

What can be learned from gravitational-waves on the physics of bursts and compact binaries

Vivien Raymond for LIGO Scientific collaboration and Virgo collaboration

10th Rencontres du Vietnam August 3 - 9, 2014 ICISE, Quy Nhon, Vietnam

#### The Gravitational Wave Spectrum



## Gravitational Wave Astronomy

 Gravitational wave detectors will study sources characterised by extreme physical conditions: strong nonlinear gravity and relativistic motions, very high densities, ...



[Image: NASA/CXC/GSFC/T.Strohmayer]

• Here are some examples of questions which will hopefully be answered:

## Fundamental physics:

- What are the properties of gravitational waves?
- Is General Relativity still valid under strong-gravity conditions?
- Are nature's black holes the black holes of General Relativity?
- How does matter behave under extremes of density and pressure?

## Astrophysics

- How abundant are stellar-mass binary black holes?
- Is the mechanism that generates gamma-ray bursts a compact binary coalescence?
- How do compact binary stars form and evolve, and what has been their effect on star formation rates?
- Where and when do massive black holes form, and what role do they play in the formation and evolution of galaxies?
- What happens when a massive star collapses?

## **Prediction for Detection Rates**

TABLE V: Detection rates for compact binary coalescence sources.						
IFO	$Source^{a}$	$\dot{N}_{ m low}$	$\dot{N}_{ m re}$	$\dot{N}_{ m high}$	$\dot{N}_{ m max}$	
		$yr^{-1}$	$\mathrm{yr}^{-1}$	$\mathrm{yr}^{-1}$	$\mathrm{yr}^{-1}$	
Initial	NS-NS	$2 \times 10^{-4}$	0.02	0.2	0.6	
	NS-BH	$7 \times 10^{-5}$	0.004	0.1		
	BH-BH	$2 \times 10^{-4}$	0.007	0.5		
	IMRI into IMBH			$< 0.001^{b}$	$0.01^{c}$	
	IMBH-IMBH			$10^{-4d}$	$10^{-3e}$	
	NS-NS	0.4	40	400	1000	
Advanced	NS-BH	0.2	10	300		
	BH-BH	0.4	20	1000		
	IMRI into IMBH			$10^{b}$	$300^{c}$	
	IMBH-IMBH			$0.1^d$	$1^e$	

[Abadie et al., Class. Quant. Grav.27:173001 (2010)]

## **Upper Limits**

- No inspiral signals detected
- 90% confidence limits on coalescence rates:
  - For binary neutron stars:
     < 1.3×10<sup>-4</sup> Mpc<sup>-3</sup> yr<sup>-1</sup>
  - For binary black holes with  $5+5M_{\odot}$ : <  $6.4 \times 10^{-6}$  Mpc<sup>-3</sup> yr<sup>-1</sup>
- Soon to confront expected range of merger rates



FIG. 5: Comparison of CBC upper limit rates for BNS, NSBH and BBH systems.

[Abadie et al., PRD 85, 082002 (2012)]

## 2018 Preview

source	current upper limit	2nd gen rate	predicted rate
neutron star binaries (1.35 + 1.35 M₀)	1.3x10 <sup>-4</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	1.3 x 10 <sup>-7</sup> Mpc <sup>-3</sup> yr <sup>-1</sup> <	< 10 <sup>-6</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>
stellar mass BH binaries (5 + 5 M₀)	6.4 x 10 <sup>-6</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	6.4 x 10 <sup>-9</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	
mixed binaries (1.35 + 5 M₀)	3.1 x 10 <sup>-5</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	3.1 x 10 <sup>-8</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	= 3 x 10 <sup>-8</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>
"high stellar mass" BH binaries (50 + 50 M₀)	7 x 10 <sup>-8</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	7 x 10 <sup>-11</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	
intermediate mass BH binaries (center of 88 + 88 M₀)	1.2 x 10 <sup>-7</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	1.2 x 10 <sup>-10</sup> Mpc <sup>-3</sup> yr <sup>-1</sup> <	< 3 × 10 <sup>-10</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>
ringdowns (BH merger, q=1:4, M⊤=125 M⊙)	1.1 x 10 <sup>-7</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>	1.1 x 10 <sup>-10</sup> Mpc <sup>-3</sup> yr <sup>-1</sup> <	<b>C</b> 3 x 10 <sup>-10</sup> Mpc <sup>-3</sup> yr <sup>-1</sup>
generic short-duration transient (BH merger, supernova, etc)	1.3 yr <sup>-1</sup>	1.3 yr-1	

[Phys. Rev. D 85 082002; Phys. Rev. D 85 122007; Phys. Rev. D 87 022002; Phys. Rev. D 89 102006; Phys. Rev. D 89 122003]

#### **Does Not Include Improvements to Detector Bandwidth** <sup>8</sup>

#### Advanced network expected ranges



<sup>[</sup>Aasi et al. arXiv:1304.0670 (2013)]

## Parameter Estimation

- Fit a model to the data (noise and signal models)
- Build a Likelihood function
- Specify prior knowledge
- Numerically estimates the resulting Posterior Distribution Function (sampling algorithms)

$$posterior = \frac{prior * likelihood}{evidence}$$

#### Parameter Estimation

Gravitational Wave Signal

2e-21 1.5e-21 1e-21 5e-22 0 -5e-22 -1e-21 -1.5e-21 -2e-21 -0.6 -0.5 -0.4 -0.3 -0.2 -0.1 0

Time (sec)

Example Inspiral Gravitational Waves

[http://www.ligo.org/science/Publication-S6PE/index.php]

11

#### Parameter Estimation



Example Inspiral Gravitational Waves with Noise

Time (sec)

[http://www.ligo.org/science/Publication-S6PE/index.php]

12



UNIVERSITY<sup>OF</sup> BIRMINGHAM

[http://www.ligo.org/science/Publication-S6PE/index.php]

#### GW100916

• On a nice day of September 2010 ...

