perturbation (scalar, adiabatic)  $P_s(k) = A_s(\frac{k}{k_0})^{n_s-1}$
- expansion rate  $H_0$  (or angular size of the sound horizon  $\theta_s$ )
- ${\ensuremath{\,\circ}}$  optical depth to reionisation:  $\tau$
- energy density of baryons and cold dark matter  $\Omega_b h^2$ ,  $\Omega_c h^2$  (or dark energy  $\Omega_\Lambda h^2$ )
- flat universe:  $\Omega_{\Lambda} = 1 \Omega_{m}$

Cosmic Microwave Background + Baryon Acoustic Oscillations + Supernovae Concordance model:  $\Omega_{\Lambda} \sim 0.7$ ,  $\Omega_{\rm m} \sim 0.3$ 



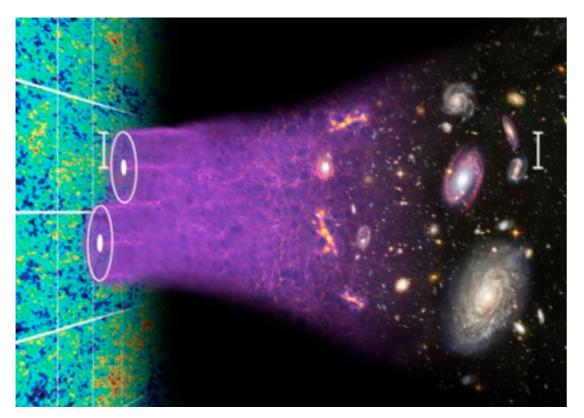


### (Late times) cosmological probes

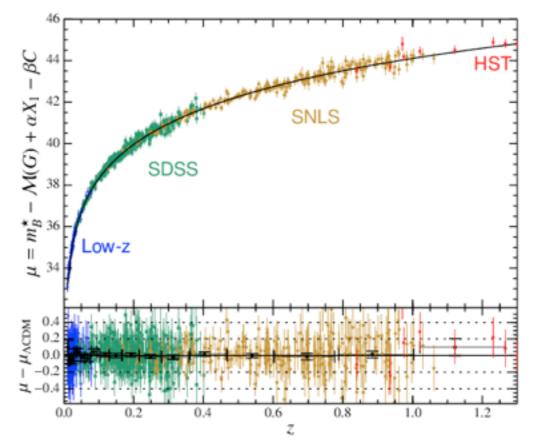
#### Supernovae Ia

- standard candles
- fundamental in discovering the acceleration of the Universe
- give constraints on  $\cdot \, \Omega_m$

JLA compilation -Betoule et al 2014







#### Baryon Acoustic Oscillations (BAO):

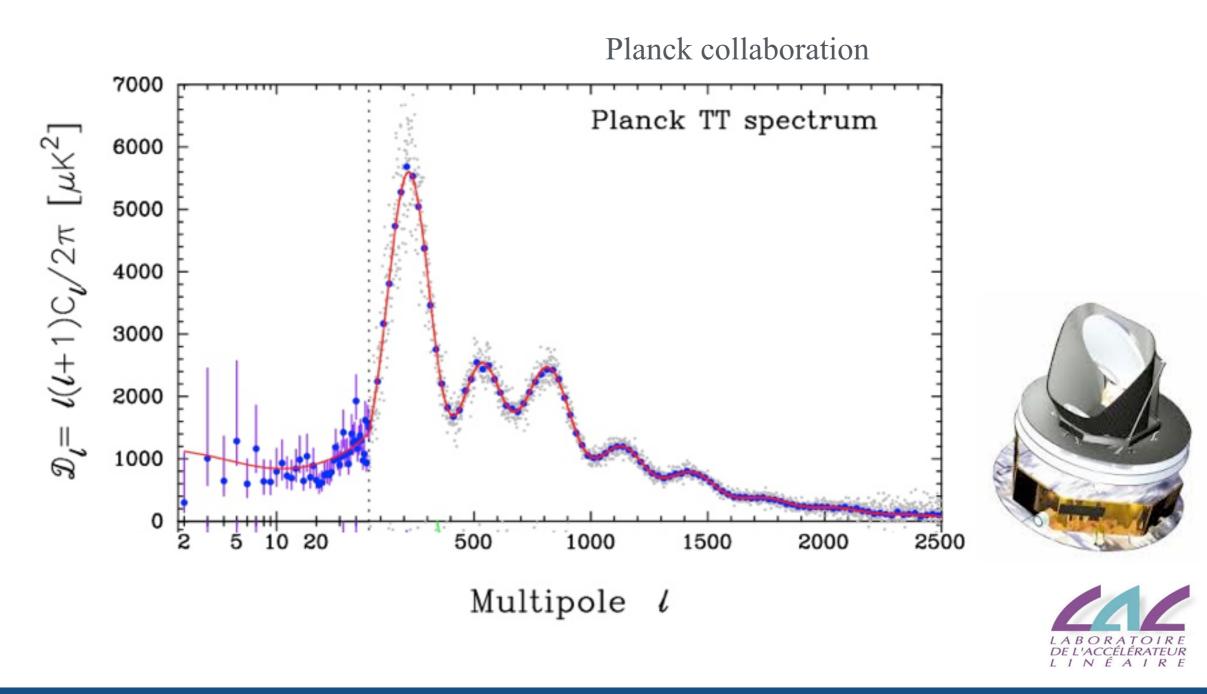
- imprint on present structures of acoustic waves in primordial fluid
- mesure angular diameter distance D<sub>A</sub>(z), H(z) and RSD

**BOSS-SDSS** collaboration results



### The (early times) cosmological probe

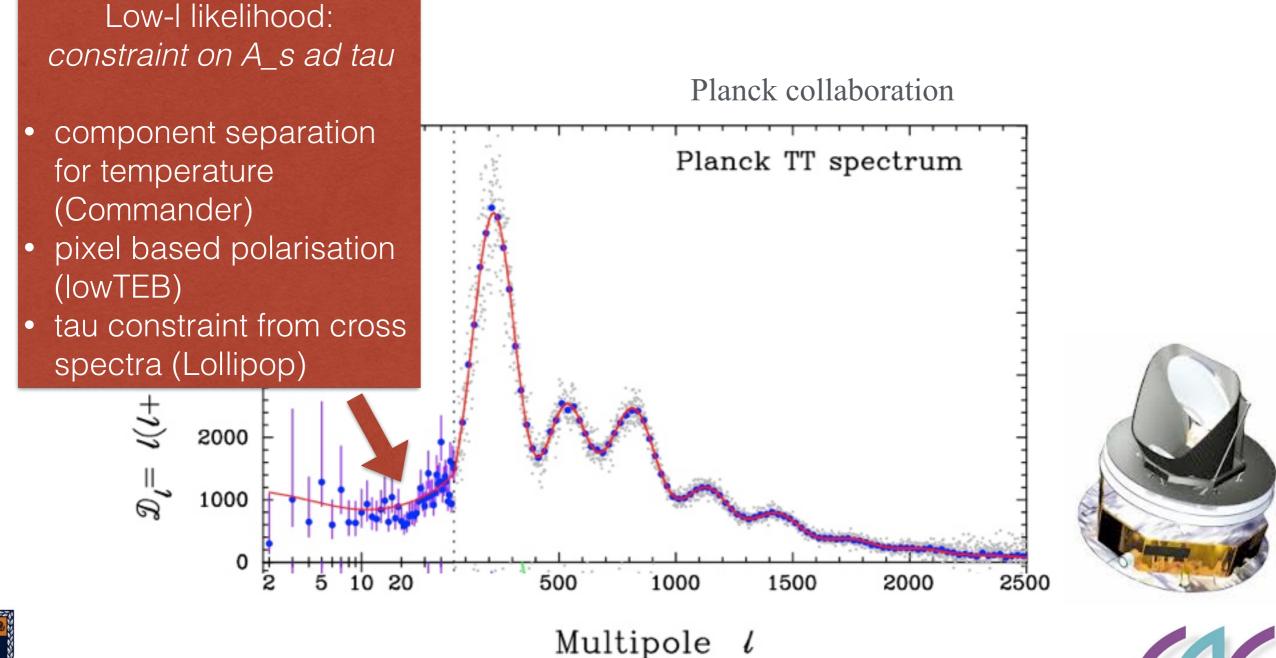
Cosmic Microwave Background: Planck CMB data in temperature and polarisation



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## The (early times) cosmological probe

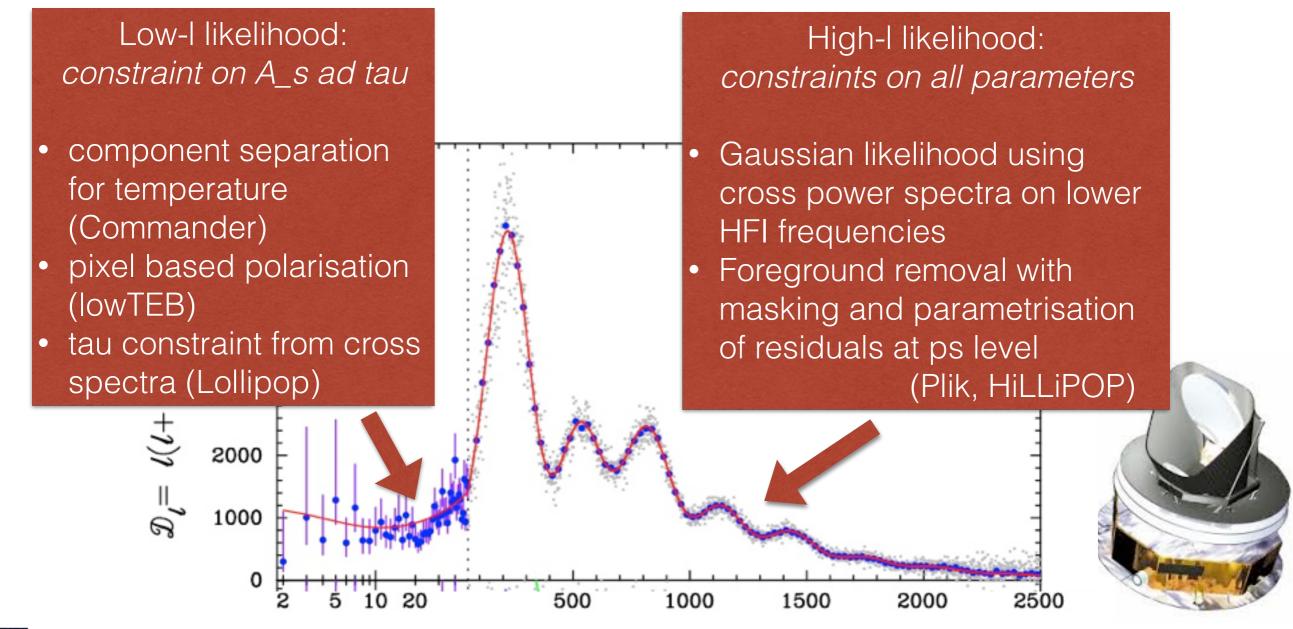
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## The (early times) cosmological probe