H1:LDAS-STRAIN at 968654558.000 with Q of 45.3 L1:LDAS-STRAIN at 968654558.000 with Q of 22.6 1024 1024 512 512 Frequency [Hz] Frequency [Hz] 256 256 128 128 64 64 -32-32-0 Time [seconds] -0.5 0 -0.5 0.5 0.5 Time [seconds] 0 10 15 20 25 0 5 10 15 20 25 5 Normalized tile energy Normalized tile energy





#### GW100916

• On a nice day of September 2010 ...



15

## GW100916

• On a nice day of September 2010 ...



- This event was later reveled to be a "blind injection"
   <u>http://www.ligo.org/news/blind-injection.php</u>
   <u>http://www.ligo.org/science/GW100916/index.php</u>
- Multi-Messenger Astronomy (see talk by Chris Pankow)



- Circular binary signal model
- 15 parameters:
  - masses (2)
  - spins (6)
  - sky position (2)
  - orientation (3)

3° F I

• distance and time (2)

## Masses estimation

• Masses are estimated primarily by the "chirp mass":

$$\mathcal{M} = \frac{(m_1 m_2)^{3/5}}{(m_1 + m_2)^{1/5}}$$

- (Leading term in the post-Newtonian expansion)
- Results in a strong degeneracy



## Spin parameters estimation



 spin2 unconstrained (neutron-star) ֈֈֈՠֈֈֈֈֈֈֈ  $t_2 \ (rad)$ 1.0 °. *`*0 °. **`**,6 2.2  $t_2 \pmod{t_2}$  $a_2$ 

a: dimentionless spin parameter ( $\in$ [0;1]) t: tilt angle between the orbital angular momentum and spin

## Model selection

- Using the **Bayes Factor**
- (Needs inclusion of the prior odds to obtain the Odds ratio)
- In this example:
  - strong evidence for precession
  - weak evidence for two spins
- The injected signal was a precessing back-hole neutron-star binary.

#### log(Bayes Factor of signal vs noise)



# Combining triggers

- Astrophysical population statements
  - Inference of the population parameters (Mandel, I., Phys. Rev. D 81, 084029 (2010); Farr et al. arXiv:1302.5341 (2013))
  - Selection bias from the detector network (C Messenger and J Veitch *New J. Phys.* **15** 053027 (2013))
- Testing General Relativity (Agathos et al. Phys. Rev. D 89, 082001 (2014); Chatziioannou et al. Phys. Rev. D 86, 022004 (2012))
- Measuring Neutron Star Equation of State (via tidal parameters)

(Wade et al. Phys. Rev. D 89, 103012 (2014); Pozzo et al. Phys. Rev. L 111, 071101 (2013))

## Supernovae

- Template bank from numerical simulations.
- Main parameters:
  - Total angular momentum of the inner core at bounce
  - Inner core's ratio of rotational kinetic energy to gravitational energy



FIG. 2: Time evolution of the central density (top panel),  $\beta_{ic}$  (center panel), and GW strain (bottom panel; rescaled by source distance D) in model A3O6.

## Supernovae



Figure 1: A snapshot of the Abdikamalov *et al* [45] catalogue. The top panel shows the GW strain (scaled by source distance) for five models with different levels of precollapse differential rotation (from strongest differential rotation A1 to weakest A5), each with  $\beta_{ic,b} \sim 0.03$  (i.e., slowly rotating progenitors). The bottom panel is the same, but for rapidly rotating progenitors with  $\beta_{ic,b} \sim 0.09$ .

## Post-merger neutron star

- Un-modeled, high-frequency search
- Mass-dependent relationship:

 $f_{peak} \Rightarrow R_{1.6}$ 

- Peak frequency
- Radius of a fiducial 1.6M<sub>☉</sub> neutron star
- Neutron start Equation of State signature



## Bursts

- Gamma-Ray Bursts (see the talk by Michał Wąs)
- Do Intermediate Mass Black Holes exist? (Aasi et al. Phys. Rev. D 89, 122003 (2014))
- Targets:
  - Intermediate mass ratio inspirals
  - Eccentric binary black holes
  - Chirp mass reconstruction

#### Bursts

- Un-modelled searches: the unexpected in gravitationalwave astronomy !
  - Flux, amplitude, frequency profile, duration, sky localisation, polarisation, ...



FIG. 2: Representative waveforms injected into data for simulation studies. The top row is the time domain and the bottom row is a time-frequency domain representation of the waveform. From left to right: a 361 Hz Q = 9 sine-Gaussian, a  $\tau = 4.0$  ms Gaussian waveform, a white noise burst with a bandwidth of 1000–2000 Hz and characteristic duration of  $\tau = 20$  ms and, finally, a ringdown waveform with a frequency of 2000 Hz and  $\tau = 1$  ms.