Cosmic Microwave Background: Planck CMB data in temperature and polarisation

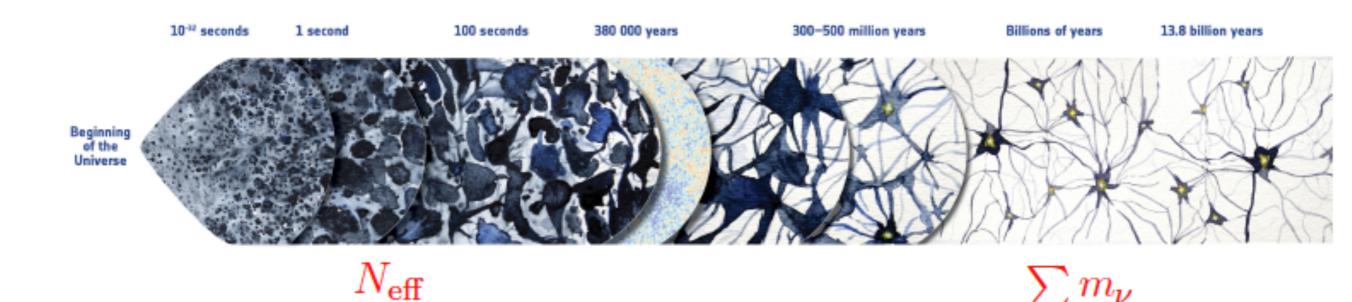




Multipole *l* 



#### Neutrinos and cosmology



#### Early Universe

- $T \gg 1$  MeV  $\nu$ s populated by weak interaction
- $T_{\rm dec} \sim {
  m sec} \ (1 {
  m MeV})$

#### Late time

- still relativistic at decoupling
- $T_{\nu} \lesssim m_{\nu}$  contribute to matter content and structure formation

Effect on CMB and Large Scale Structures (LSS)





#### Cosmic neutrino properties

- After neutrinos decoupled 
   cosmic neutrino background (like CMB for photons)
- If we assume they are massless
  - from entropy conservation calculate their temperature:

$$T_{\nu} = \left(\frac{4}{11}\right)^{1/3} T_{\gamma} \sim 1.95 \mathrm{K}$$

(photons are hotter thanks to electron-positron annihilation)3 generations and follow Fermi-Dirac statistics:

$$\rho_{\nu}c^{2} = 3 \times \frac{7}{8} \times \left(\frac{4}{11}\right)^{4/3} \rho_{\gamma}c^{2}$$

3.046 (e.g. Mangano et al. 2005)





#### Neff

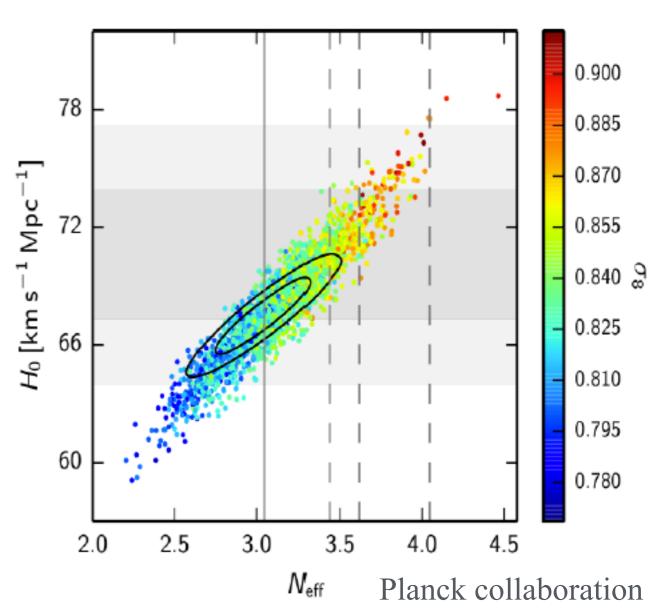
(~ massless) degree of freedom beyond photons, relativistic during radiation domination (any light relic, axions, ...)

$$\rho_{\nu}c^{2} = \operatorname{Neff} \times \frac{7}{8} \times \left(\frac{4}{11}\right)^{4/3} \rho_{\gamma}c^{2}$$

Planck 2015 TT +BAO  $N_{\text{eff}} = 3.15 \pm 0.23$ 

•  $N_{\text{eff}} \neq 0 \ C\nu B$  existence  $(\sim 15\sigma)$ 

• 
$$N_{\text{eff}} = 4 \text{ excluded at } \sim 3 - 5$$

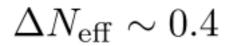


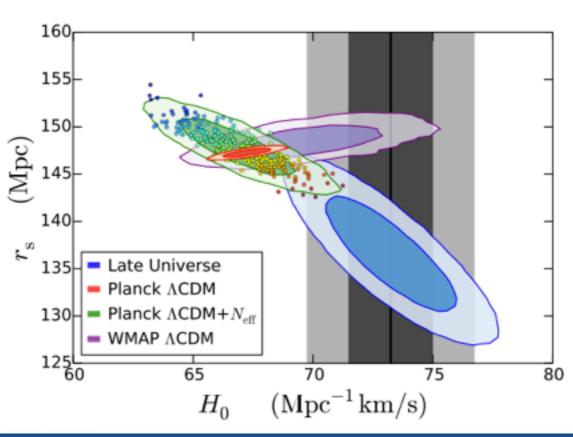


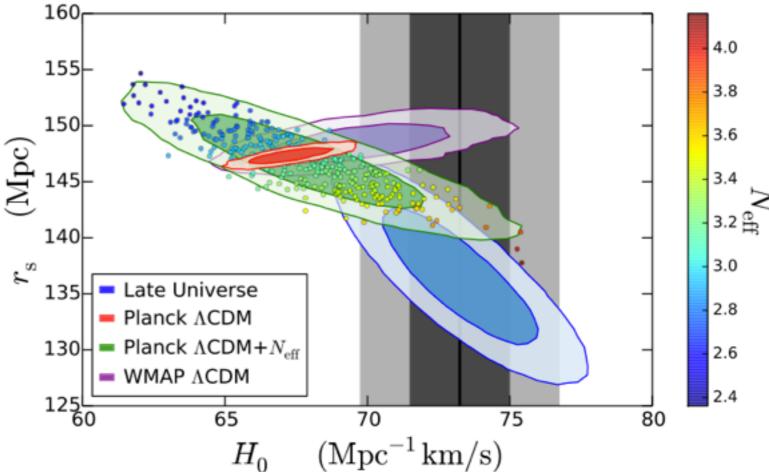


#### Neff and H0

- Planck H0 vs. local H0 (3 sigma)
- BAO and SNIa constrain rs-h
- Can Neff help in solving this tension?







• NOT true anymore if Planck polarisation is included

Bernal et al 2016 (arXiv:1607.05617)

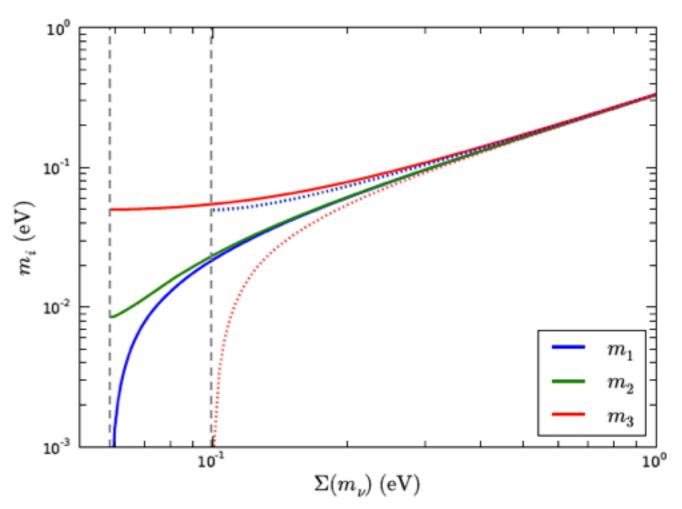


#### The absolute scale of neutrino masses

- neutrino MO not known but lower limits from oscillations (0.06 eV NO, 0.10 eV IO)
- model dependent constraints

   Λ-CDM + neutrino sector
   Neff=3.046
   1m 20, 3m (deg, NO, IO)
- mass limit (95% CL) (from various ref)  $\Sigma m_{\nu} < 0.11 - 0.23 \text{ eV}$

Planck + BAO/SN/Lensing...







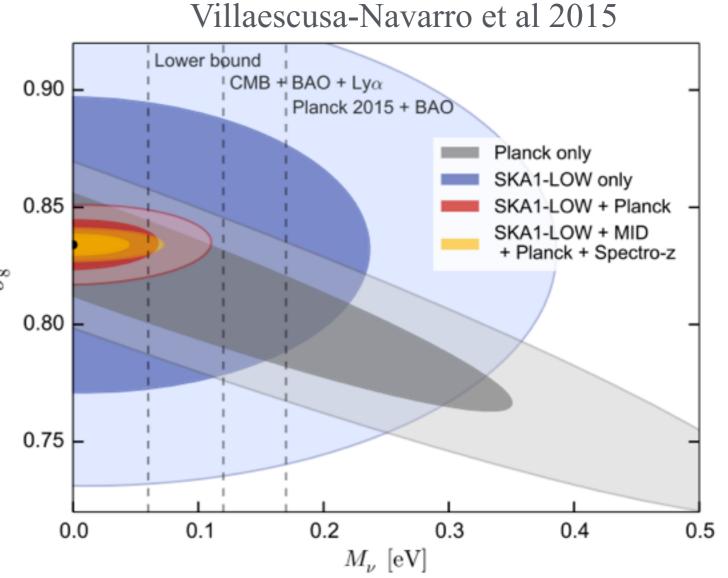


# Forecast from 21cm

- HI more clustered for cosmology with massive neutrino
- hydrodynamic sims with massive neutrino for HI spatial distribution
- fisher matrix forecast for SKA
  - SKA-LOW  $3 \leq z \leq 6$ (interferometric mode)
  - SKA-MID  $z \leq 3$  (single dish)

 $\sigma(M_{\nu}) \lesssim 0.3 \text{ eV} (95\% \text{ CL})$ 

- SKA+Planck+Spectro-z  $\sigma(M_{\nu}) \simeq 0.06 \text{ eV} (95\% \text{ CL})$ 



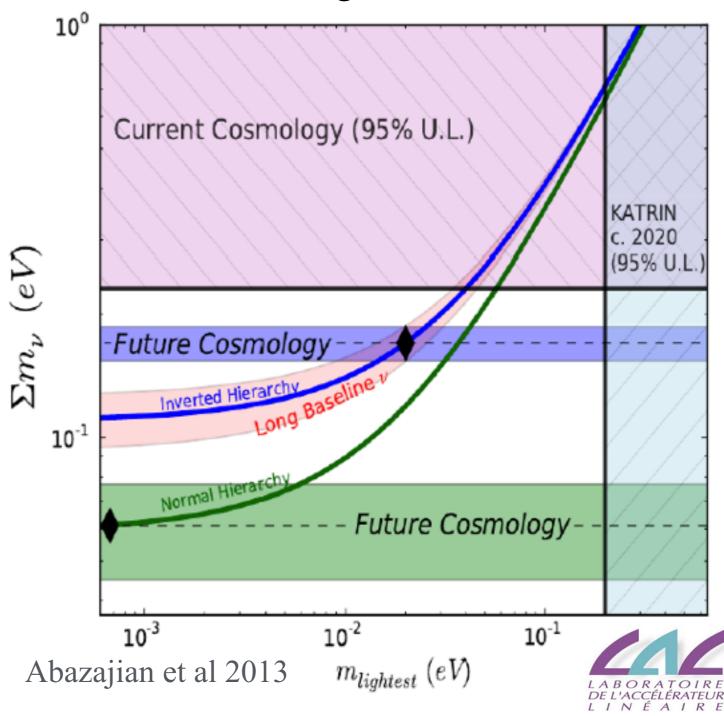




#### How close to a mass measurement?

If m=0.06 eV we need 20 meV sensitivity for 3 sigma. If m=0.12 eV then 40 meV in enough

- Simons Array: 58 meV from lensed B modes
- SA+BAO: 16 meV http://bolo.berkeley.edu/polarbear
- Euclid (2020): 3meV enough for MO
- Forecasts for DESI+ (arXiv:1308.4164) by 2020 something either from Planck+DESI/LSST/S4&BAO



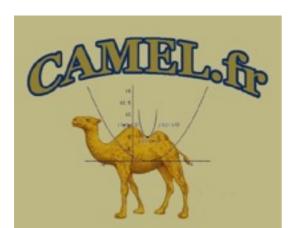


### Precision cosmology

- How robust is the Planck+LSS limit on  $\Sigma m_{\nu}$ ?
  - does it depend on foreground parametrisation?
  - how it relates to lensing? (the AL issue)



some work done *(a)* LAL (F. Couchot, S. Henrot-Versillé, O. Perdereau, S. Plaszczynski, B. Rouillé d'Orfeuil, M. Spinelli and M. Tristram)





http://camel.in2p3.fr

- HiLLiPOP (Planck 2015 Likelihood paper)
- AL and tau (Couchot et al 2016)
- CAMEL framework (Henrot-Versillé et al 2016)

• all that and  $\Sigma m_{\nu}$  (Couchot et al 2017)

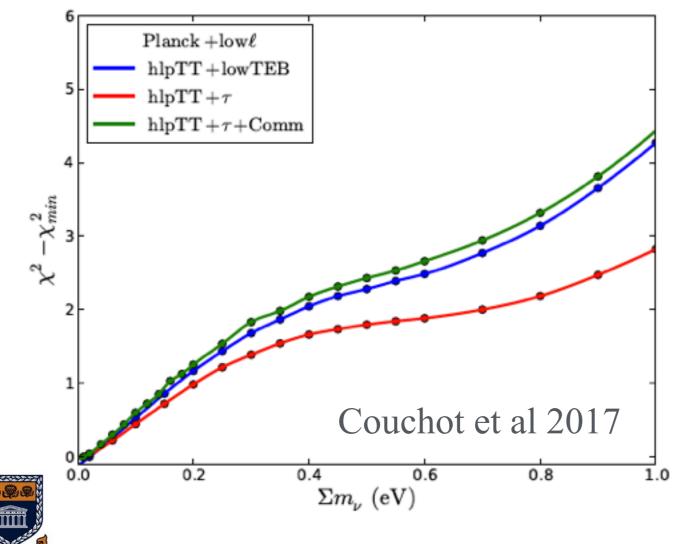


#### Large scale (low-l) information

Low-l likelihoods:

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- Commander temperature component separation
- tau constraint from large scale cross power spectra polarisation data
- lowTEB Commander-like temperature and pixel based polarisation

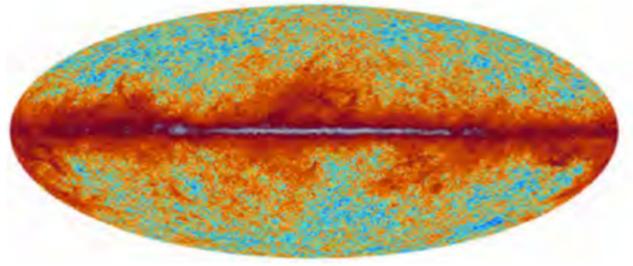


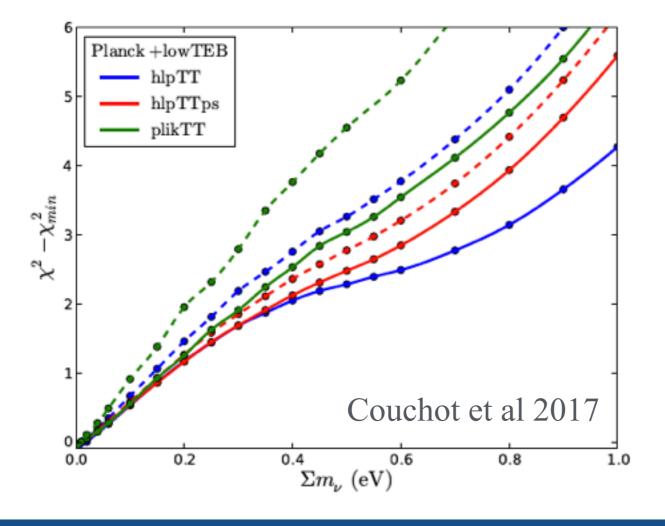
- Large scale CMB information is crucial for breaking As-tau degeneracy (in particular polarisation)
- Different likelihood choices give slightly different results



### Impact of foreground modelling

Planck @ 217 GHz





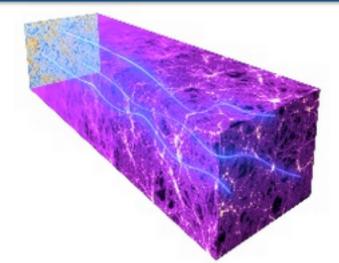
• CMB data comes with astrophysical foregrounds:

galactic dust, unresolved point sources, background from galaxies and clusters

- Masking strategy and (data driven) parametric residual modelling
- Different high-l likelihoods HiLLiPOP, HiLLiPS, Plik have slightly different models

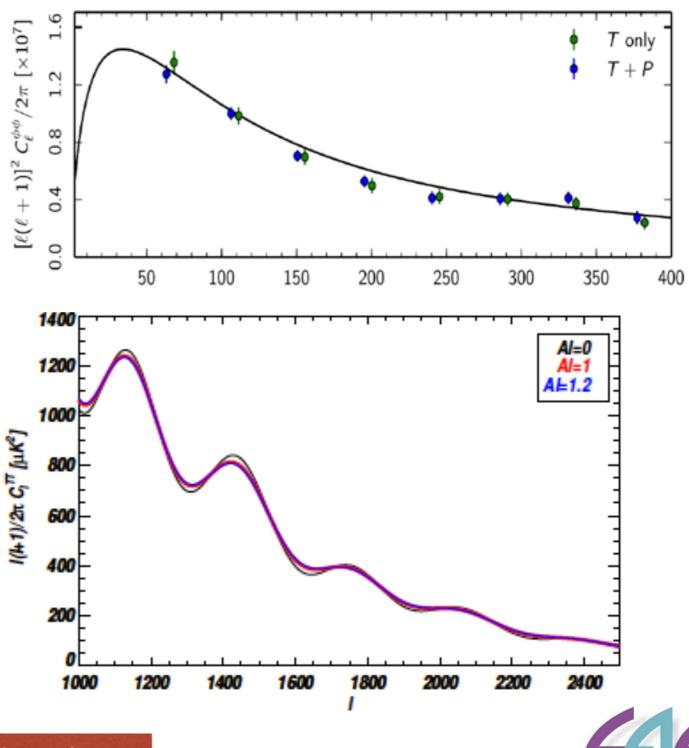
we can estimate a systematic error





## CMB lensing and AL

- $C_{\ell}^{\phi\phi}$  from 4-point correlation function: good consistency with  $\Lambda CDM$
- too much lensing at power spectrum level
  - $A_{\rm L} > 1 (\sim 2\sigma)$ 
    - $\rightarrow \Sigma m_{\nu}$  artificially low
    - include AL in the fit to propagate the error
       find a consistent framework





Planck+Lensing has AL ~1

Marta Spinelli

NEAIR

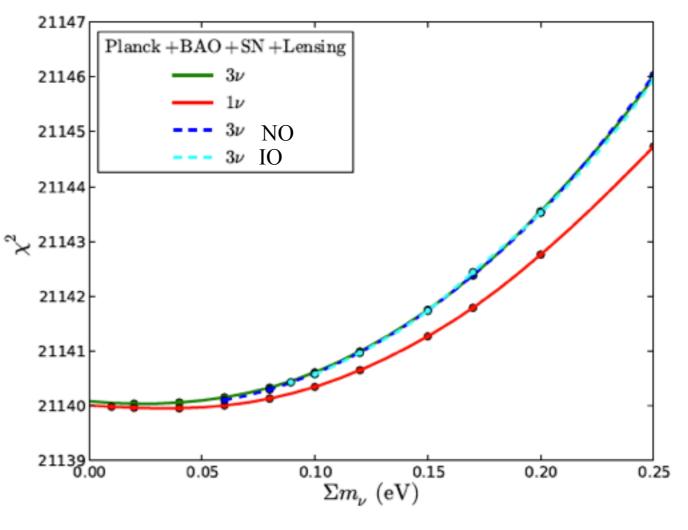
#### Neutrino mass repartition

#### Possible models:

- 3 degenerate masses
- 1 massive 2 massless
- 3 massive with NO
- 3 massive with IO

if only one massive neutrino computationally more efficient but too raw approximation

nowadays no hint for a preference for NO or IO



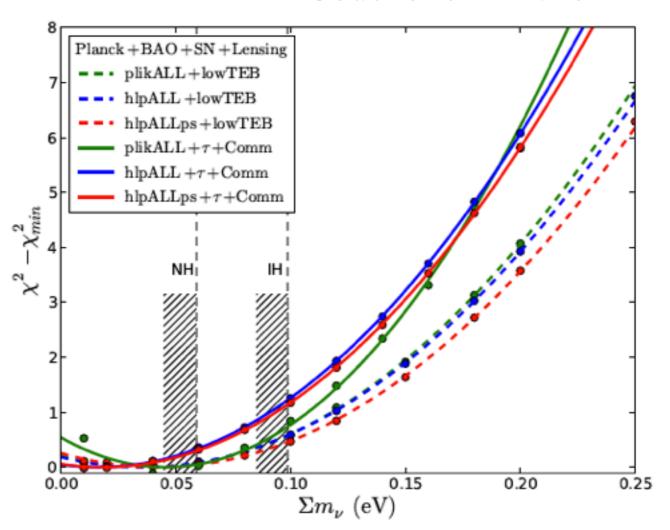






### A robust constraint

- latest BAO data (*Alam et al 2016*) and SN from JLA compilation
- low tau constraint from Planck-pol
- AL consistent with standard cosmology (CMB Lensing)
- data driven mass splitting scenario (3m deg)
- including systematic error related to foreground modelling



Couchot et al 2017



 $\Sigma m_{\nu} < 0.17$  [incl. 0.01 (foreground syst.)] eV at 95%



#### Conclusions

- Cosmology is a rich laboratory to test neutrino properties
- CMB and LSS can constrain the sum of the masses and will reach impressive precision in the future *forecasts say that we will know more by the end of 2020*
- Planck full-sky CMB measurements will remain crucial
- Finer constraints need finer control of all the systematics in the data

At present: addition of lensing + foreground systematic error result in a consistent cosmological limit



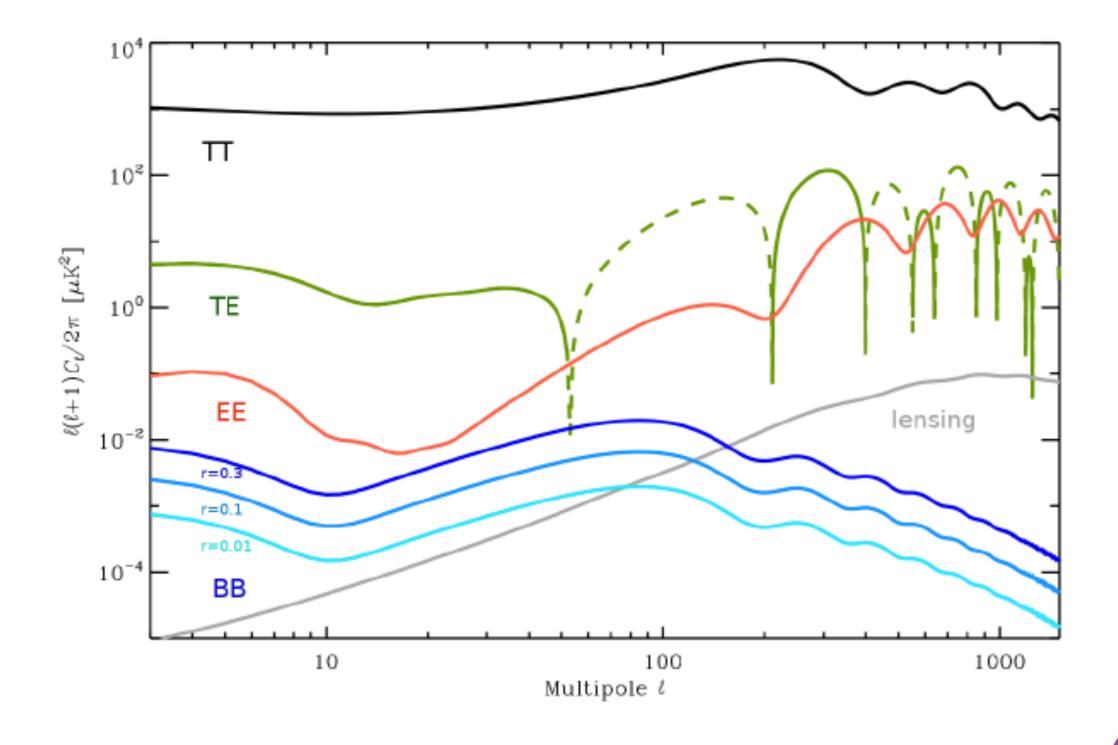


# Backup



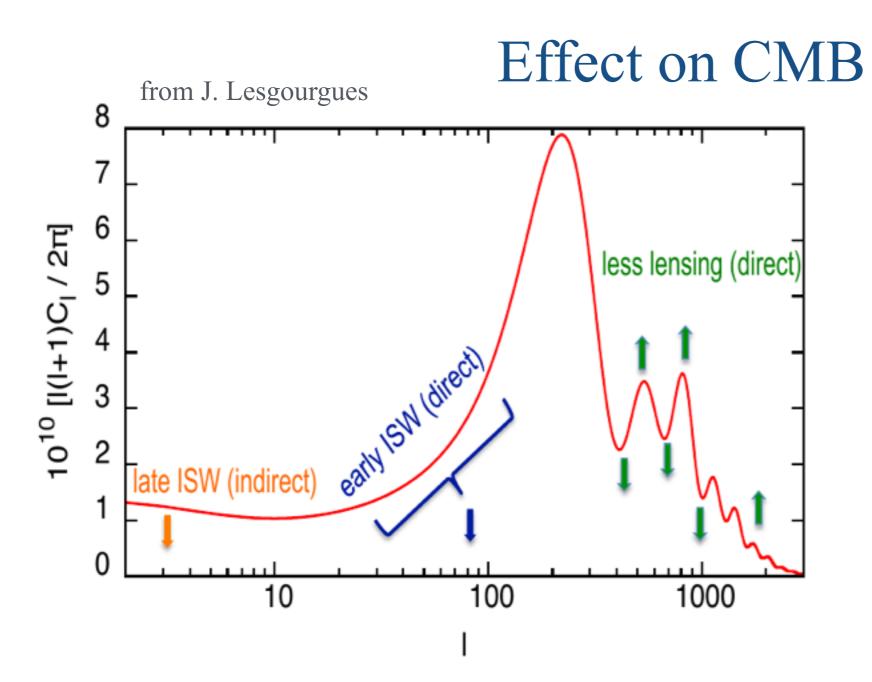


#### CMB spectra





LABORATOIRE DE L'ACCÉLÉRATEUR LINÉAIRE Marta Spinelli



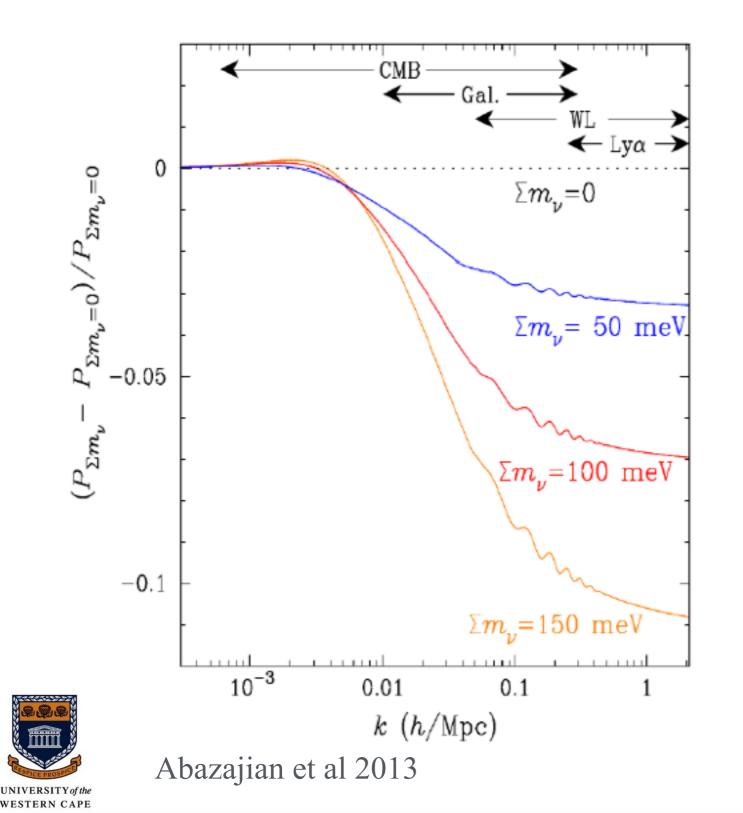
- indirect role in the duration of DE domination: late ISW at low multipole
- around the fist peak: early-ISW (WMAP limit)

 neutrino damps scales smaller then their free-streaming length: less lensing at small angular scales (that's why Planck is important)





#### Effect on structure formation



• transition from relativistic to nr

$$z\sim 2000 \frac{m_\nu}{1 {\rm eV}}$$

• wash out structures with k bigger than

$$k_{\rm nr}\simeq 0.018 \sqrt{\Omega_m \frac{m_\nu}{1eV}} h/{\rm Mpc}$$

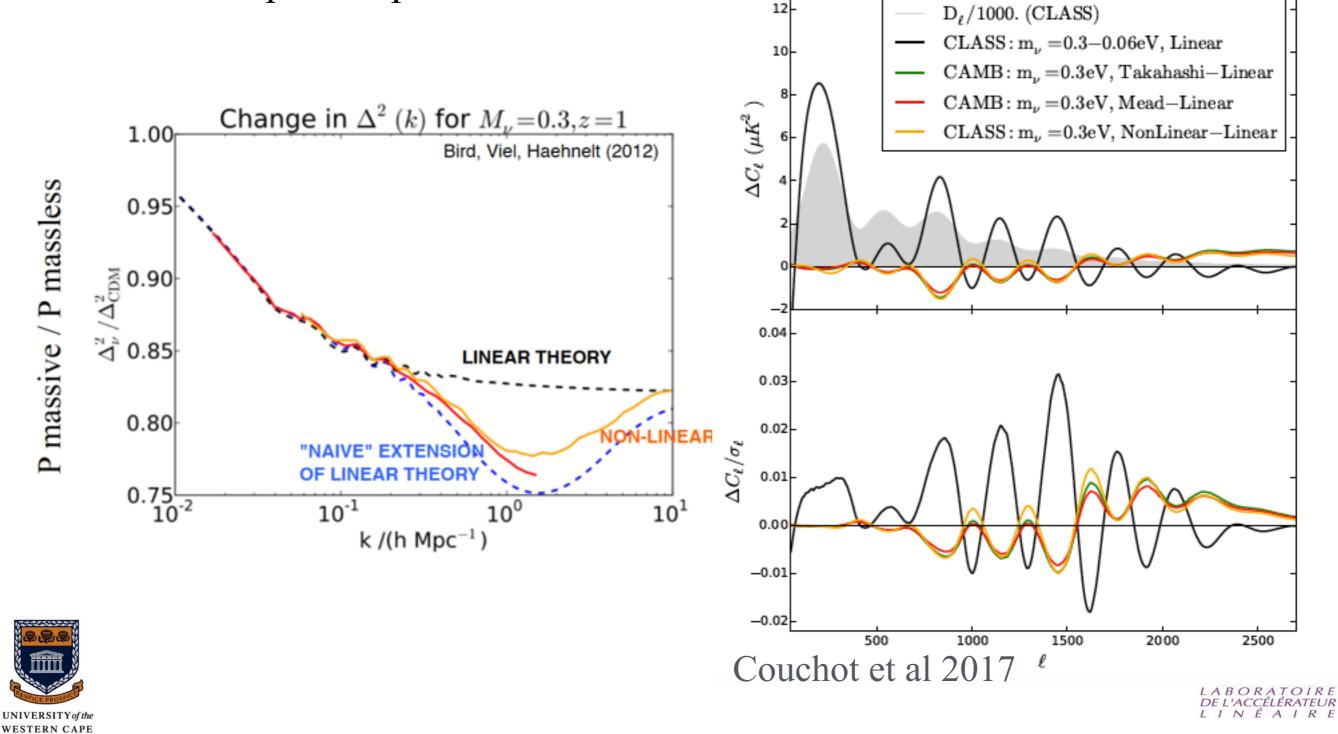
(Lesgourgues&Pastor 2006)

• different probes sensitive on different scales



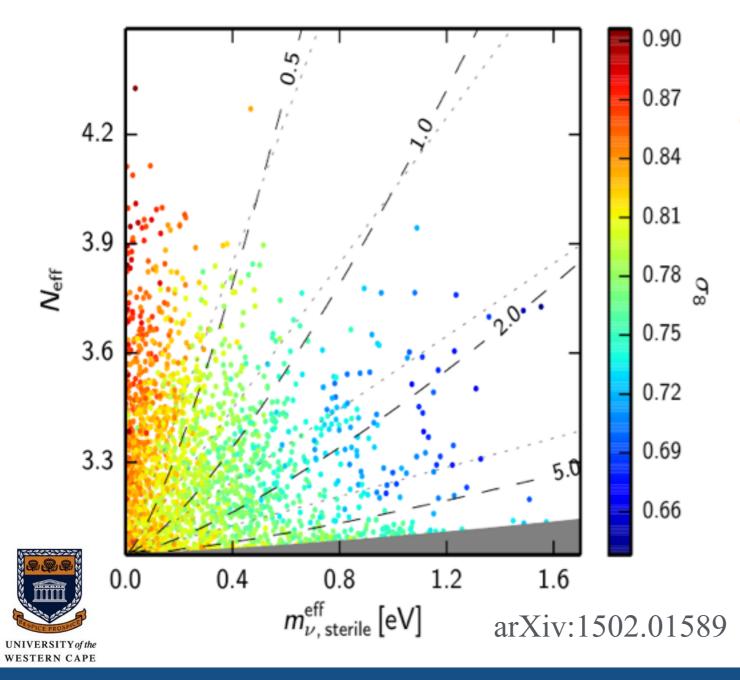
#### Non-linear corrections

 precise constraints need/will need non-linear effect on the matter matter power spectrum



#### Any evidence for eV sterile neutrinos?

Model: extra massive neutrino thermally distributed with arbitrary temperature  $T_s \ (\Delta N_{\rm eff} = (T_s/T_{\nu})^4)$ 



$$m_{\nu,\text{sterile}}^{\text{eff}} = (\Delta N_{\text{eff}})^{3/4} m_{\text{sterile}}^{\text{thermal}}$$

- for low  $N_{\rm eff}$  unconstrained within  $\Omega_c h^2$
- for  $m_{\text{sterile}}^{\text{thermal}} < 10 \text{ eV}$   $N_{\text{eff}} < 3.7$   $m_{\nu,\text{sterile}}^{\text{eff}} < 0.52 \text{ eV}$ not compatible with oscillation anomalies

